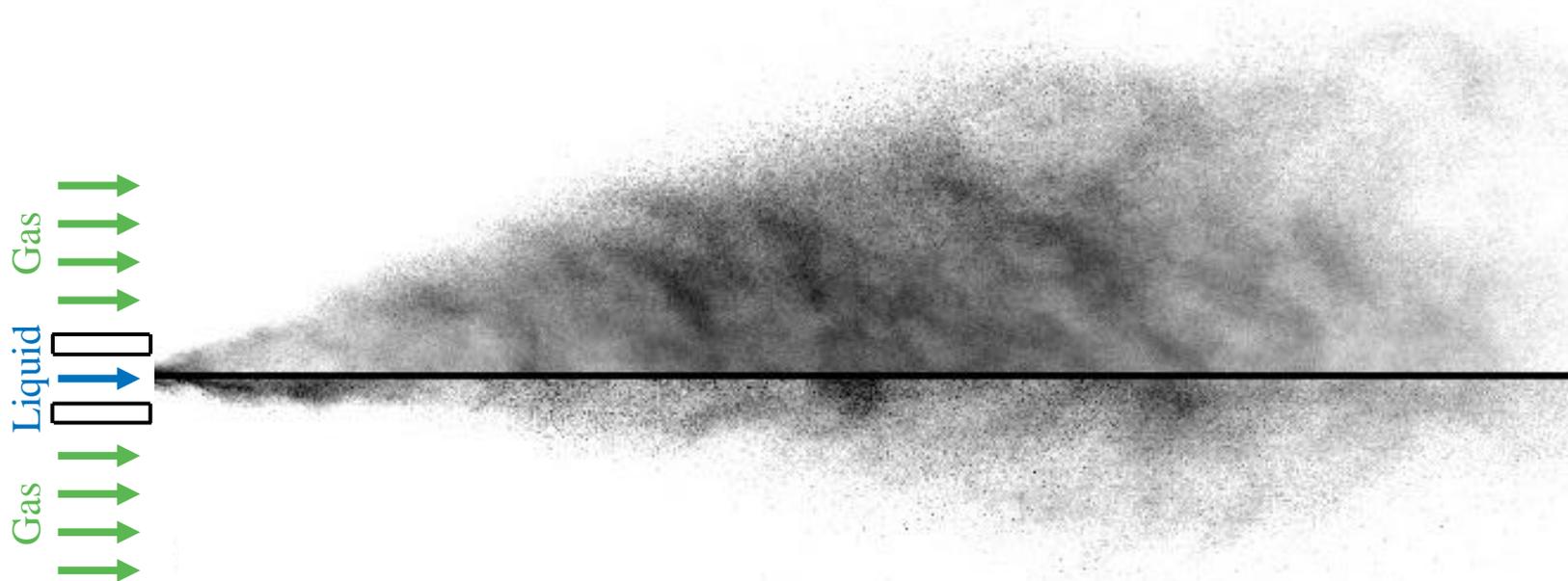


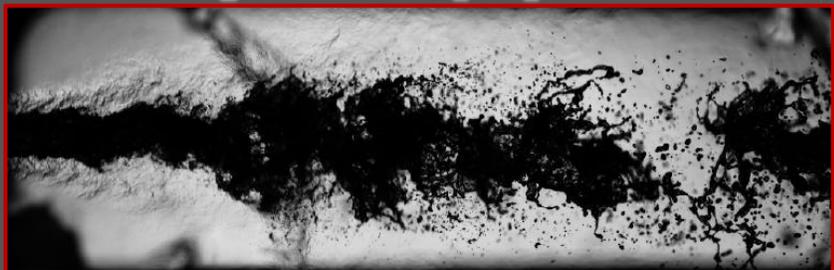
Spray behavior from non-swirling to swirling gas jet in coaxial atomization

Nathanaël Machicoane¹ and Santanu K. Sahoo¹

¹*Univ. Grenoble Alpes, CNRS, Grenoble INP, LEGI, 38000 Grenoble, France*

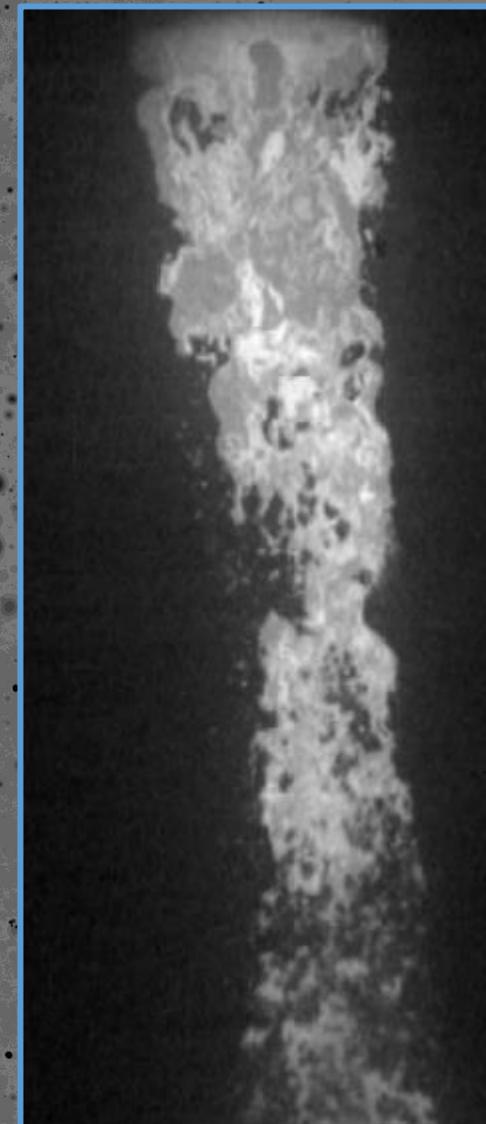


Liquid rocket propulsion

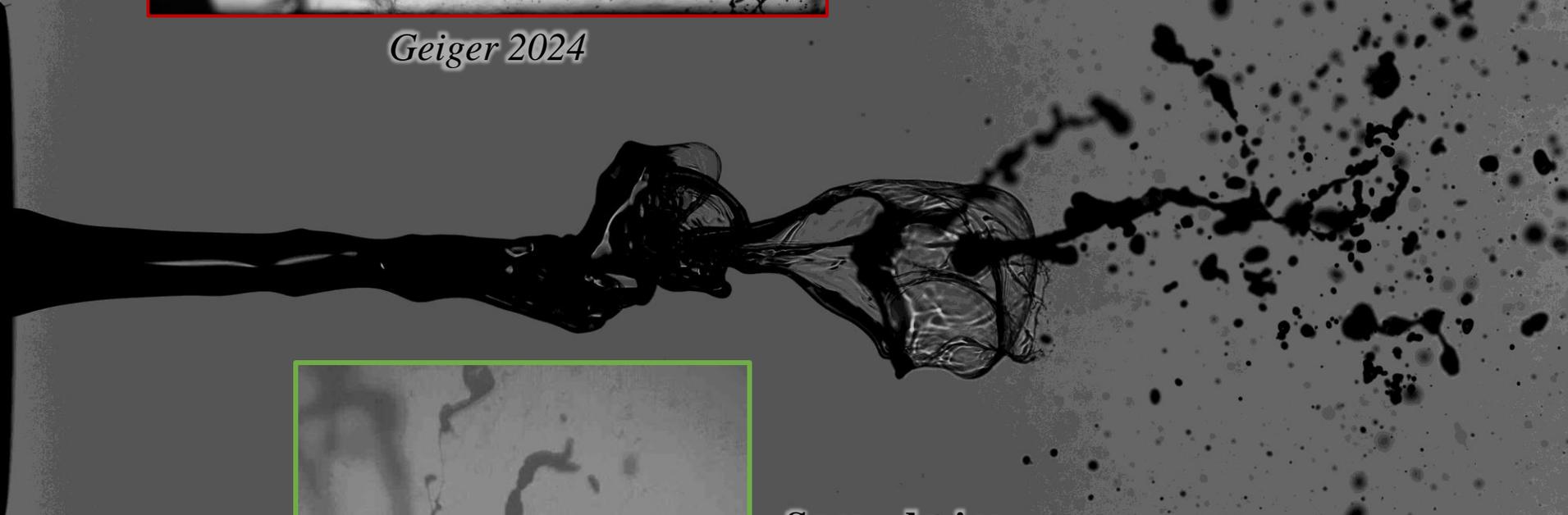


Geiger 2024

Metal powder production

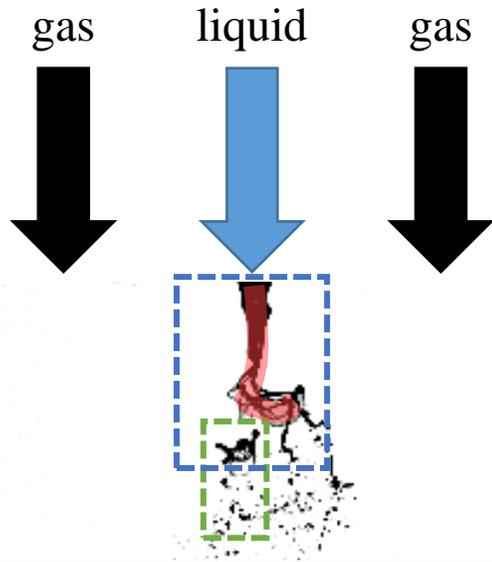


Zerwas et al. 2024



Spray drying

Rozali 2019



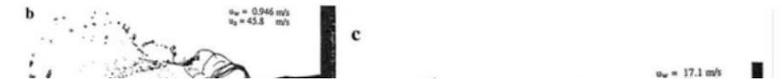
Gas-assisted atomization: breaking of a liquid jet into a spray (droplet cloud) by a gas co-flow

Spray formation:

- Interfacial instabilities
- Primary break-up

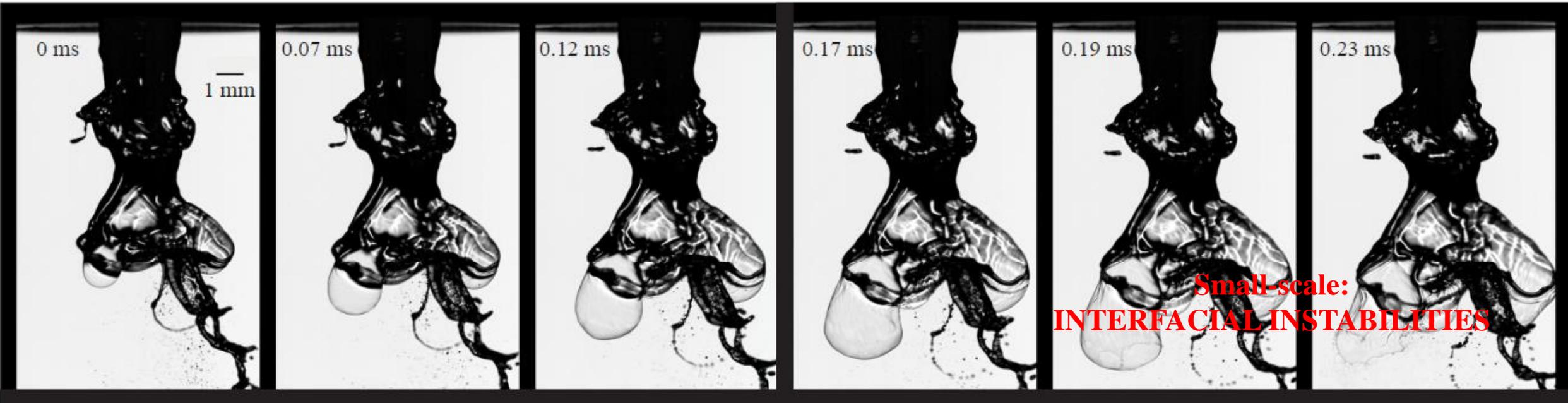
**Large-scale:
FLAPPING**

Farago & Chigier, 1992



Multiscale process

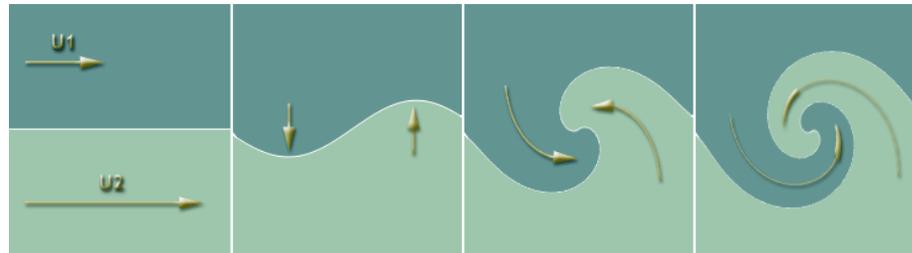
Near field



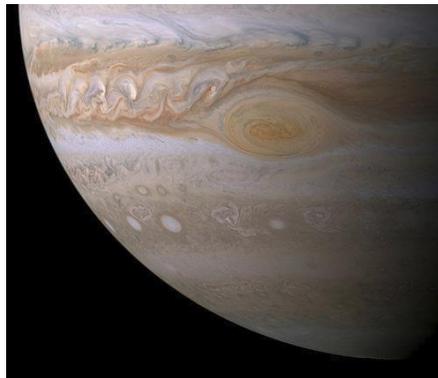
Interface destabilized by surface tension

Rayleigh–Plateau instability

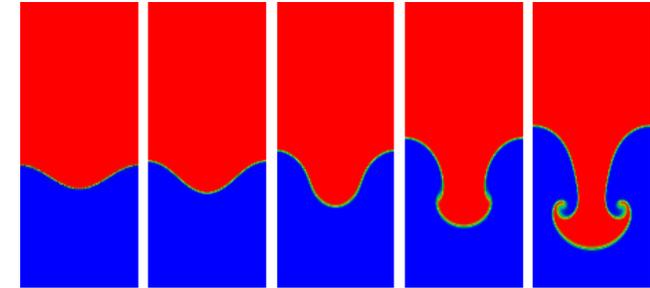
Interface aligned with shear



Kelvin–Helmholtz instability



Accelerated interface (transverse to shear)

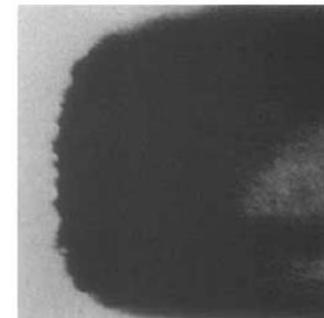
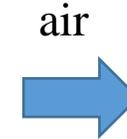


Rayleigh–Taylor instability

Drop under strong air flow



Gravity-driven



Aero-driven



$$We = \frac{\text{gas - induced stresses}}{\text{surface tension}}$$

$$We = \frac{\rho_g U_g^2 D}{\sigma}$$

Low to moderate Weber numbers

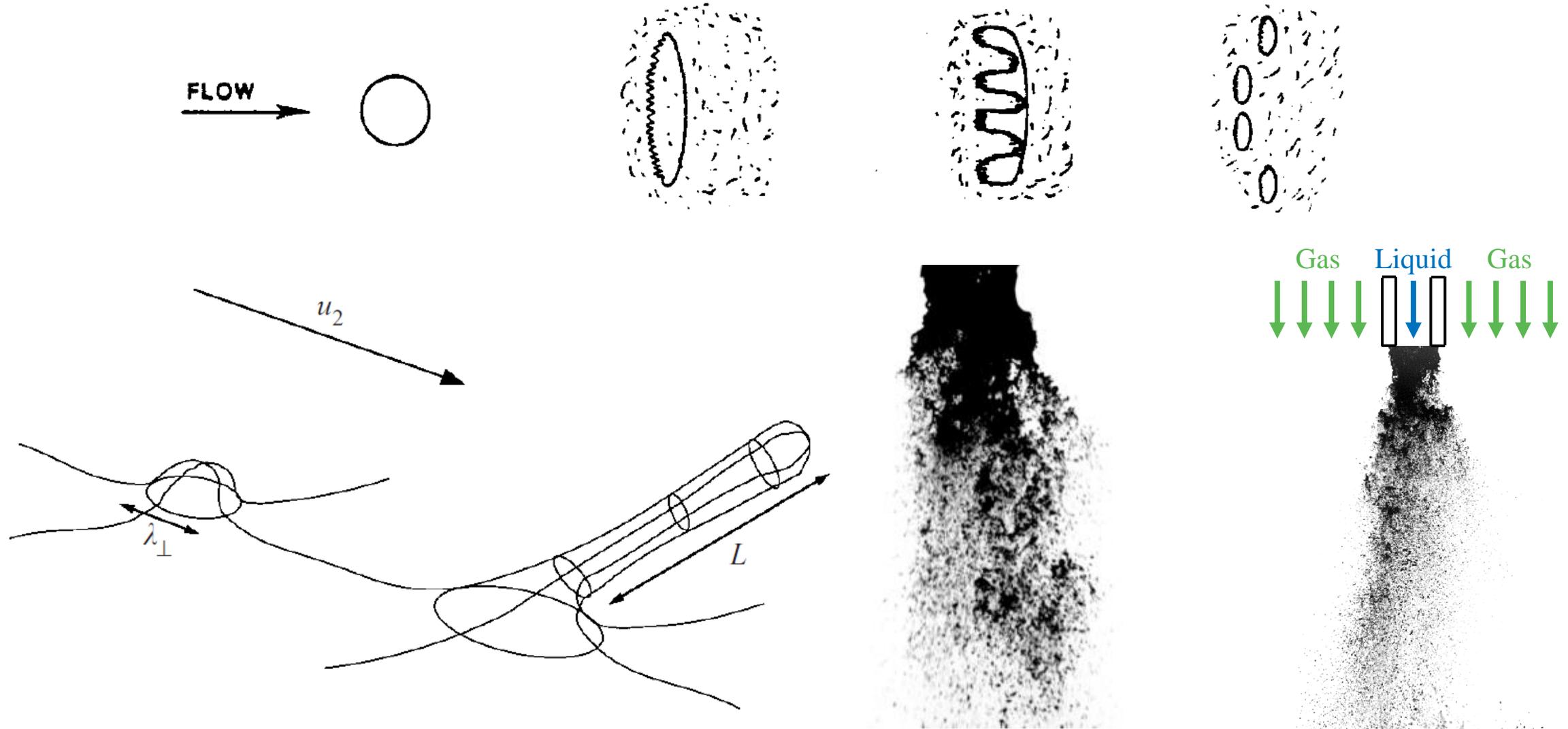


High Weber numbers



Pilch and Erdman, IJMF 1987

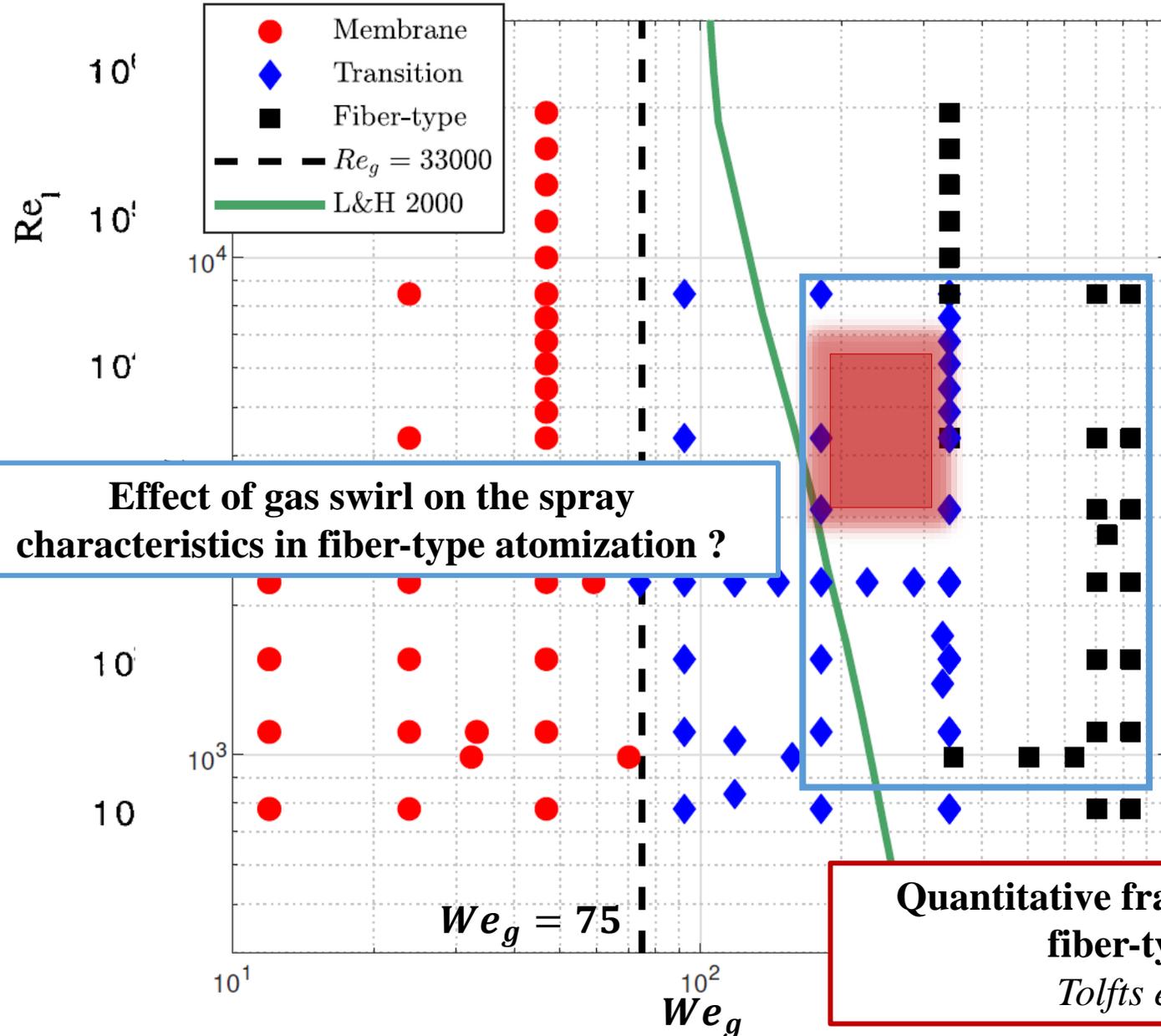
c) CATASTROPHIC BREAKUP



P. Marmottant and E. Villermaux, JFM 2004



Rims produce large drops that contain a large portion of the liquid volume
 → incomplete combustion/pollutants



Experimental set-up

$1100 < Re_l < 8500$
 $10^4 < Re_g < 10^5$

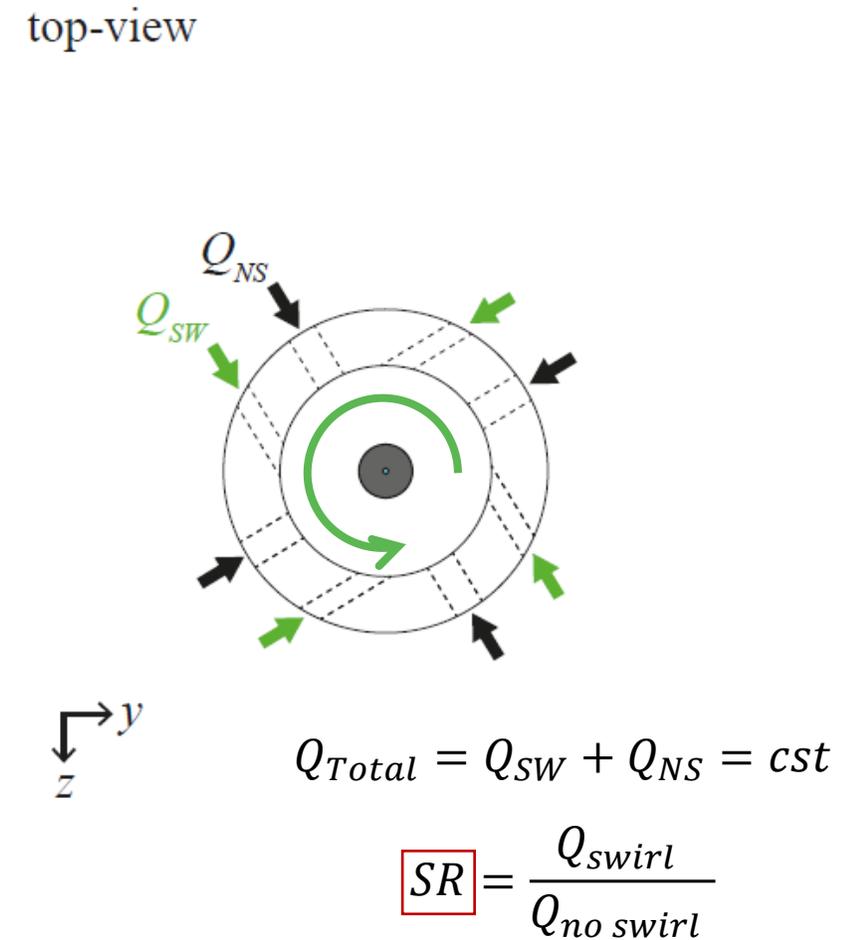
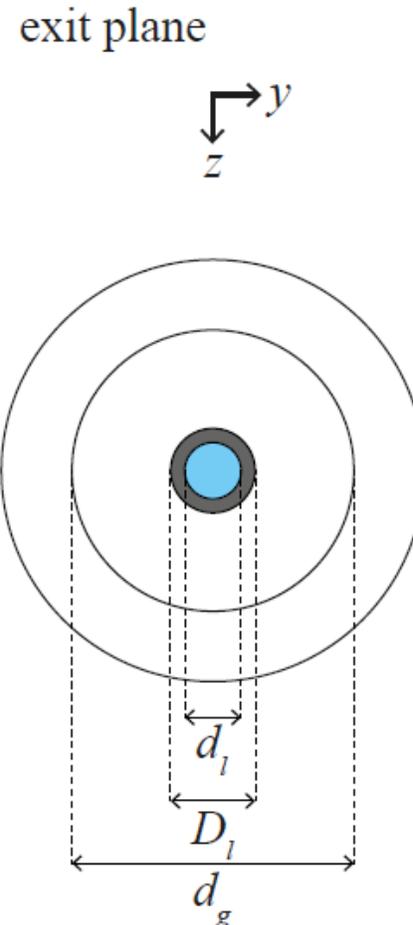
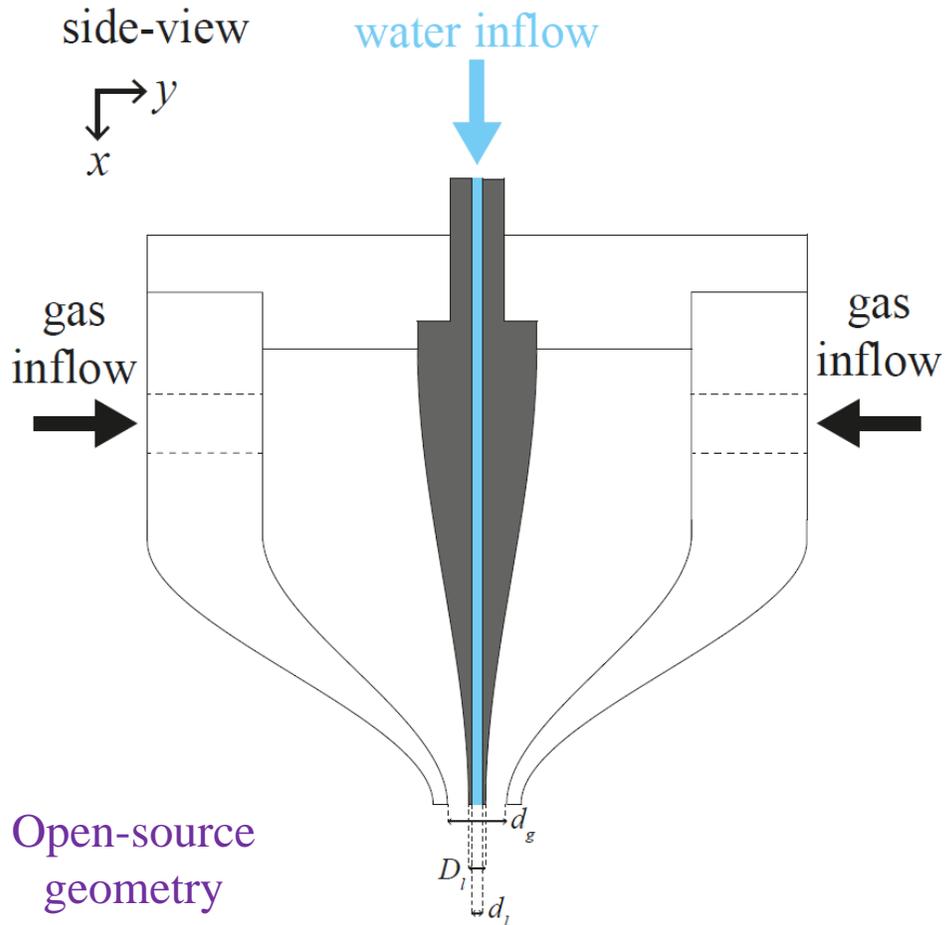
By varying the gas and liquid flow rates

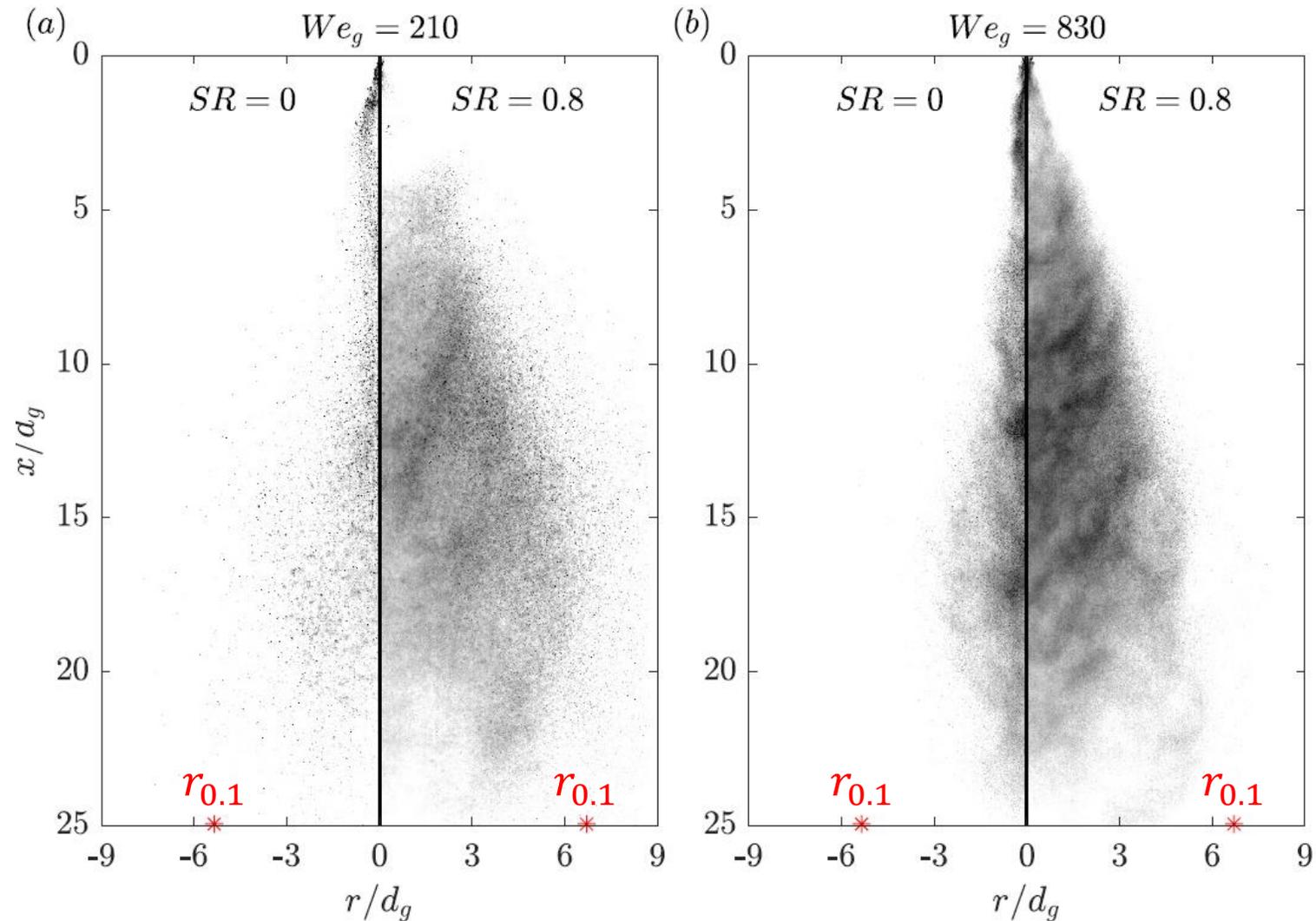
Weber number

$$We_g = \frac{\rho_g u_g^2 d_l}{\sigma}$$

Gas-to-liquid dynamic pressure ratio

$$M = \frac{\rho_g u_g^2}{\rho_l u_l^2}$$





$$1100 \leq Re_l \leq 8500$$

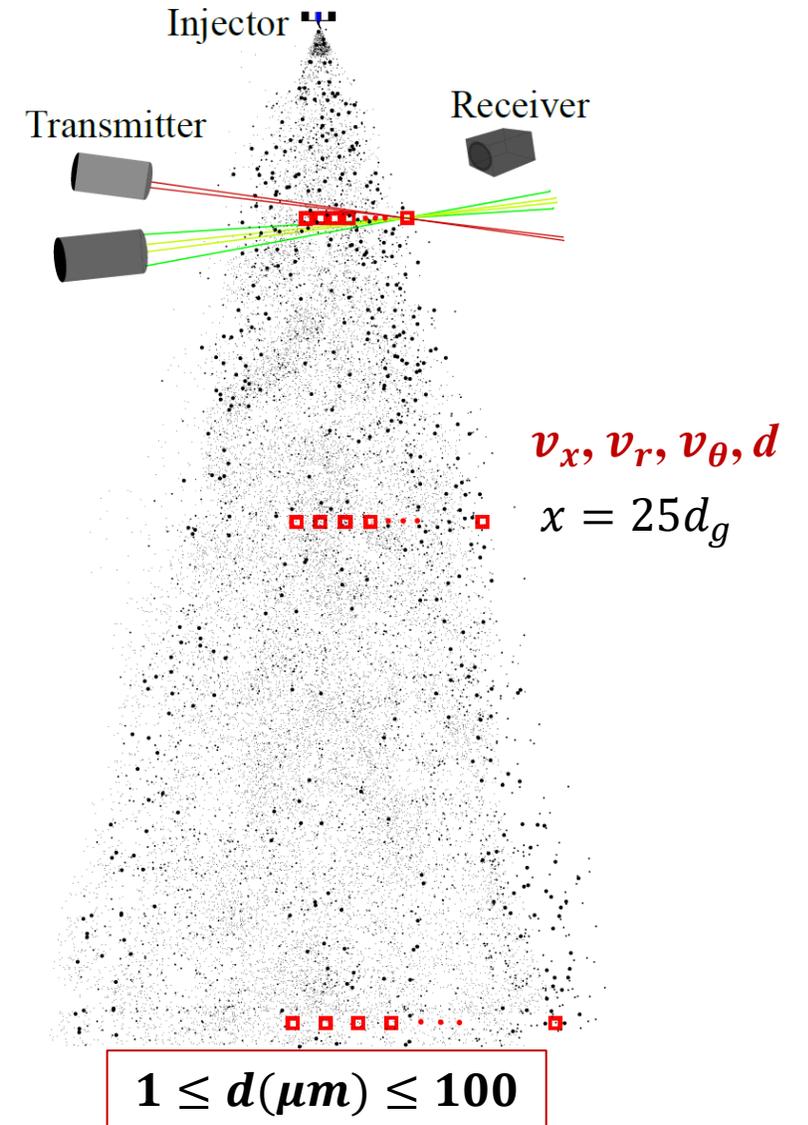
$$1 \leq M \leq 140$$

$$10^4 \leq Re_g \leq 10^5$$

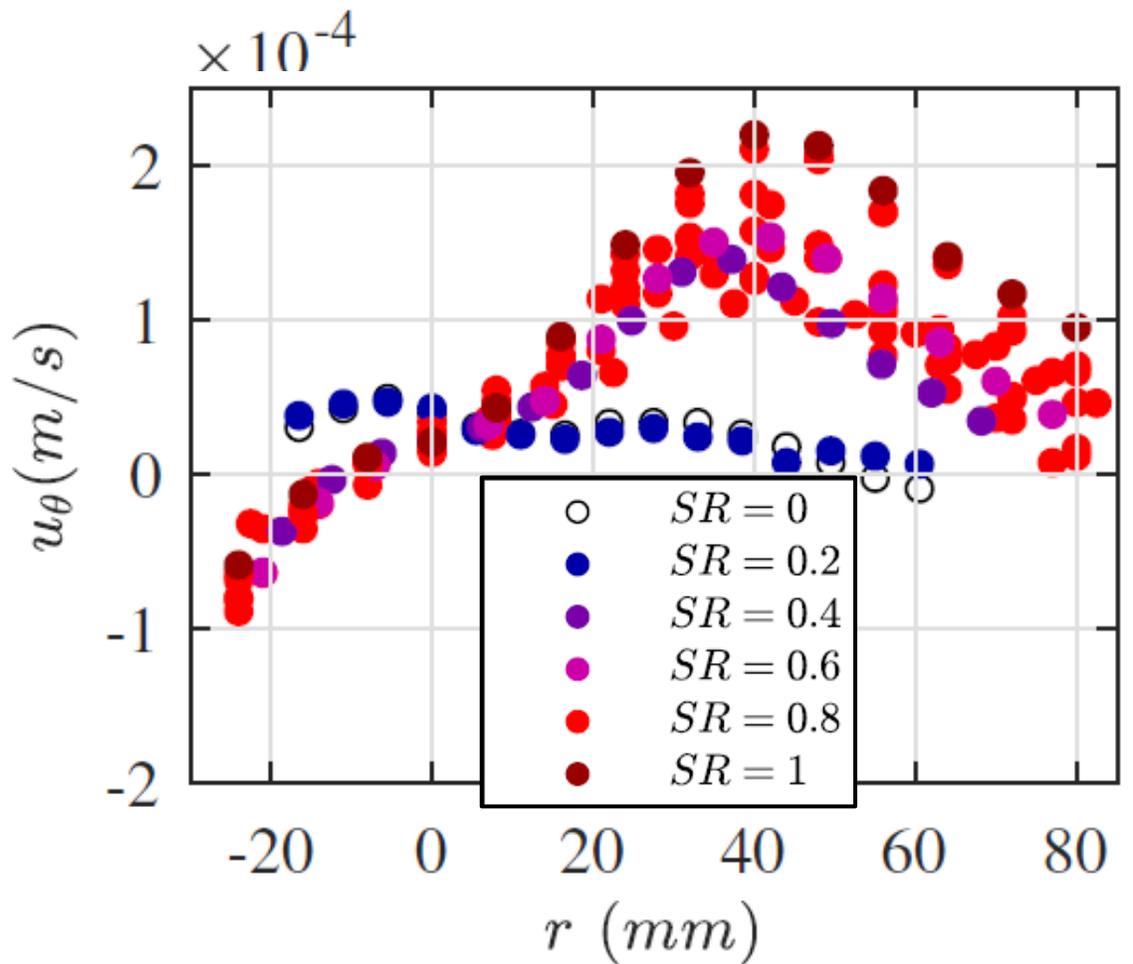
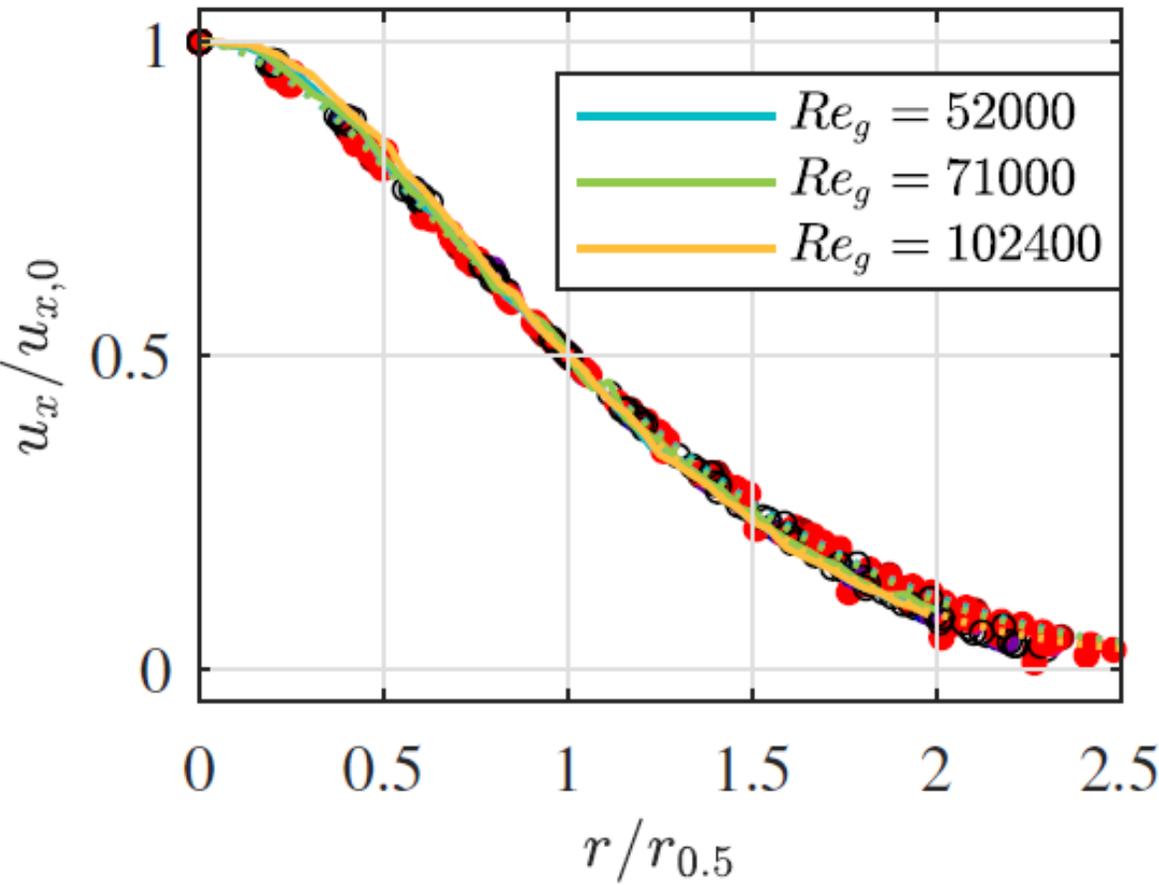
$$200 \leq We_g \leq 1300$$

$$0 \leq SR \leq 1$$

Phase Doppler Interferometry



$$d < 5 \mu\text{m} \rightarrow St_d < 0.002$$

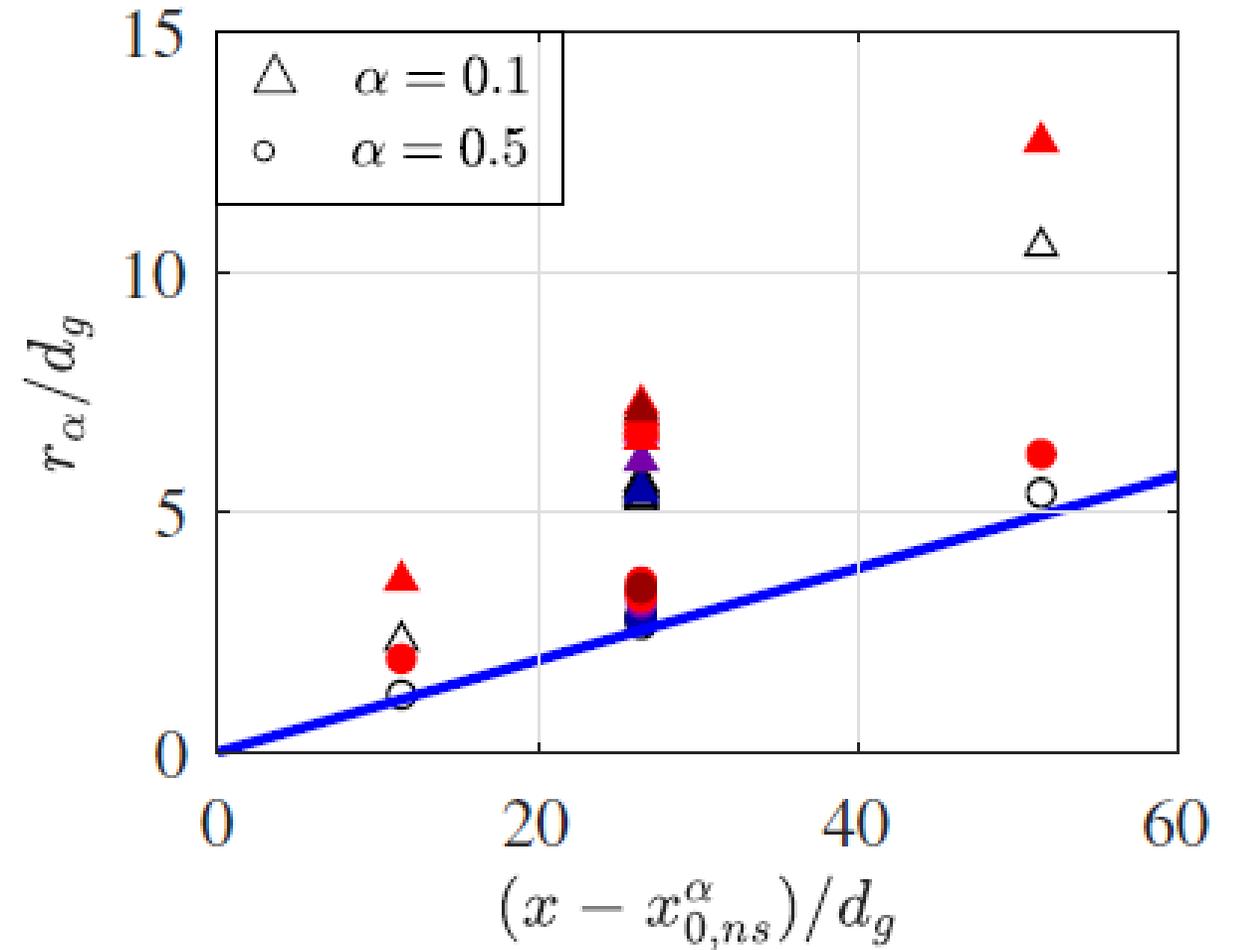
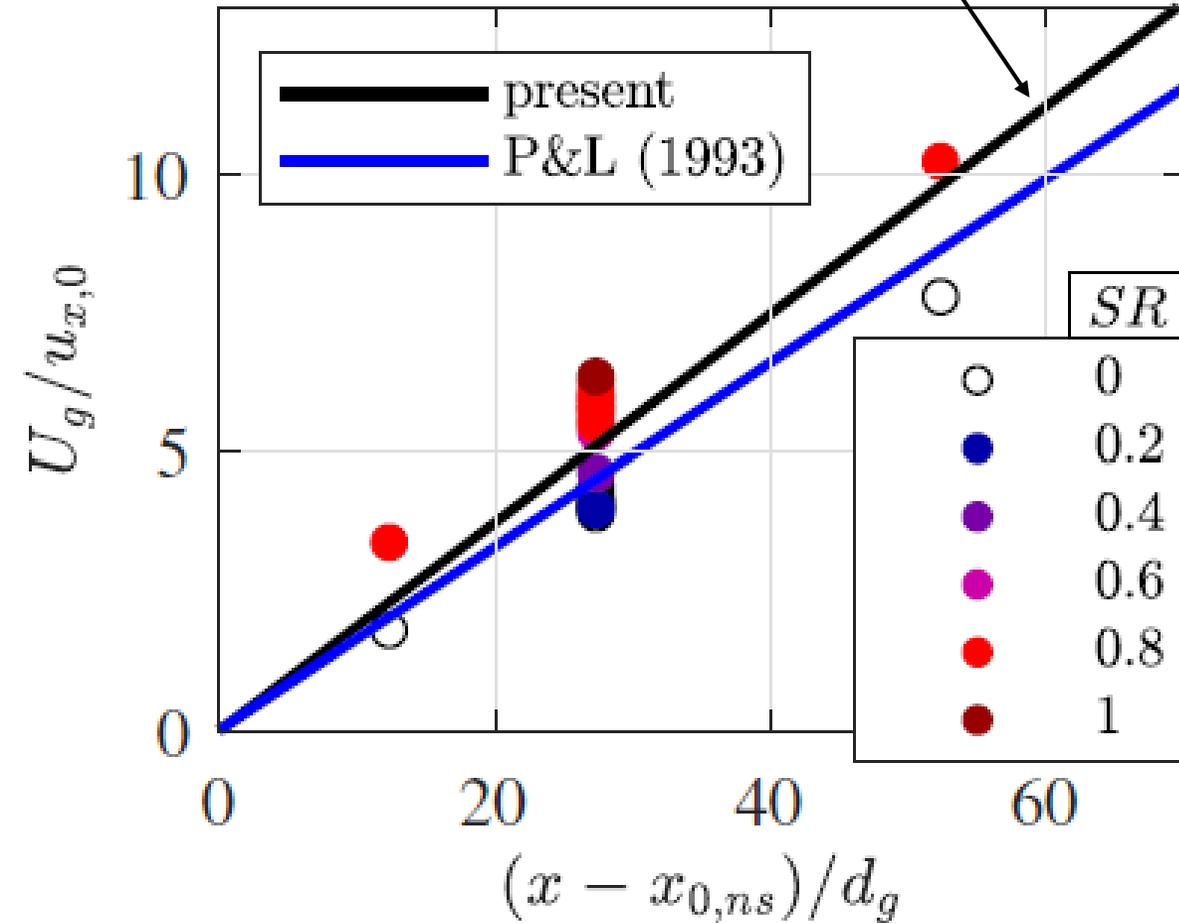


$$St_d = \frac{\tau_p}{d_g/U_g} \quad \tau_p = \frac{\rho_l d_p^2}{18\rho_g \nu_g}$$

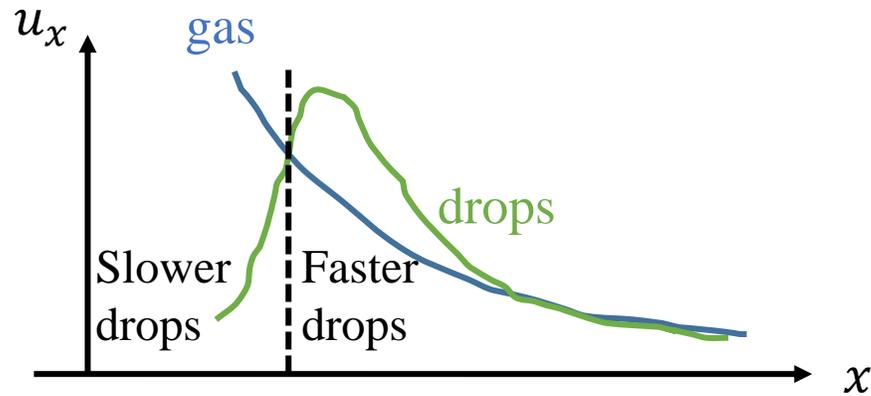
$$SN = \frac{\int_0^{r_{max}} 2\pi\rho u_x u_\theta r^2 dr}{r_{max} \int_0^{r_{max}} 2\pi\rho u_x^2 r dr}$$

Self-similarity retained with swirl

Single phase (HWI)



- Broadening of radial profile with SR
- Properties of the swirled annular jet are those of a round turbulent jet

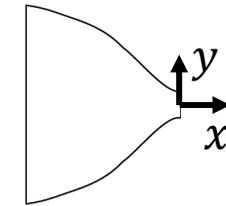


Droplet Stokes number

$$St = \frac{\tau_p}{T_E}$$

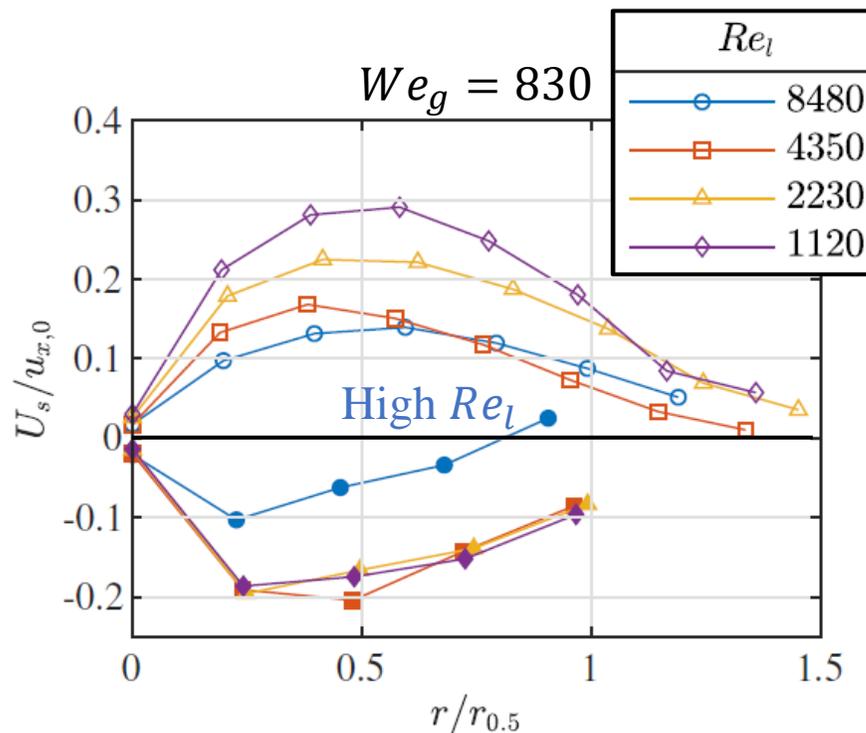
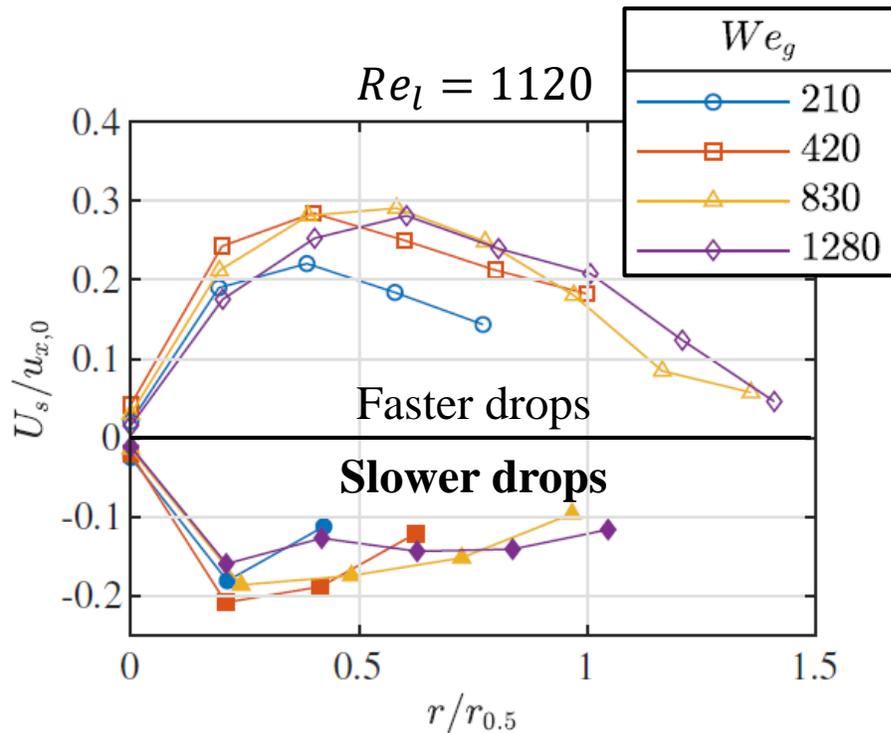
$$\tau_p = \frac{\rho_l d_p^2}{18 \rho_g \nu_g}$$

$$T_E = \frac{u'_x}{r}$$



$x = 25d_g$

$$U_s(r) = \langle v_x^{drop} | St > 0.005 \rangle - \langle u_x^{gas} \rangle$$



○ $SR = 0$ ● $SR = 0.8$

Effect of gas swirl:

- Negative slip velocity overall
- Influence of Re_l is prominent

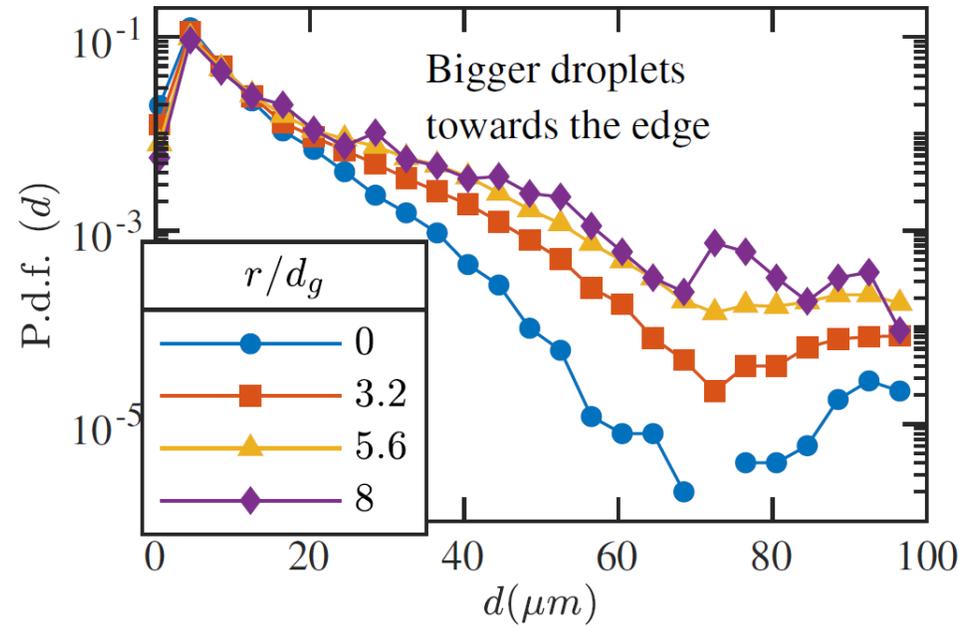
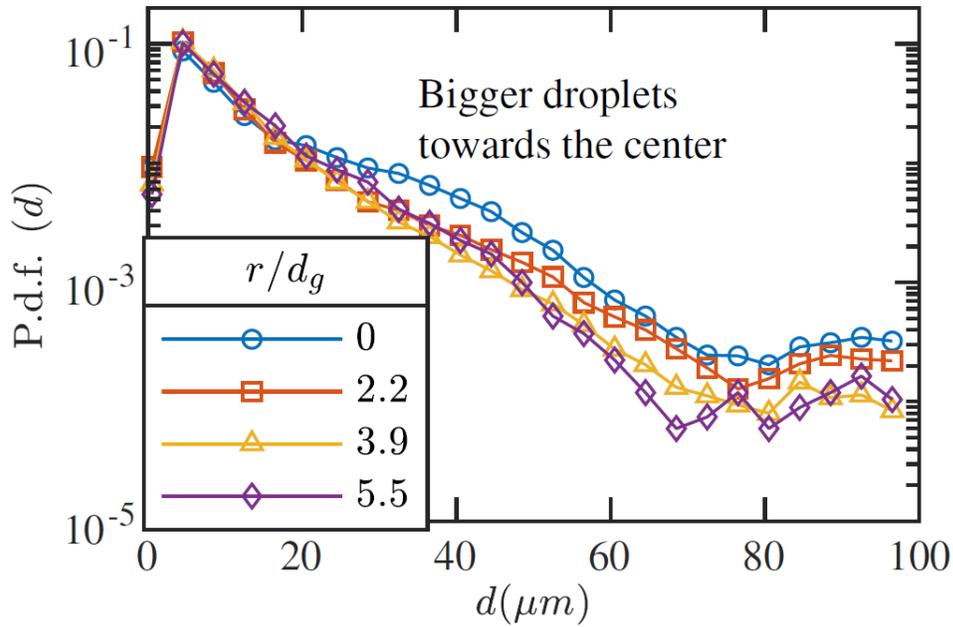
Competing effects:

- ➔ Centrifuged high-momentum drops
- ➔ Reentrainment of detrained drops (emanating from flapping)

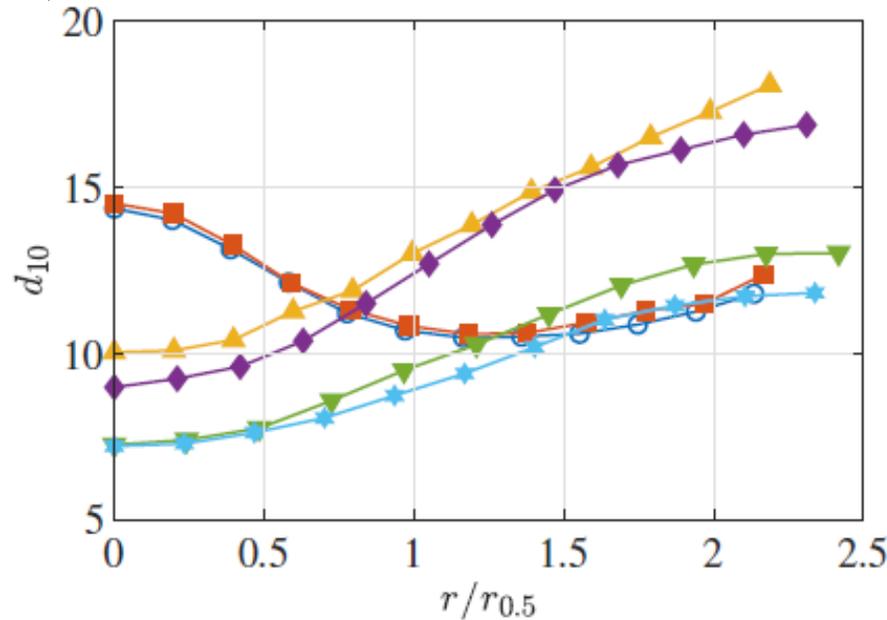
$u_{x,0}, r_{0.5}$ centerline axial velocity and half-width of the gas jet

$We_g = 830$
 $Re_l = 1120$

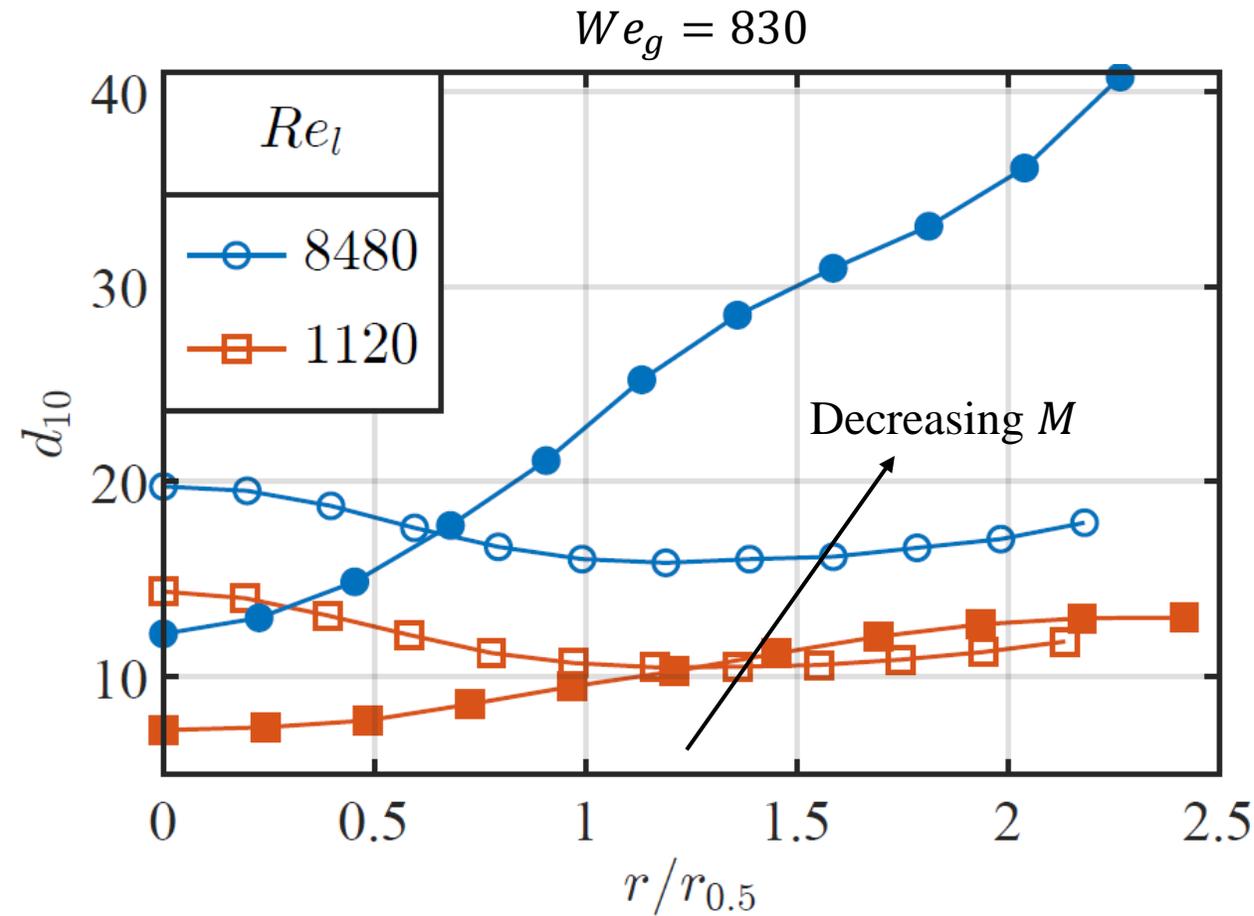
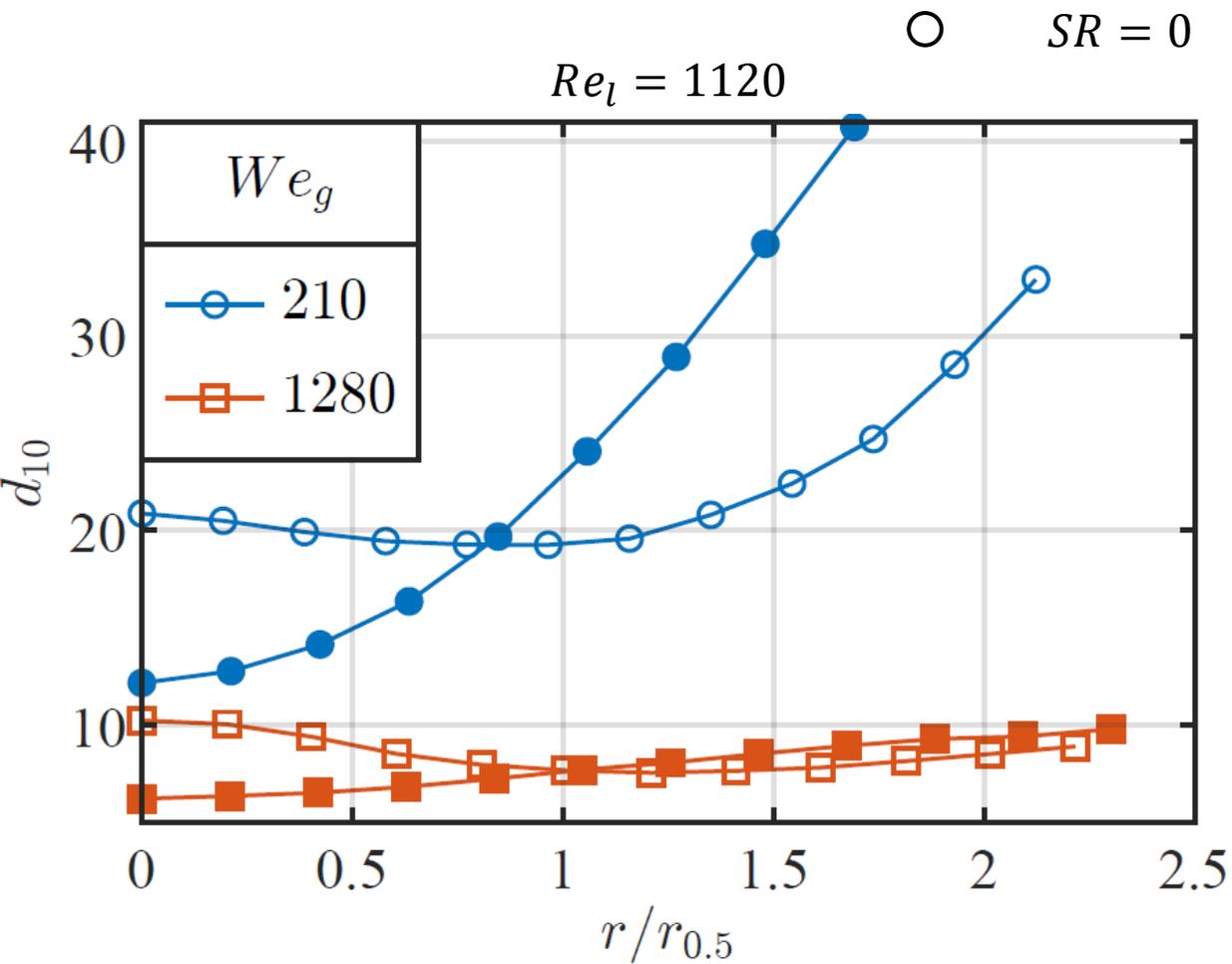
○ $SR = 0$
 ● $SR = 0.8$



SR	
○	0
■	0.2
▲	0.4
◆	0.6
▼	0.8
★	1

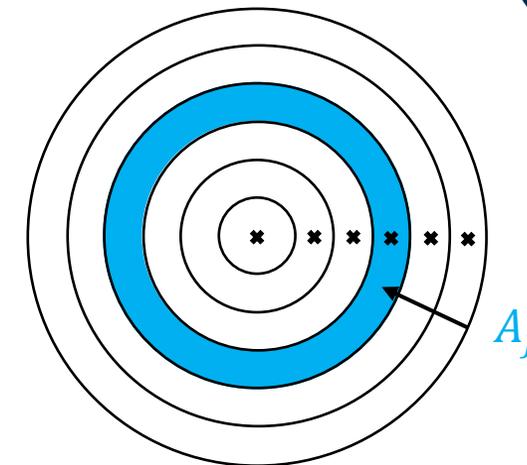
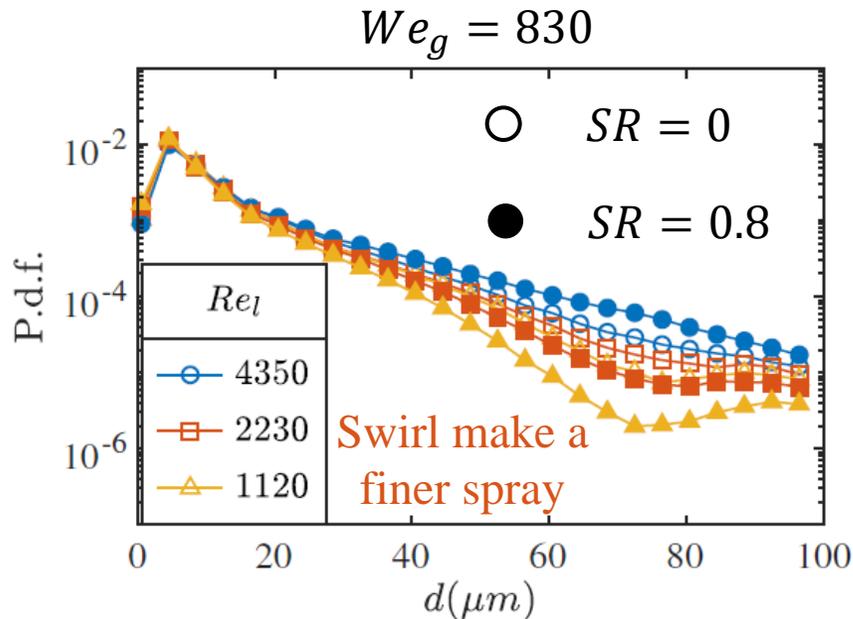
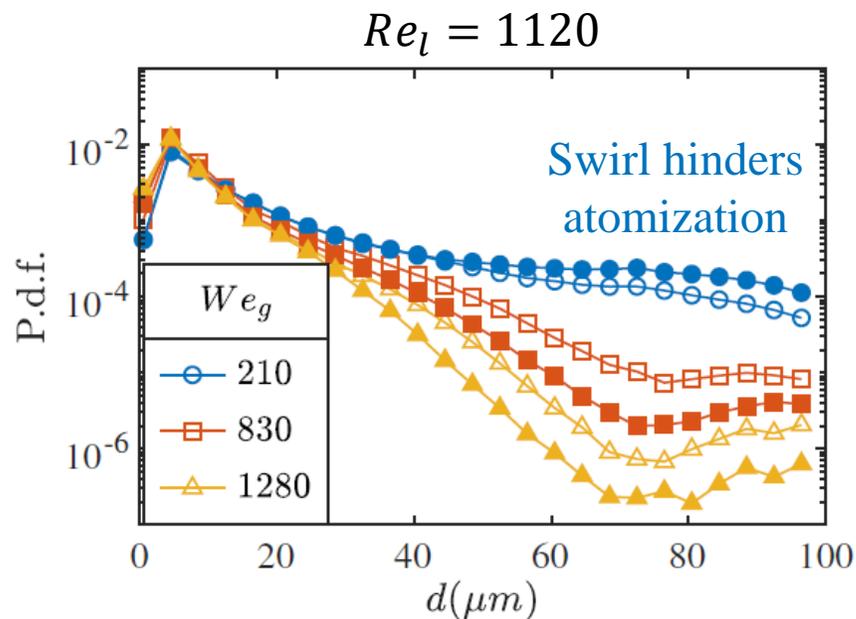


- Swirl leads to rearrangement of the droplets
- Effect of swirl prominent at $SR = 0.4$ and above



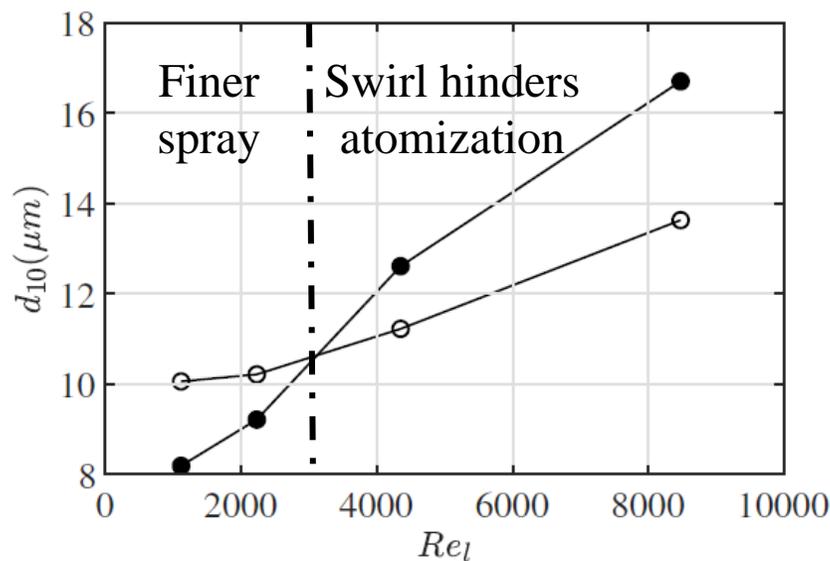
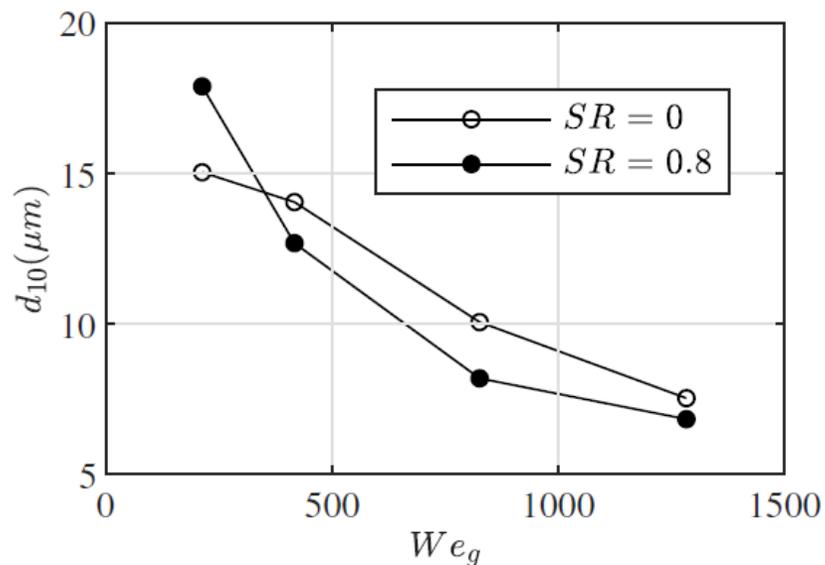
Swirl addition →

- Spatial rearrangement of the droplet
- Local reduction of mean droplet size at low Re_l and high We_g (high M)



$$p_i = \frac{\sum_j N_{ij} A_j / w_i T_j}{\sum_i \sum_j N_{ij} A_j / w_i T_j}$$

Arithmetic mean diameter



$$d_{nm} = \left(\frac{\sum p_i d_i^n}{\sum p_i d_i^m} \right)^{1/(n-m)}$$

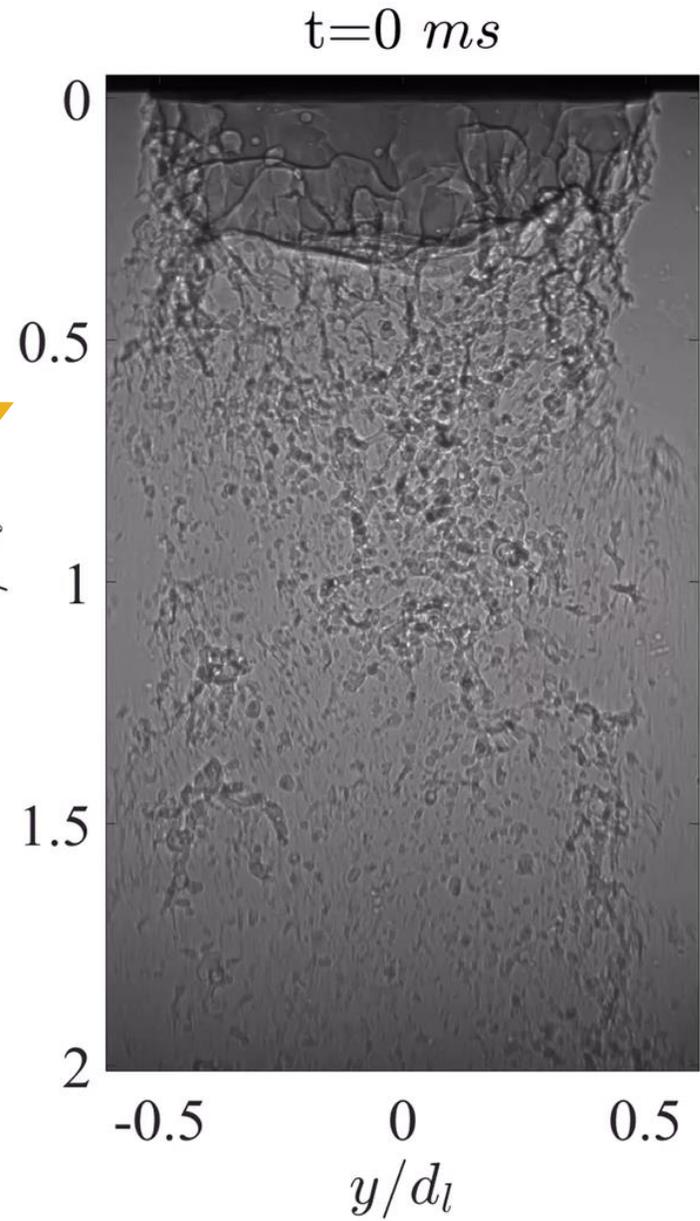
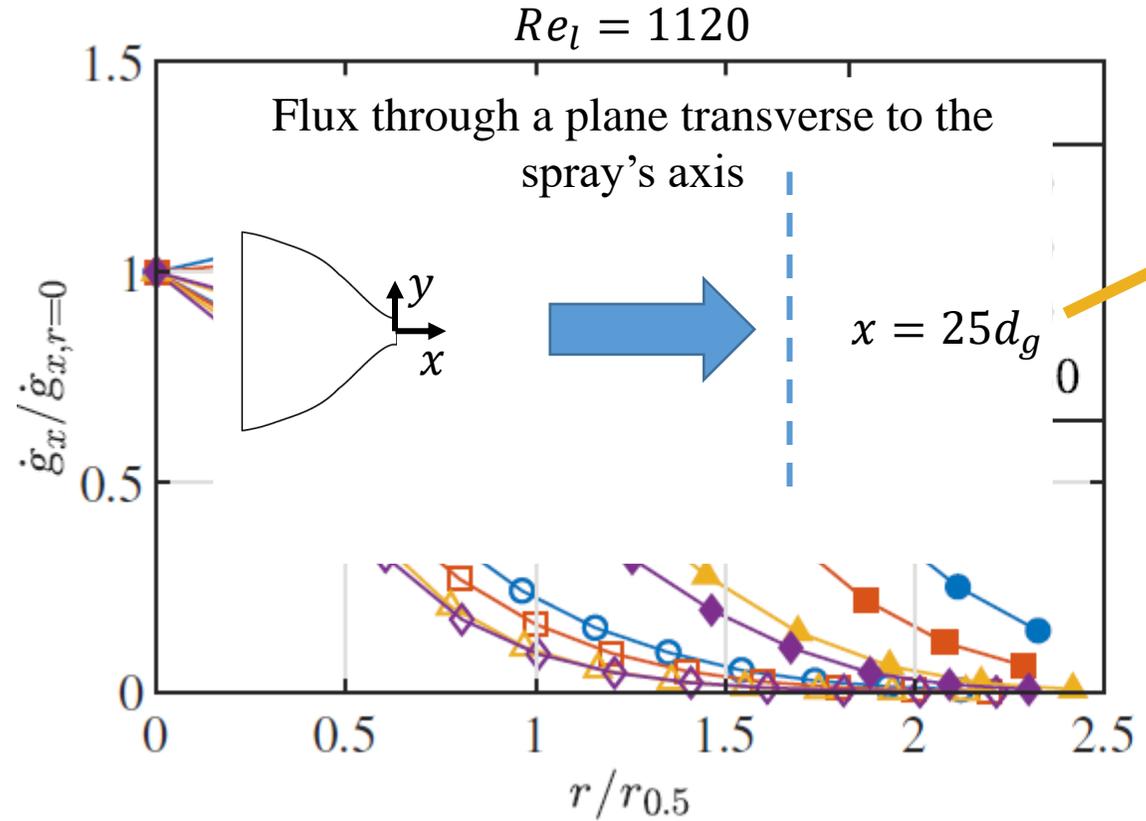
Swirl reduces the drop size beyond $M \left(= \frac{\rho_g U_g^2}{\rho_l U_l^2} \right) \approx 50$

- ➔ All size class
- ➔ Throughout the spray

Radial profiles of axial flux

$$\dot{g}_x = \frac{\pi}{6T} \sum_{i=1}^D \sum_{j=1}^N \frac{d_{j,i}^3 \cos \theta}{S_i}$$

θ velocity angle (u_r)
 S_i probe volume area
 T sampling time



$x = 25d_g$

Re_l	
○	8480
□	4350
△	2230
◇	1120

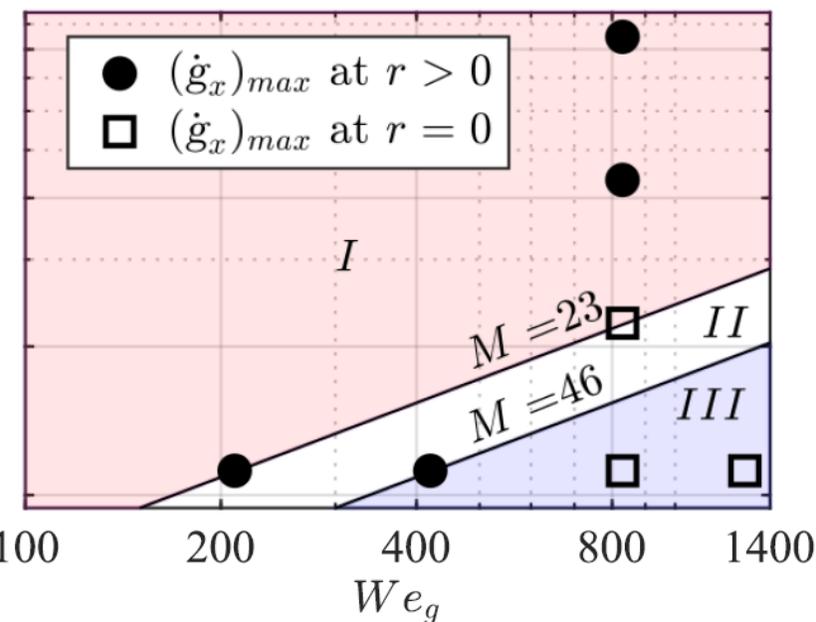
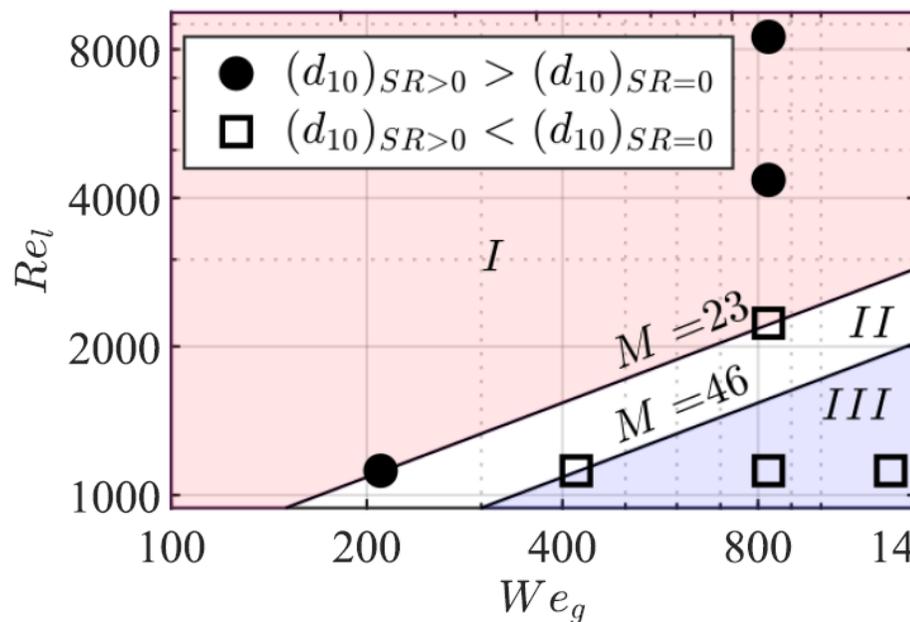
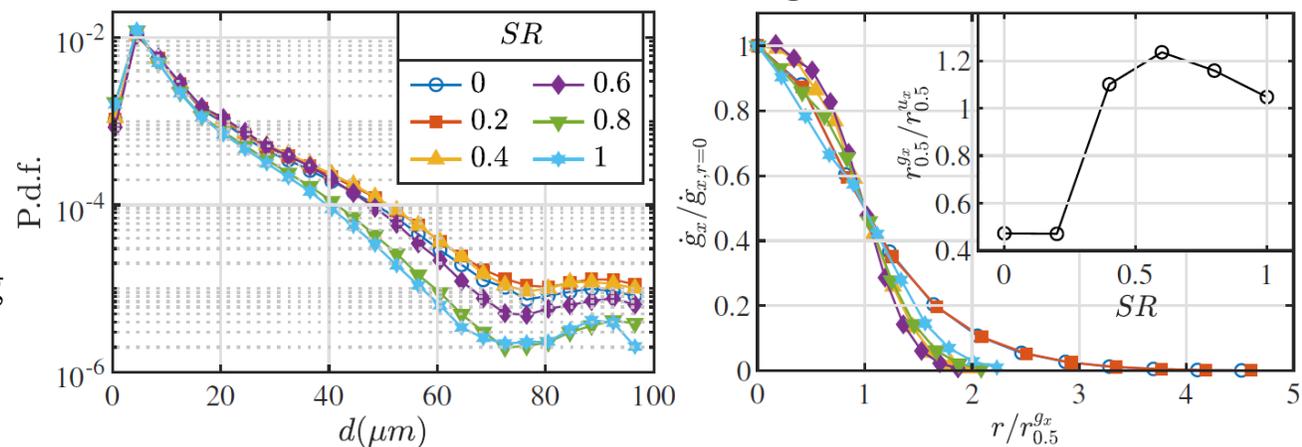
— $r_{0.5}$ of the gas jet

- Swirled low M sprays have off-center maxima of axial flux
- Axial fluxes show centered maxima for high We_g and high Re_l
- ➔ Low M : strong flapping with long liquid jet, brings non-axisymmetric structures

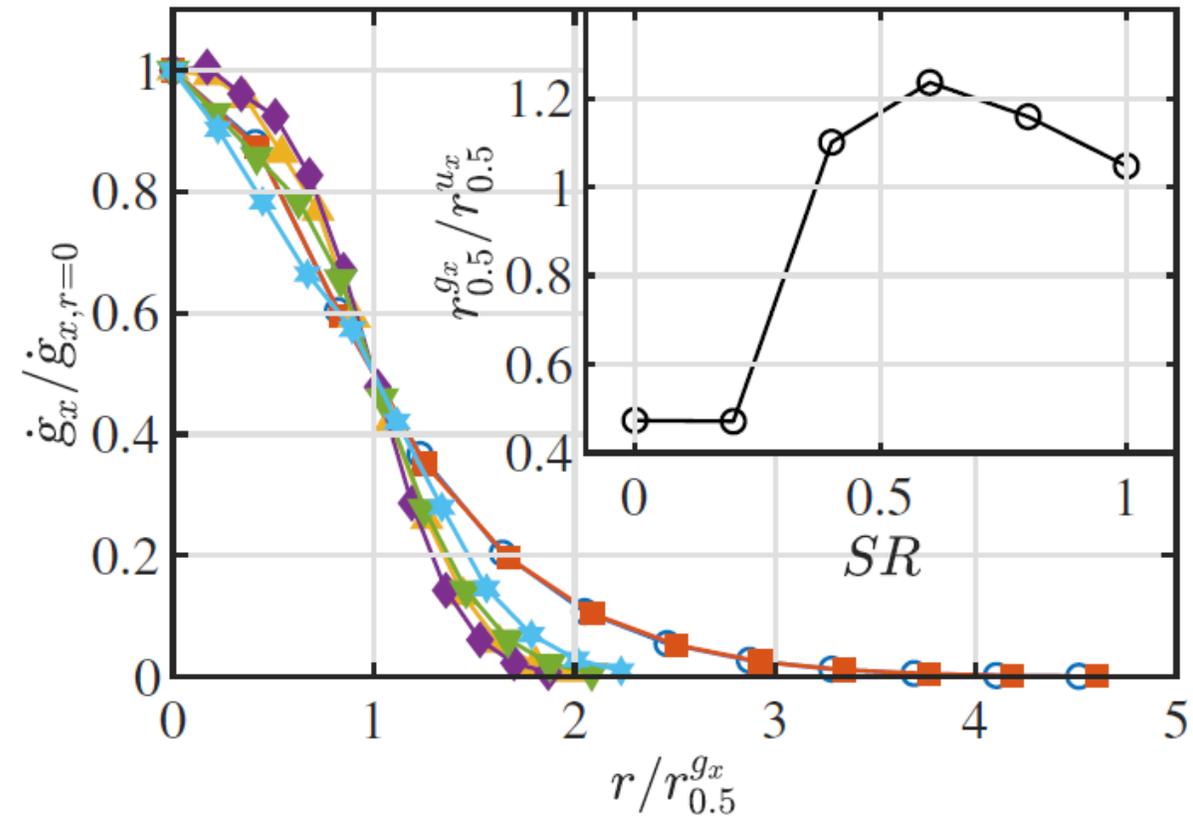
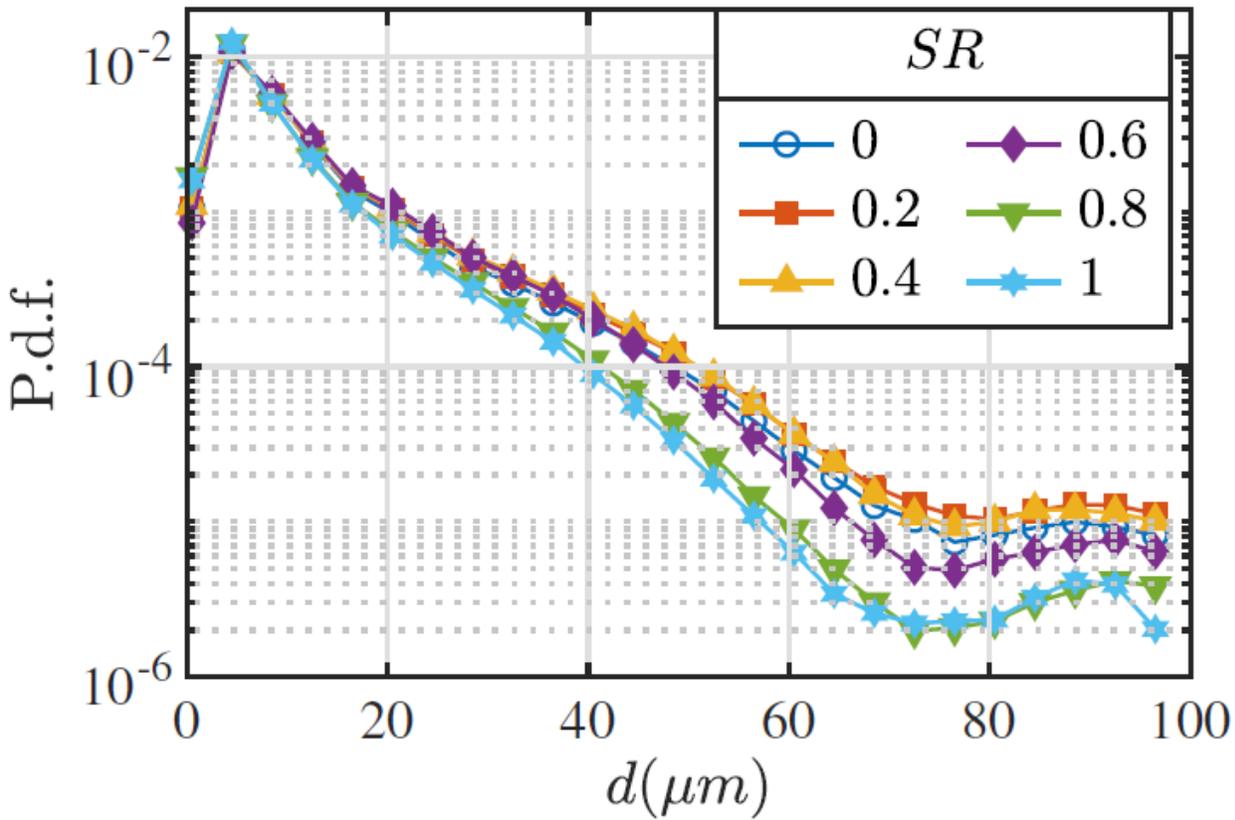
Swirl in the gas flow leads to

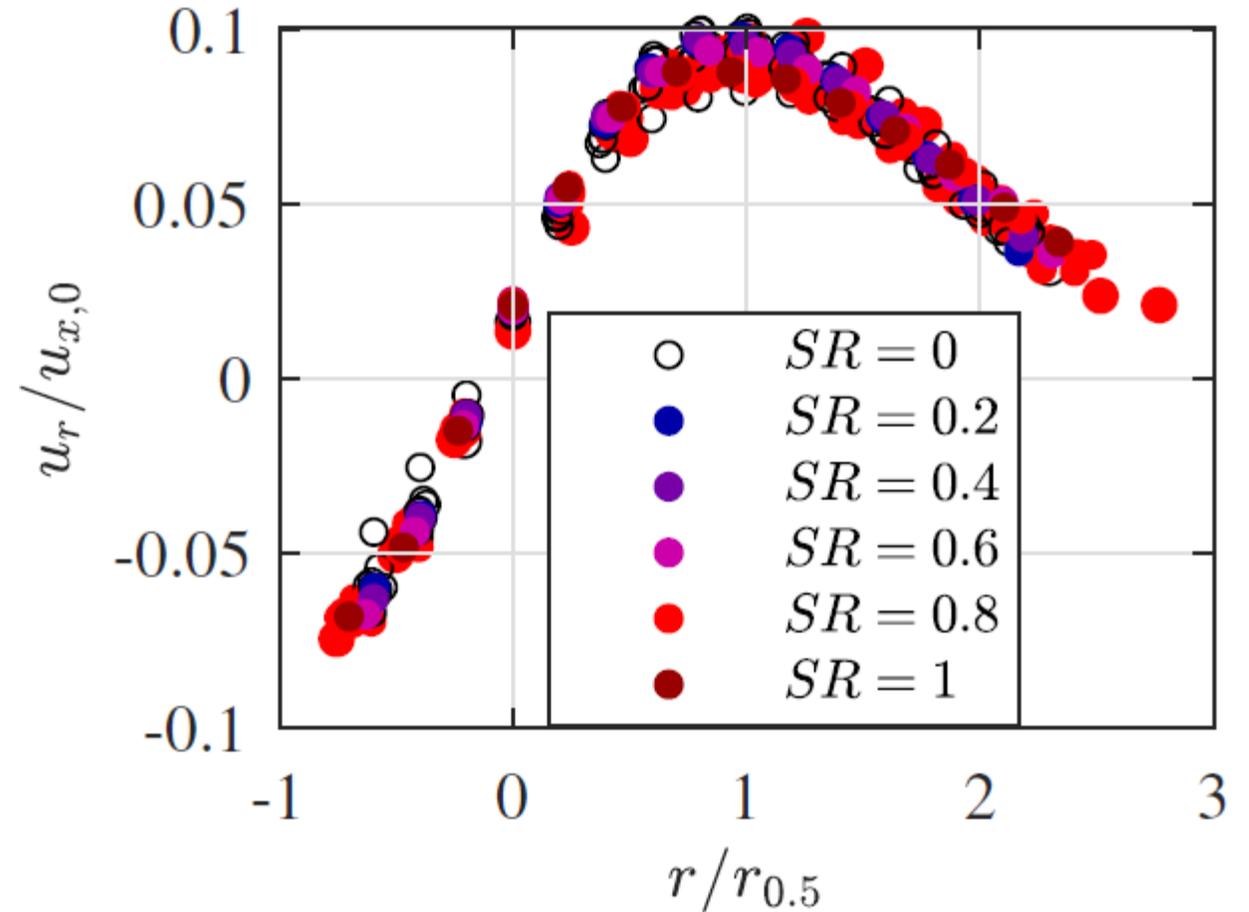
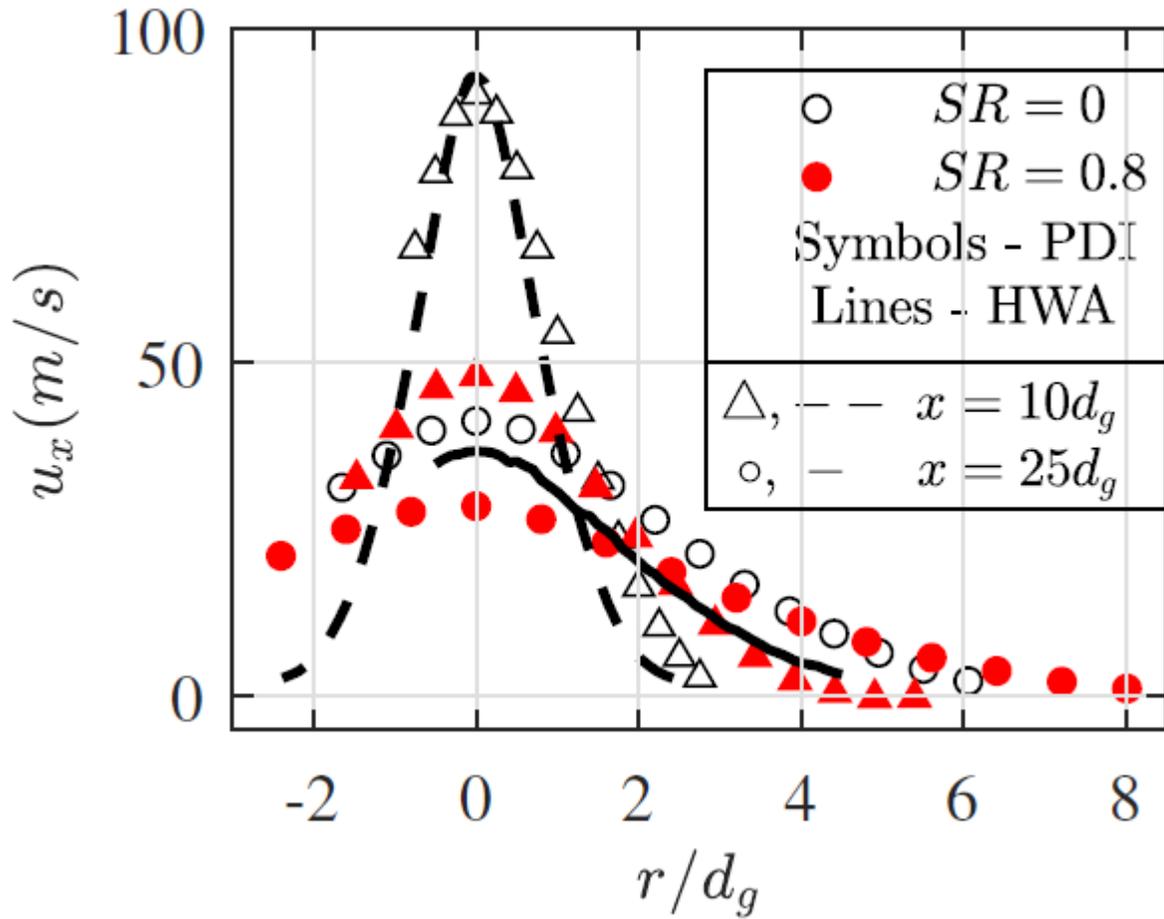
- ➔ Retainment of self-similarity of the gas jet but with different shape factor
- ➔ Prominent effect when $SR \geq 0.6$, with classical broadening of the spray (e. g., \dot{g}_x radial profiles in addition to u_x)
- ➔ For $M > 46$, decrease of drop size everywhere & every size class
- ➔ At low M : swirl hinders atomization
 - Larger drops
 - Off-center maxima for the radial profiles of axial flux
- ➔ $23 \leq M \leq 46$, spray features depend on both Re_l and We_g

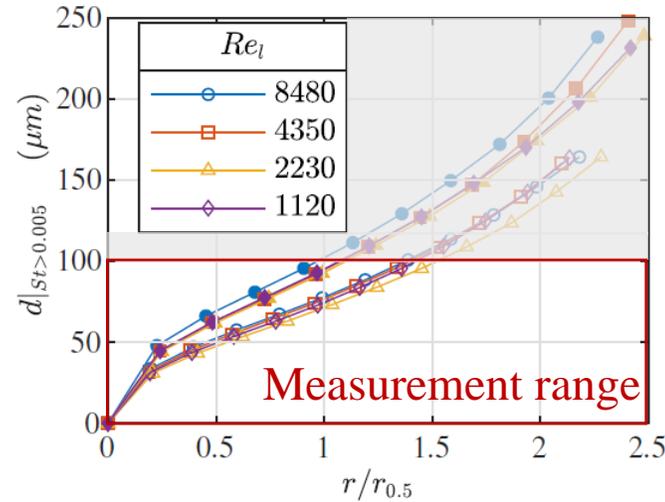
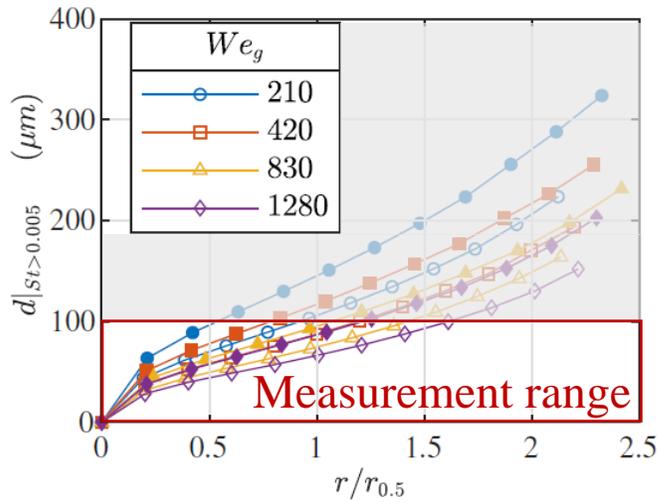
$Re_l = 1120, We_g = 830$



Thank you for your attention







$r_{0.5}$ of the gas jet

○ $SR = 0$

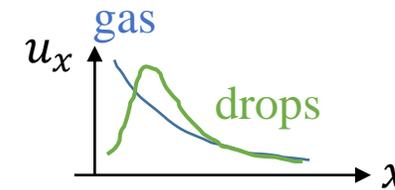
● $SR > 0$

Droplet Stokes number

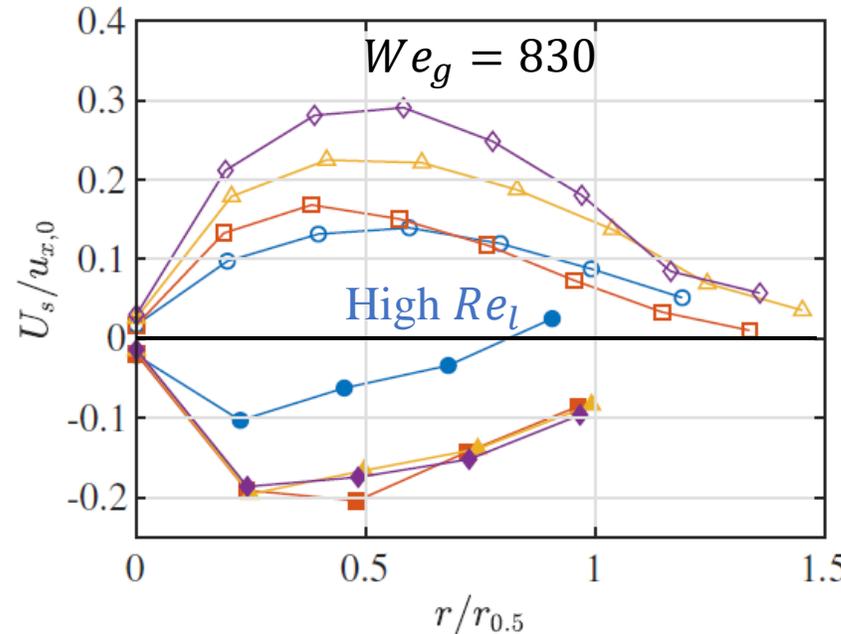
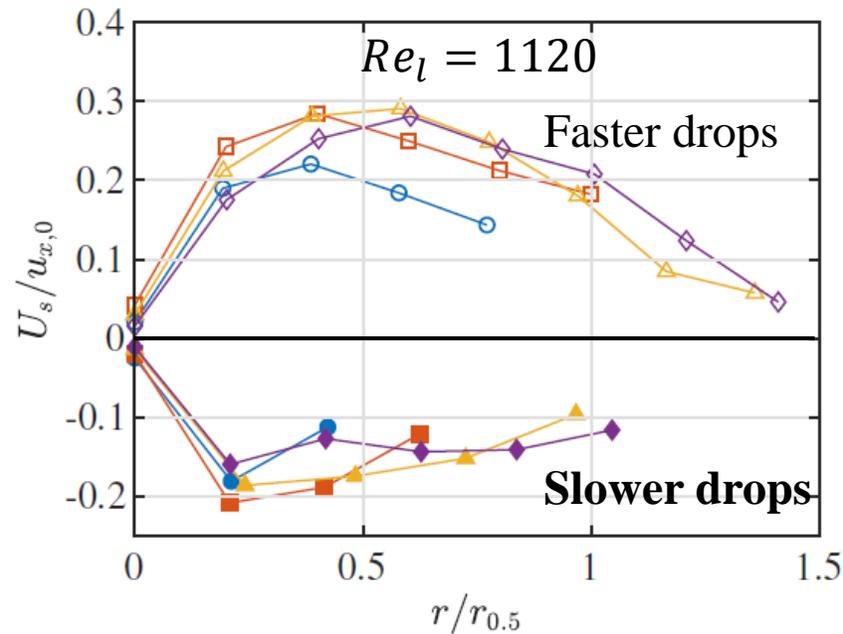
$$St = \frac{\tau_p}{T_E}$$

$$\bullet \tau_p = \frac{\rho_l d_p^2}{18 \rho_g \nu_g}$$

$$\bullet T_E = \frac{u'_x}{r}$$



$$U_s(r) = \langle v_x^{drop} | St > 0.005 \rangle - \langle u_x^{gas} \rangle$$



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