

# Unsteady dynamics of bubble columns



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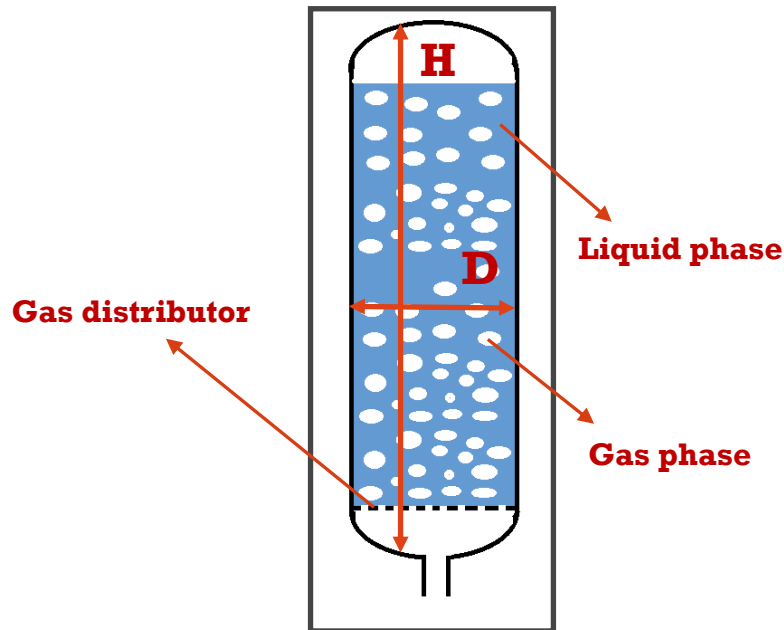
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# Bubble column reactors

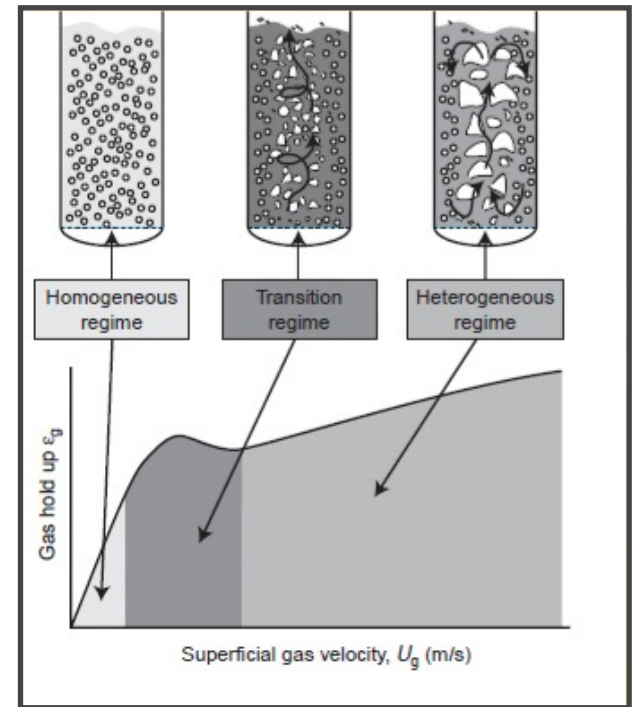
Bubble column reactors, where **gas is injected at the bottom of an initially stagnant liquid**, are widely used in chemical engineering

- Hydrogenation (Fischer-Tropsch synthetic fuels production)
- Wet management (wet oxidation)
- Flotation units (deinking of paper, extraction of rare metals)



# Bubble column reactors

- The homogeneous regime is reached at low gas velocities**
  - Presents a quasi-linear relation between void fraction versus the gas superficial velocity
- No clear consensus in the transition between homogeneous and heterogeneous regime**
  - Recurrently linked with the existence of bubble coalescence
- The heterogeneous regime occurs at larger gas velocity conditions**
  - Gas hold-up experiences a slower increase than in the homogeneous regime



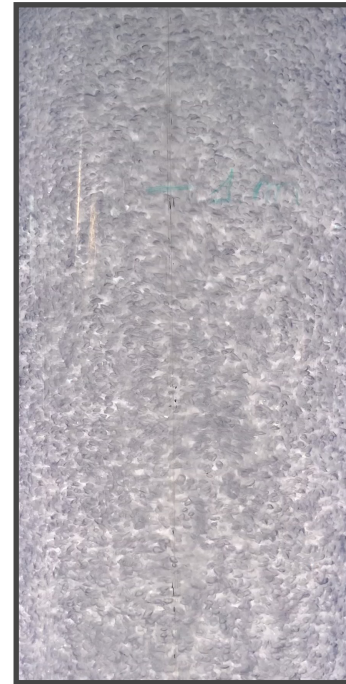
Forret et al, *Oil & Gas Science and Technology-Revue de l'IFP*, 2006

$$v_{sg} = \frac{\text{Gas flowrate}}{\text{Column surface}}$$

$\epsilon_g$ : global gas hold-up

# Bubble column reactors

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- 2. No clear consensus in the transition between homogeneous and heterogeneous regime**
  - Recurrently linked with the existence of bubble coalescence
- 3. The heterogeneous regime occurs at larger gas velocity conditions**
  - Gas hold-up experiences a slower increase than in the homogeneous regime



- Usually, the transition is considered to be caused by coalescence between bubbles
- However, some authors such as Chaumat *et al.* (Chem Eng Sci., 2005) have not detected the presence of large bubbles in the heterogeneous regime
- An alternative mechanism will be the agitation generated by the shear between clusters of bubbles

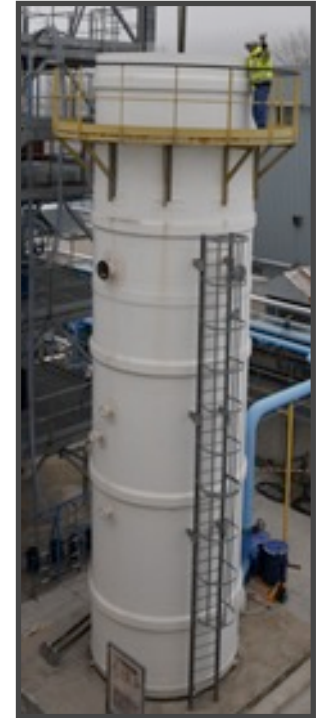
# Up-scaling issues in the heterogeneous regime

Several numerical and experimental studies look for scaling laws of relevant parameters ( $\varepsilon_g, v_G, v_L$ ) that can be **extrapolated to industrial reactors**:

- Experiments are performed in relatively small bubble columns ( $D < 1\text{ m}$ )
- Numerical simulations

## Current state of the art

- No consensus over scaling laws of involved quantities
  - Besagni et al. (2016) reviews 37 scaling laws only for the global void fraction
- Ad hoc closures are still needed in numerical simulations:
  - To quantify the void fraction  $\varepsilon_g$ , it is possible to tune the bubbles size distribution (coalescence) and/or the drag coefficient



$$v_{sg} = \frac{Q_{gas}}{S_{Section}}$$

$\varepsilon_g$ : global void fraction

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**No attention has been paid to time-dependent parameters**

# Unsteady operation of bubble columns

## Case 1 Startup and shutdown



### Startup times

The time that takes the bubble column to reach a statistically steady regime

# Unsteady operation of bubble columns

## Case 1

### Startup and shutdown



#### Startup times

The time that takes the bubble column to reach a statistically steady regime

## Case 2

### Fluctuations in the steady regime

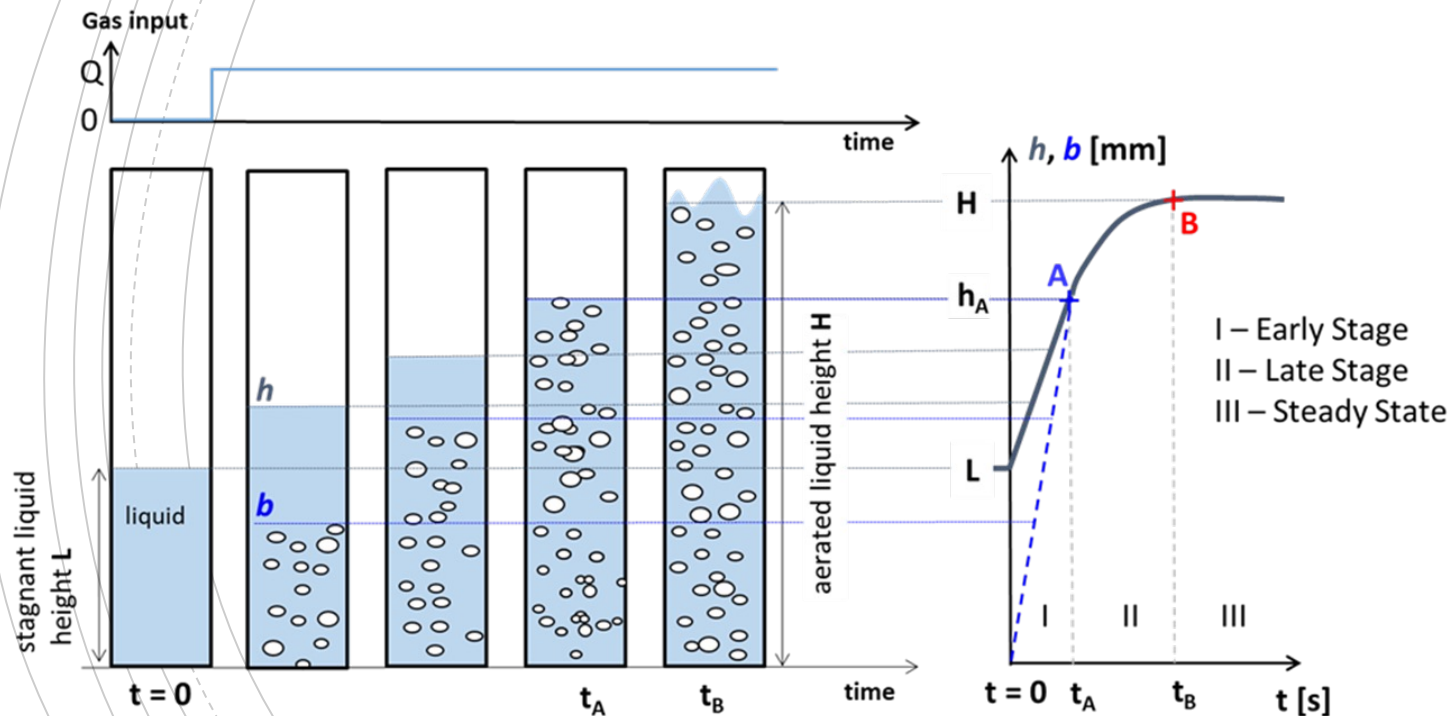


#### Turbulent fluctuations

The fluctuations of the flow within a statistically steady regime

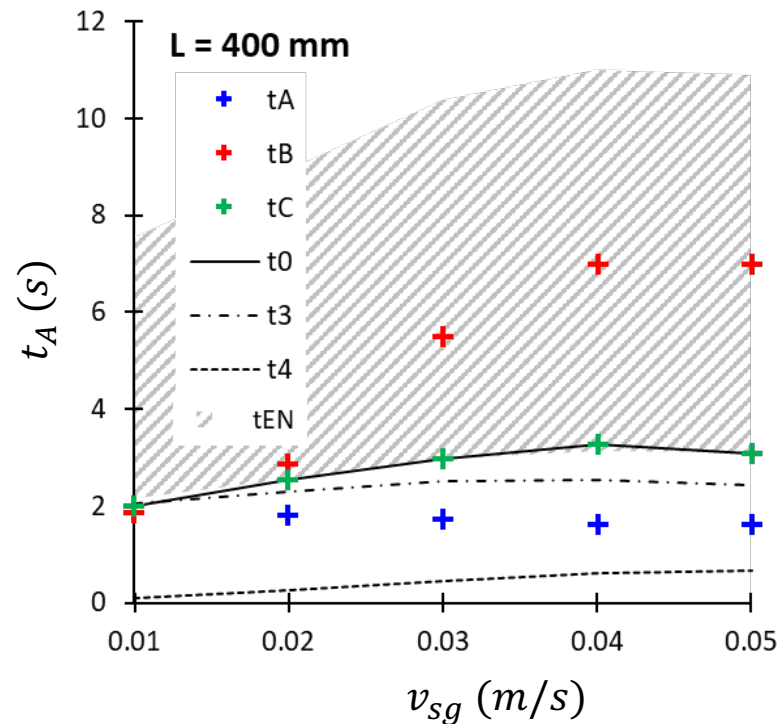
# Unsteady operation of bubble columns – Case 1

- A recent work quantified start-up and shutdown times in the homogeneous regime (low  $v_{sg}$ )
- Quantified through early and late-stage times ( $t_A$  and  $t_B$ )
- The free surface is recorded and different initial heights tested



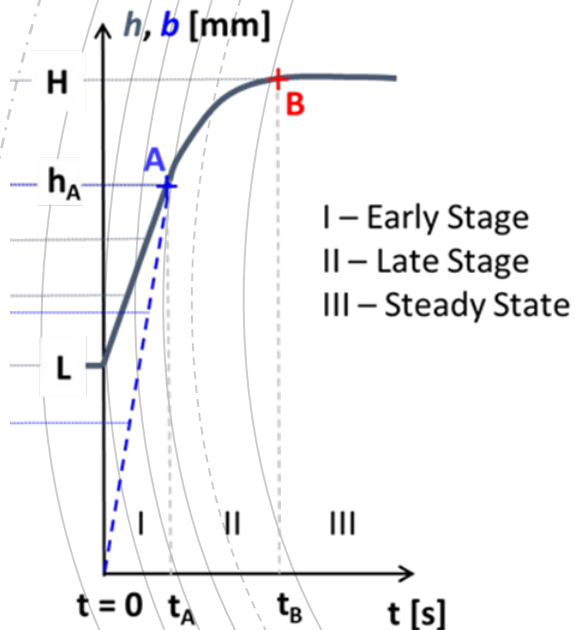
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- A recent work quantified start-up and shutdown times in the homogeneous regime (low  $v_{sg}$ )
- Quantified through early and late-stage times ( $t_A$  and  $t_B$ )
- The free surface is recorded for a bubble column with  $D = 0.14m$



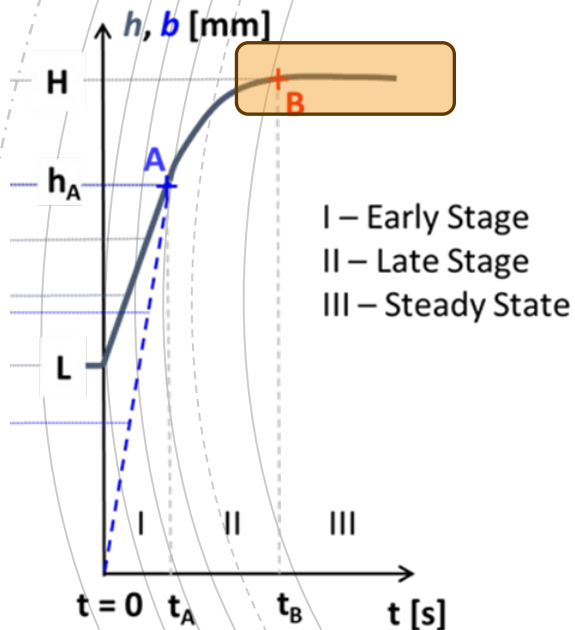
# Unsteady operation of bubble columns – Case 2

- An optical probe resolves in time the local void fraction
- A moving average produces a time-resolved continuous time signal
- The turbulent nature of the flow implies the presence of large fluctuations even in steady operating regimes



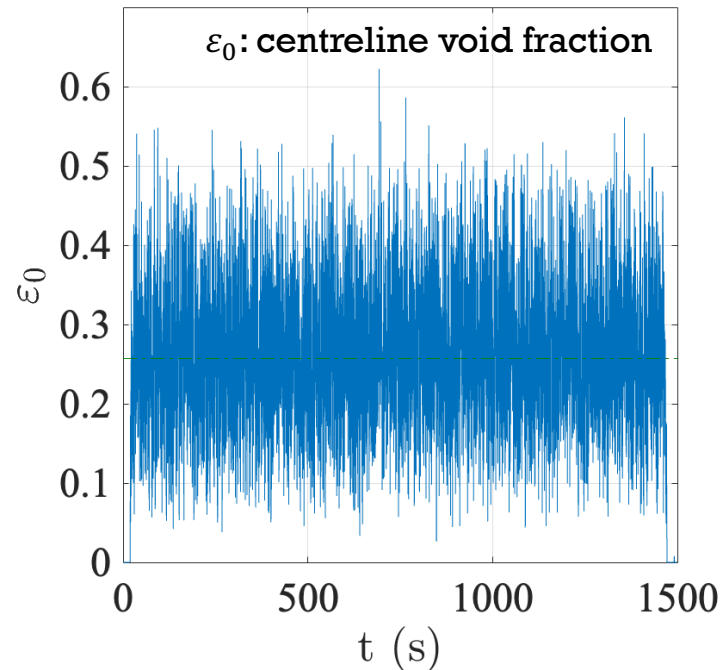
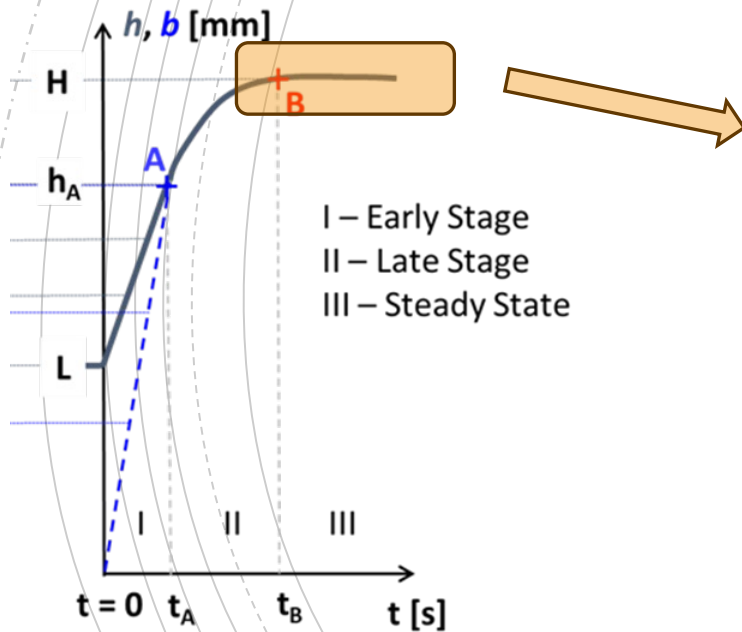
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2. Study the local time-resolved void fraction
3. Spectral analysis, autocorrelation, etc...



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## Experimental strategy:

- Tests in bubble columns with different diameters ( $0.08\text{m} < D < 1\text{m}$ )
- Use optical probes with similar properties
- Comparison with the literature



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3. Spectral analysis, autocorrelation, etc...



Label	Column diameter (m)	Distributor orifice (mm)	$v_{sg}$ (cm/s)	Regimes
Pr8	0.08	0.5	1.3-20.1	3 Regimes
Pr14-1	0.14	1.6	1.3-20.1	Heterogeneous
Pr14-2	0.14	1.6	1.3-20.1	Heterogeneous
Pr14-3	0.14	1.0	1.3-20.1	3 Regimes
Pr14-4	0.14	0.5	1.3-20.1	3 Regimes
Pr19	0.19	0.5	1.3-20.1	3 Regimes
Pr40	0.40	0.5	1.3-20.1	3 Regimes
LEGI40	0.40	1.0	1.3-16.0	3 Regimes
IFP100	1	2.0	3.0-35.0	Heterogeneous

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Label	Column diameter (m)	Distributor orifice (mm)	Liquid height (mm)	Probe height (mm)
Pr8	0.08	0.5	800	560
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Pr40	0.40	0.5	800	560
LEGI40	0.40	1.0	2000	1450
IFP100	1	2.0	4000	2500

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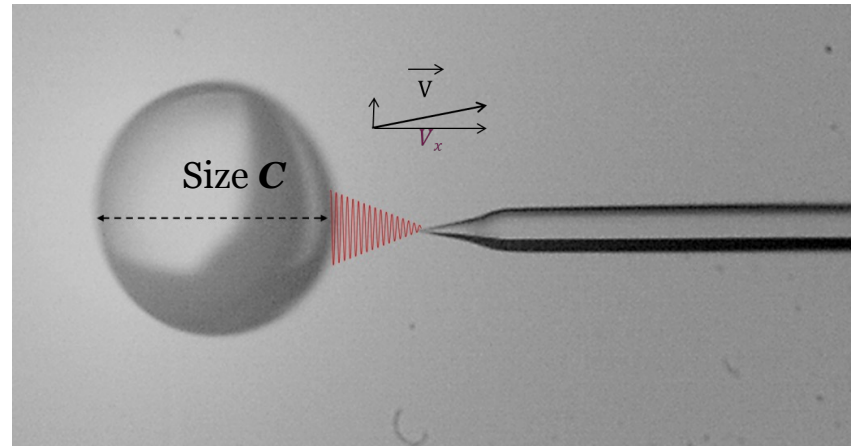
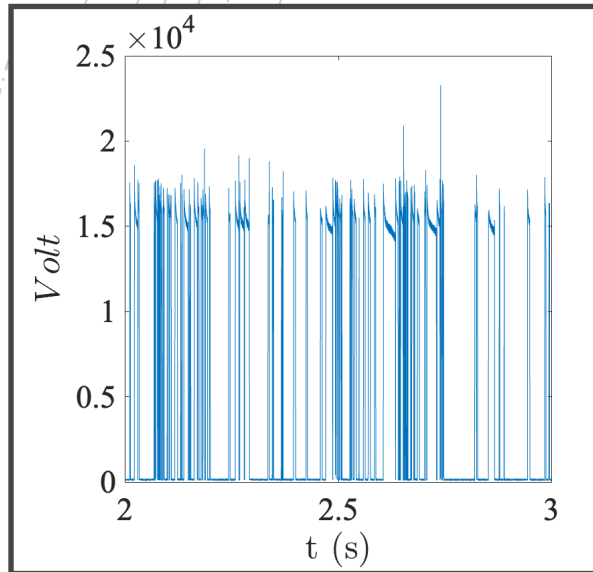
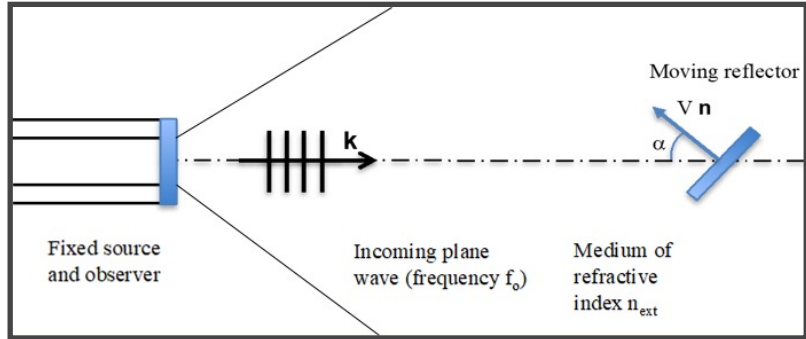


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# Doppler optical probes

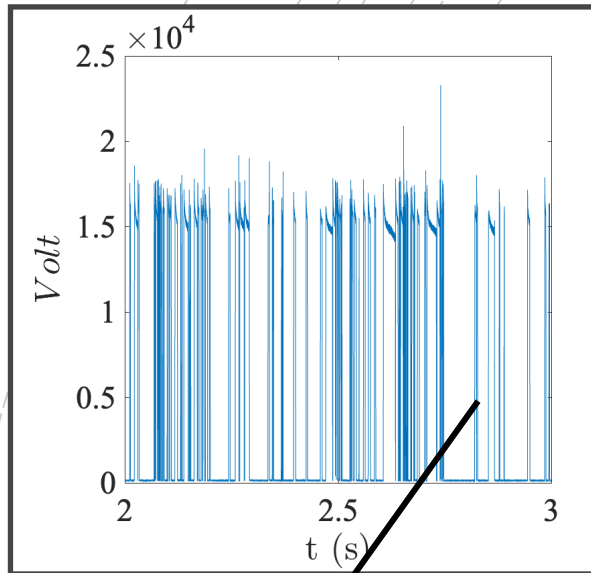
## Principle: Doppler shift with an optical fiber

$$f_D = 2 \frac{V |\mathbf{n} \cdot \mathbf{k}|}{\lambda_0 / n_{\text{ext}}}$$

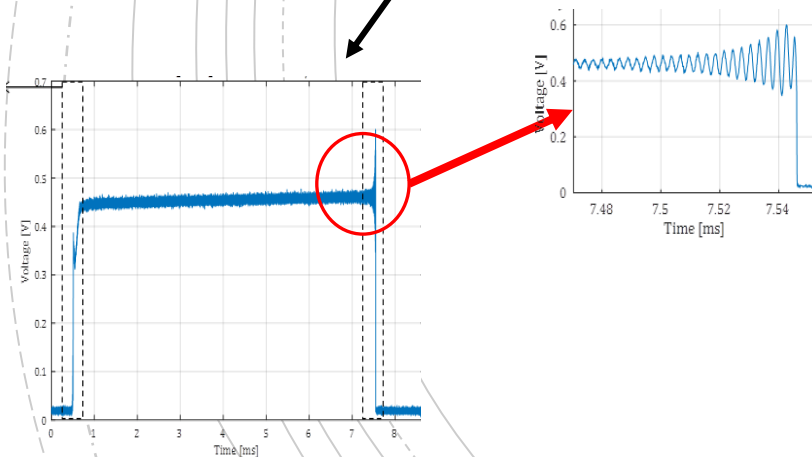


# Doppler optical probes

## Measurement principle and signal processing



→  $T_g, T_a$  for each bubble →  $\langle \varepsilon_g \rangle = \frac{\sum T_g}{T_{total}}$   
**Local gas hold-up**



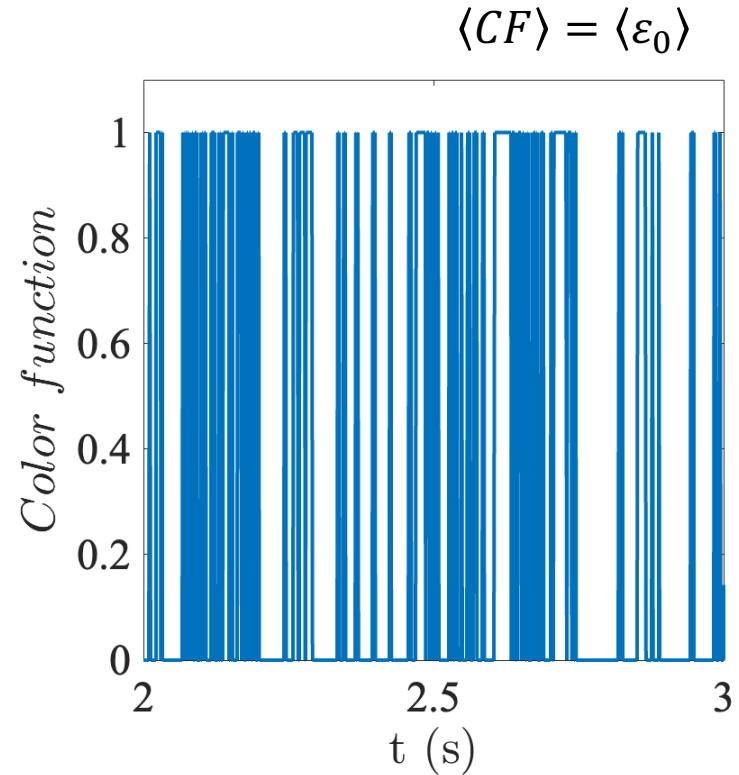
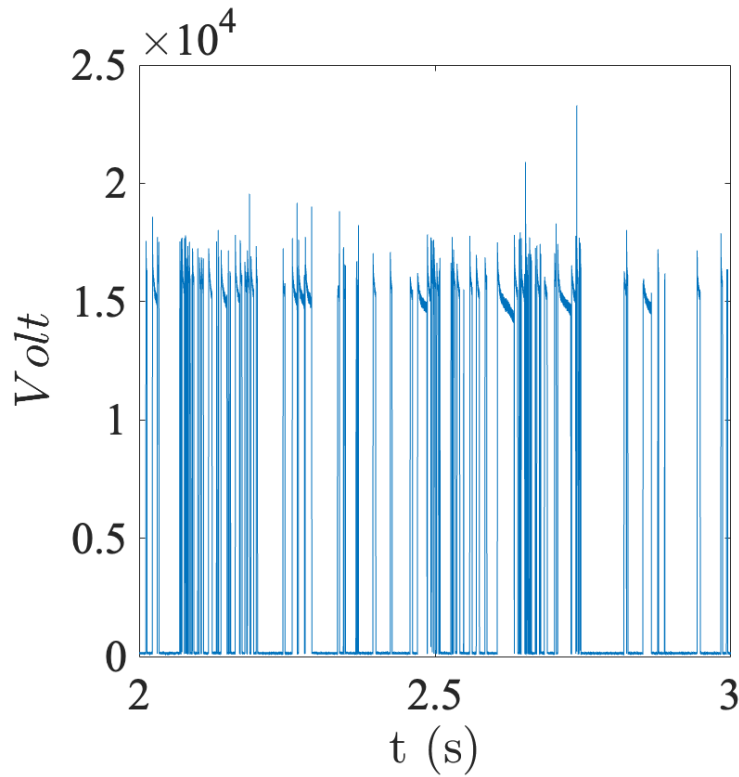
→ Gas velocity → **Gas velocity statistics**

Selection criteria:

- Number of successive periods  $n$
- Period homogeneity  $\epsilon$

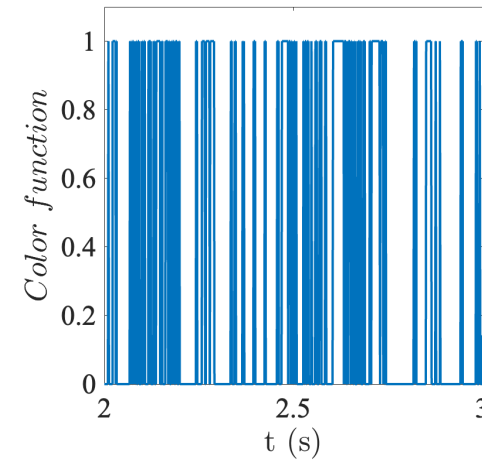
# Time-resolved void fraction estimation

**Step 1:** the raw signal is binarized ( $CF = 1$  in air)

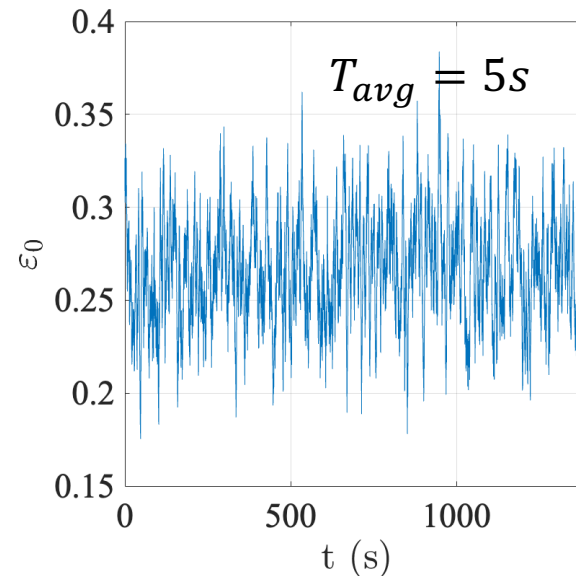
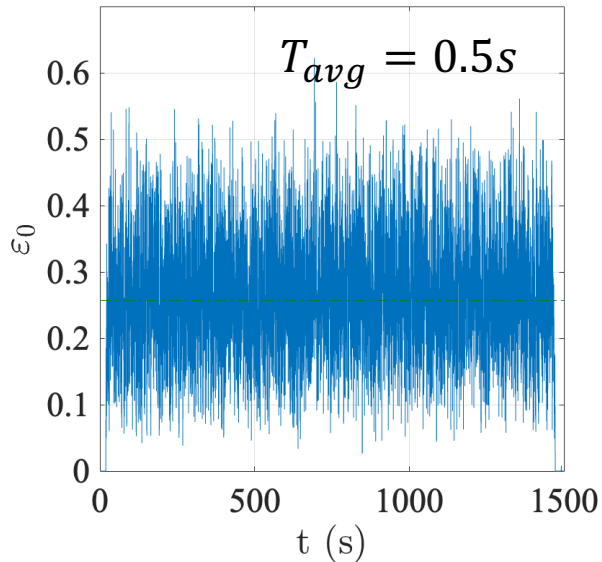


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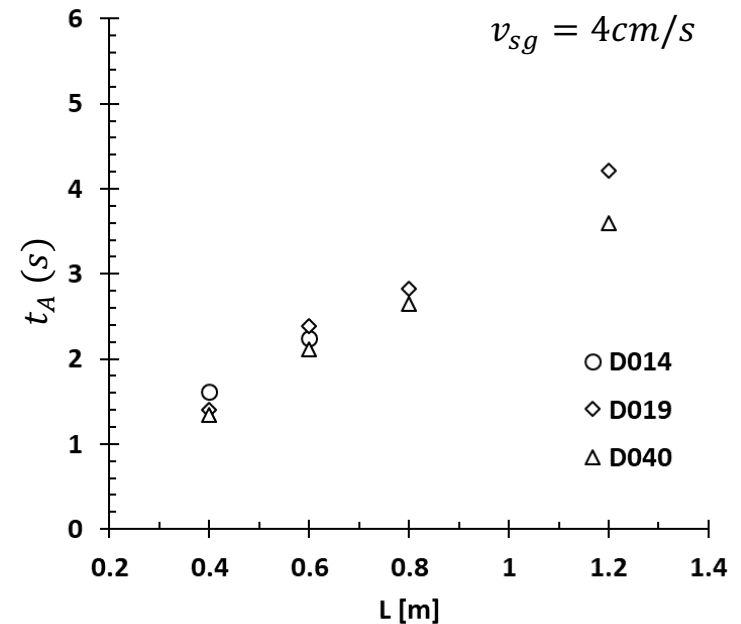
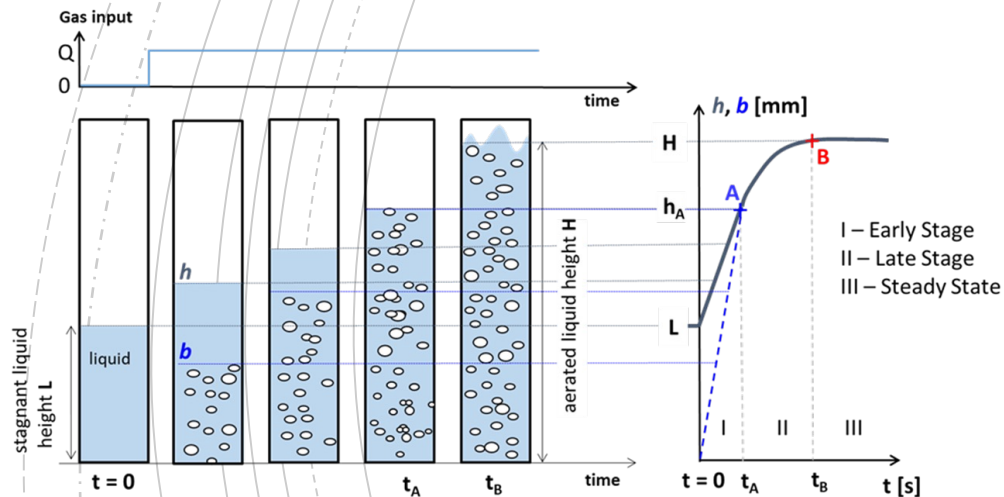


**Step 2:** a moving average produces  $\varepsilon_0(t)$



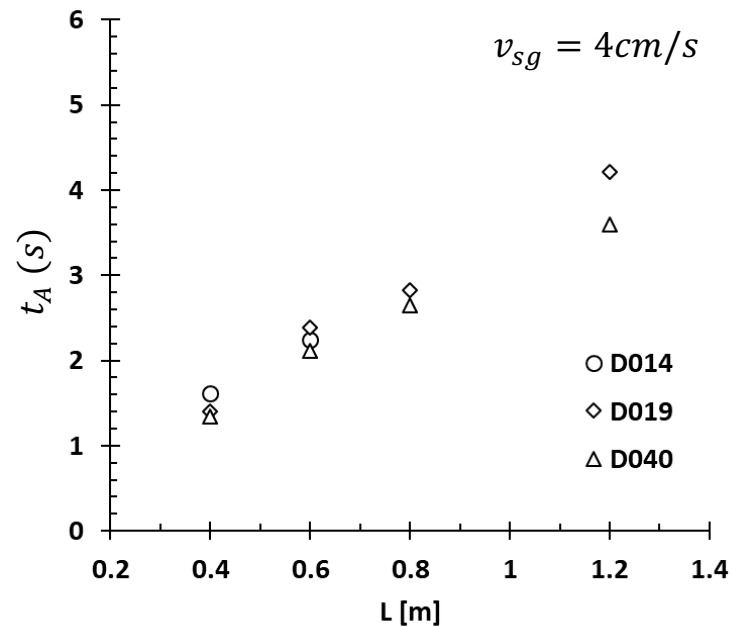
# Results: startup times (case 1)

- A stopwatch was used to measure the rising time
- Effect of the column diameter, and liquid height  $L$  on  $t_A$



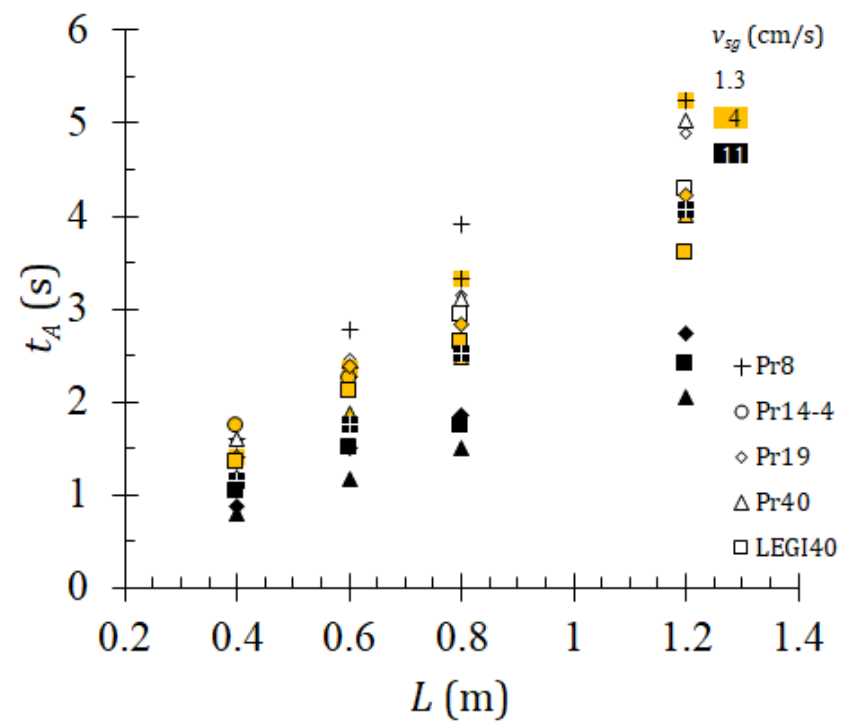
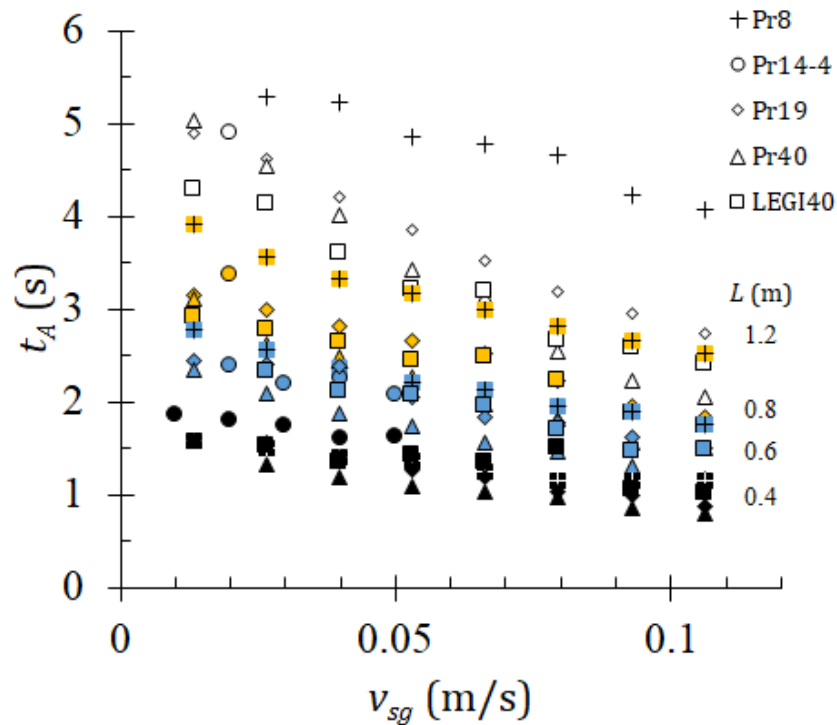
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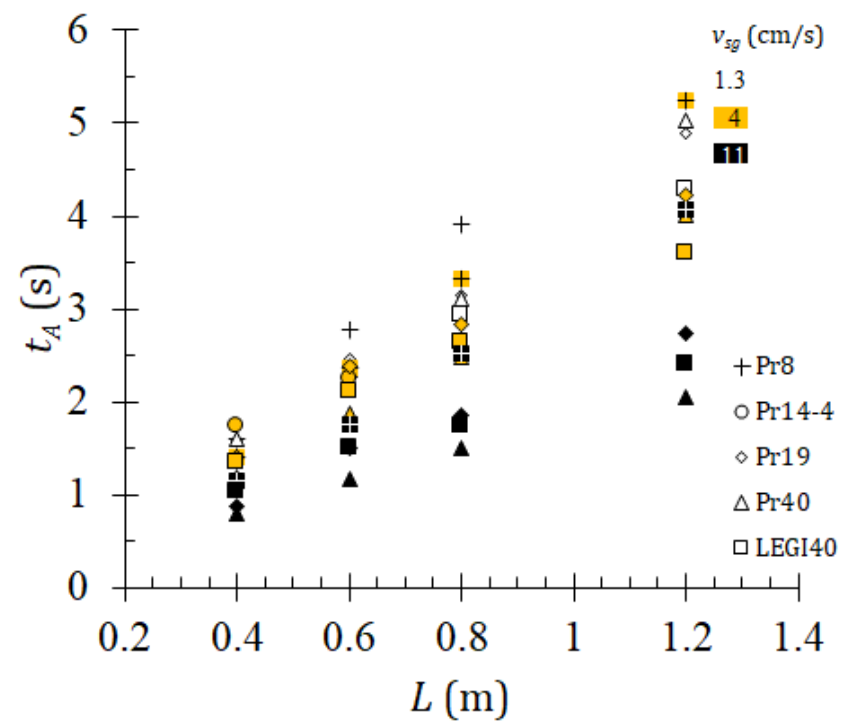
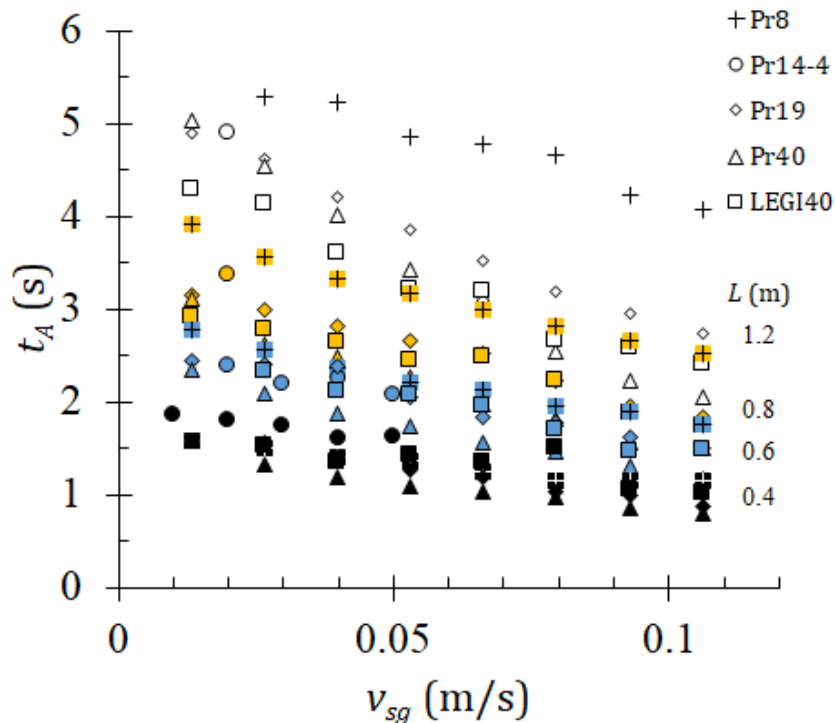
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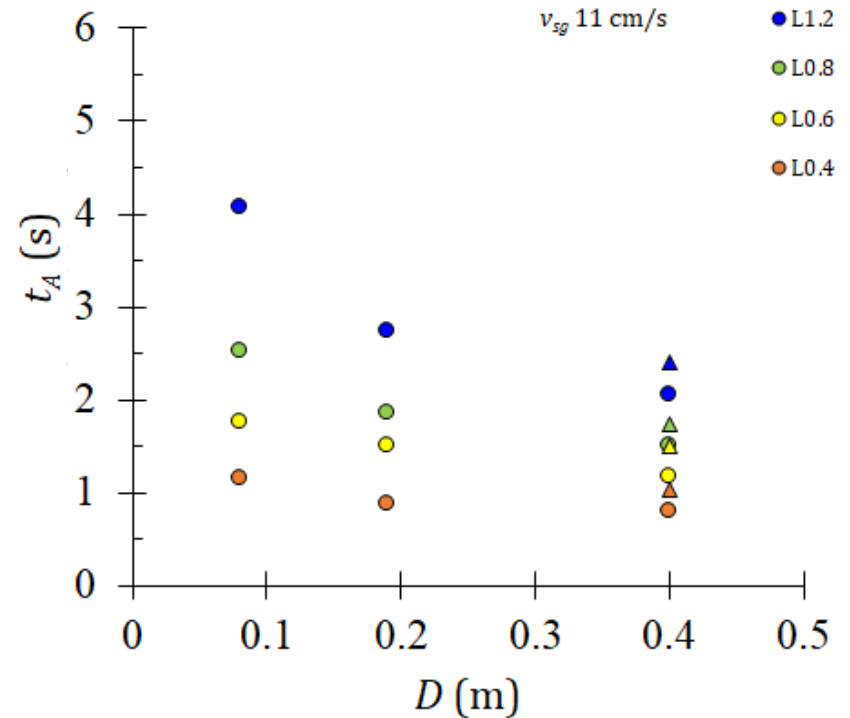
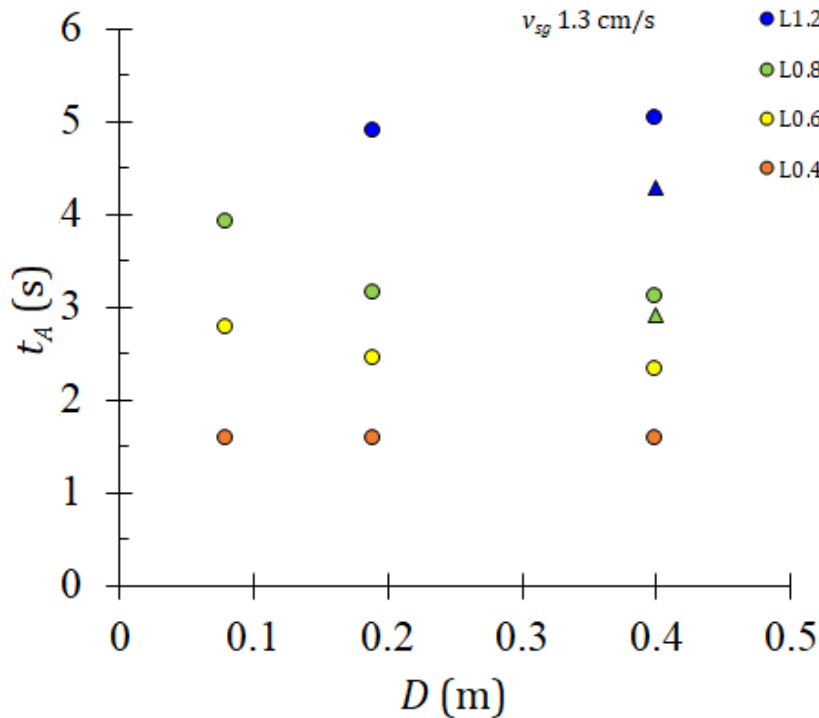
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- The startup time has a dependency with the diameter
- A linear trend is observed, independently of the regime



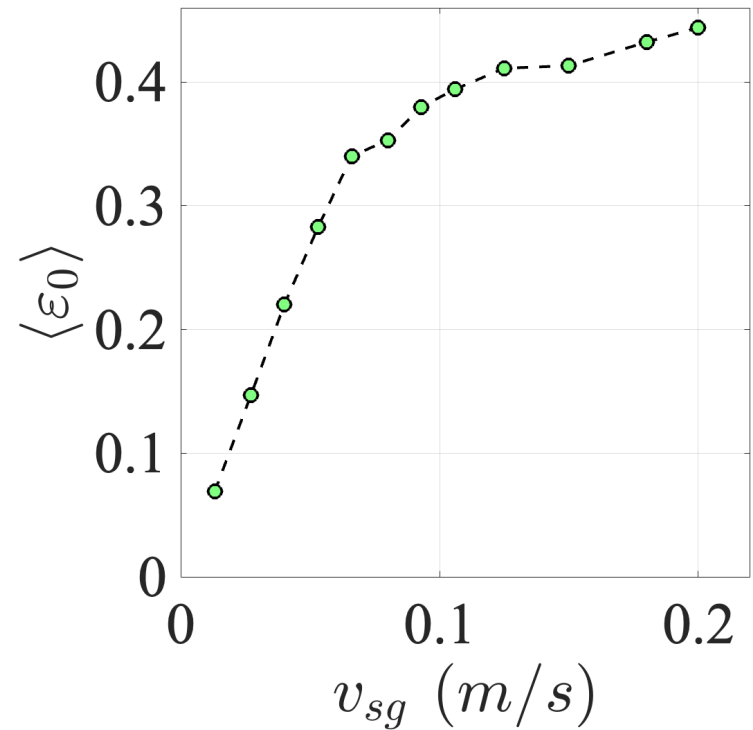
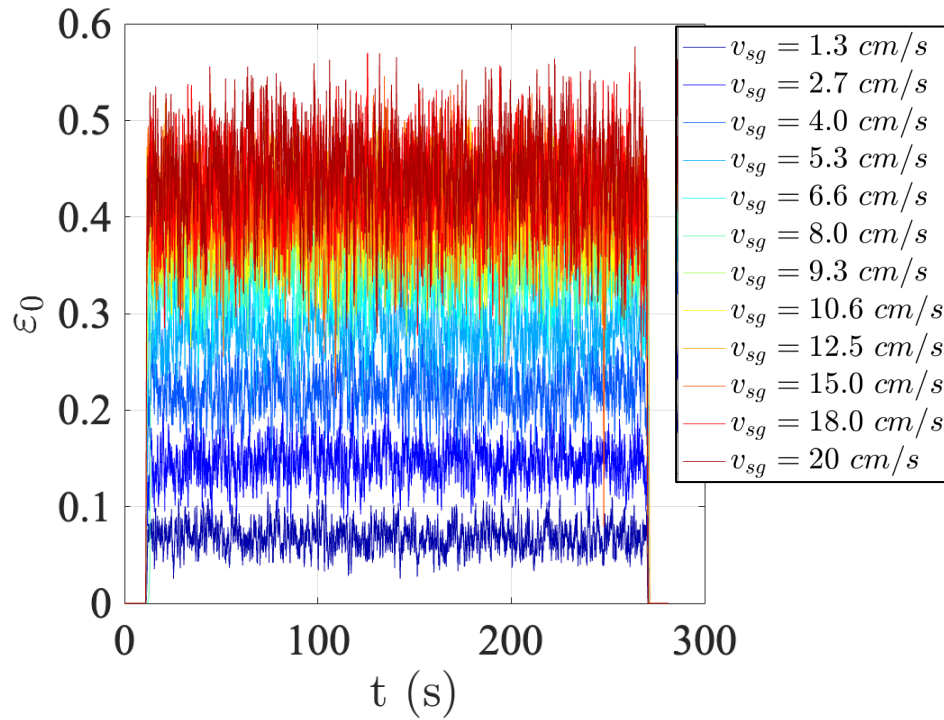
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- The startup time has a dependency with the diameter
- The dependency is only relevant in the heterogeneous regime



# Results: turbulent fluctuations (case 2)

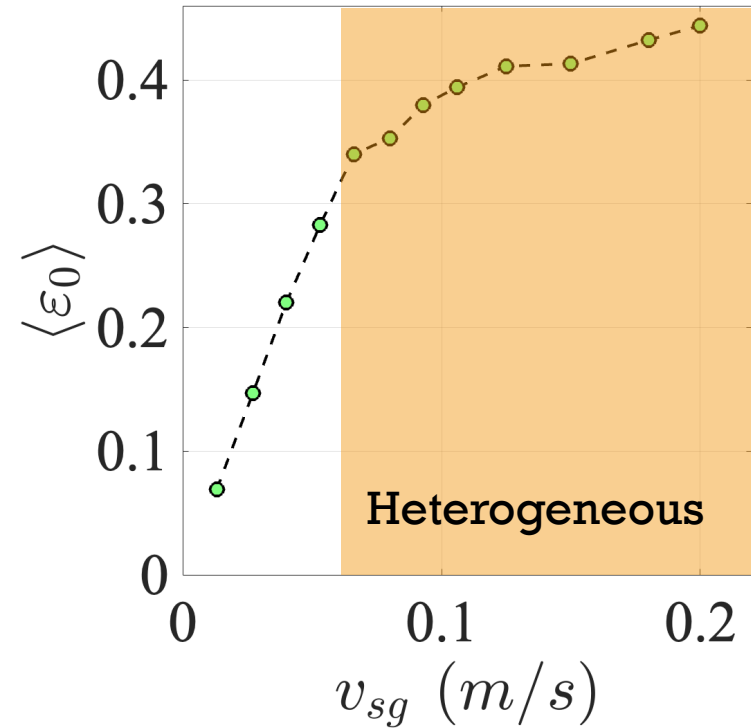
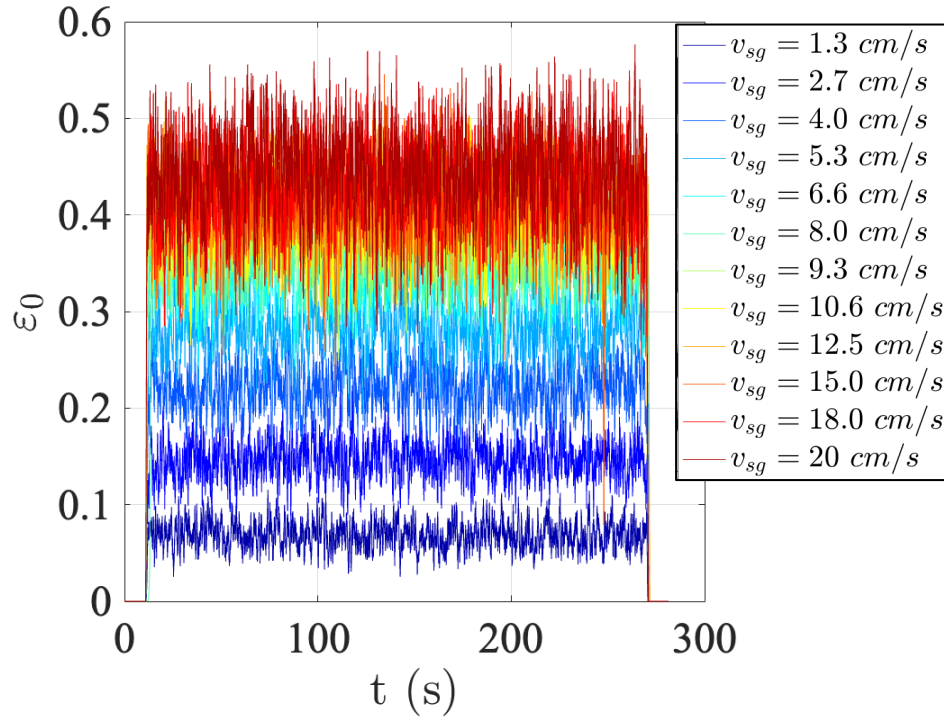
**Example:** Centreline measurements,  $D = 14\text{cm}$ ,  $v_{sg} \in [1.3, 20]\text{cm/s}$



The transition between homogeneous and heterogeneous regime is captured ( $v_{sg} \sim 5\text{cm/s}$ )

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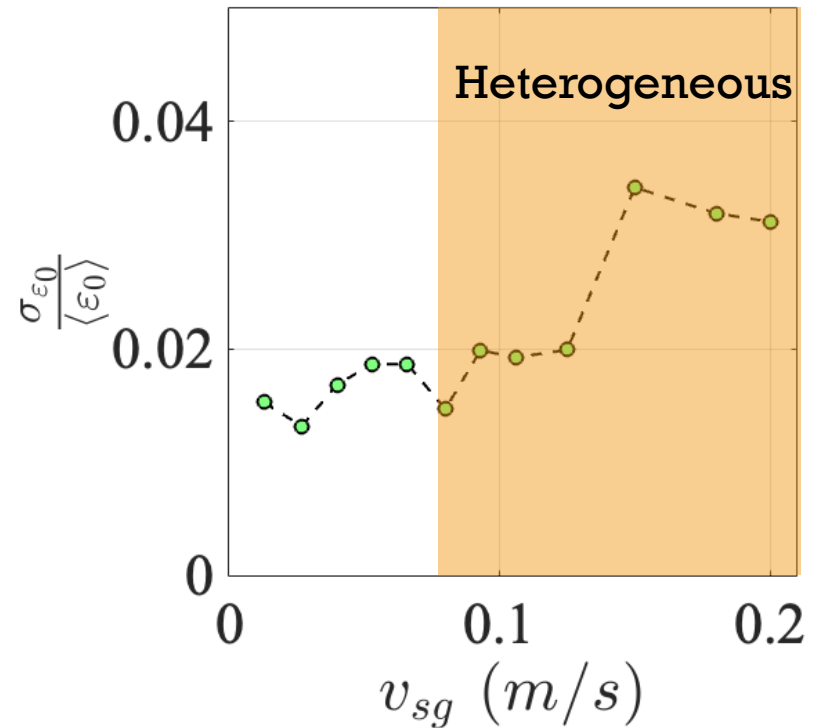
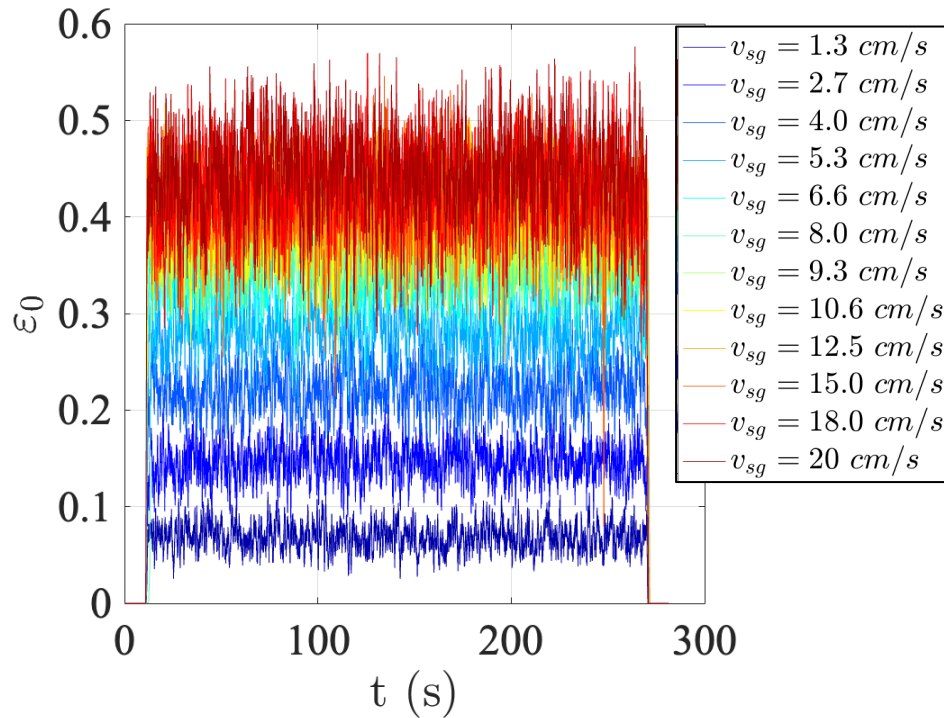
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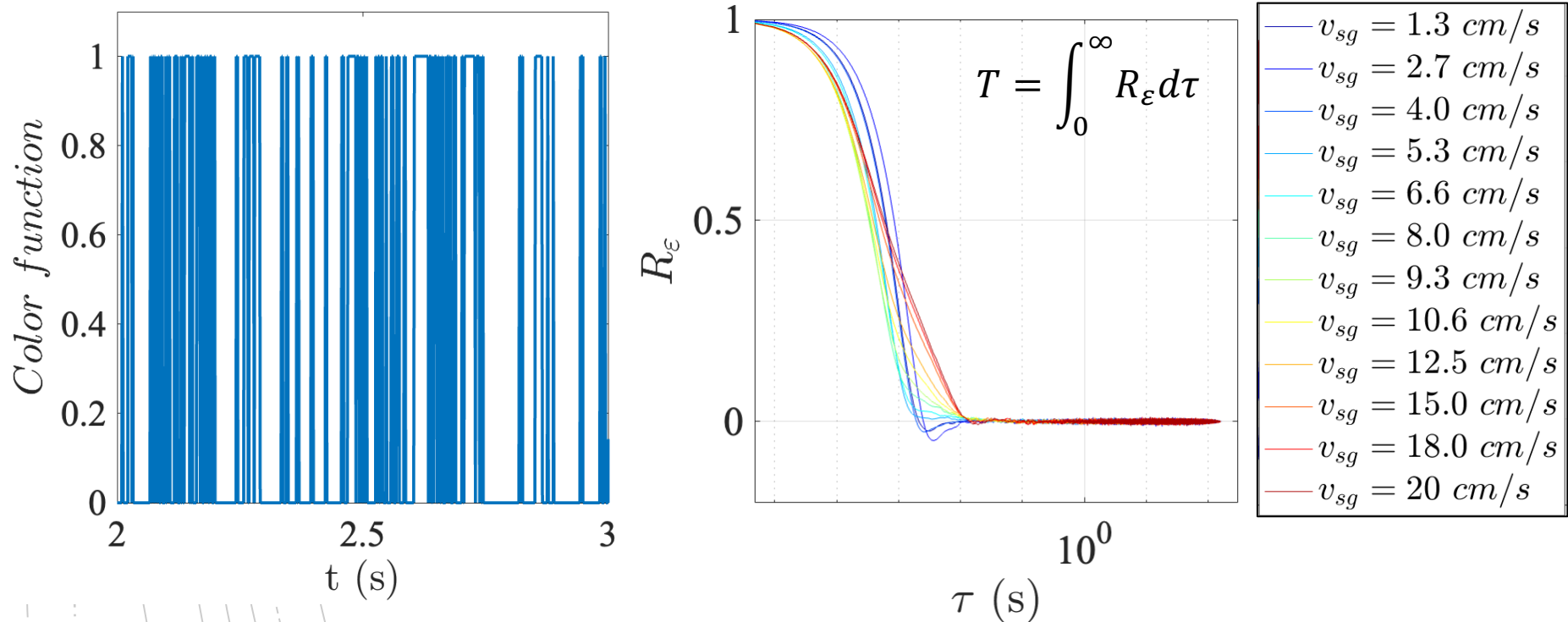
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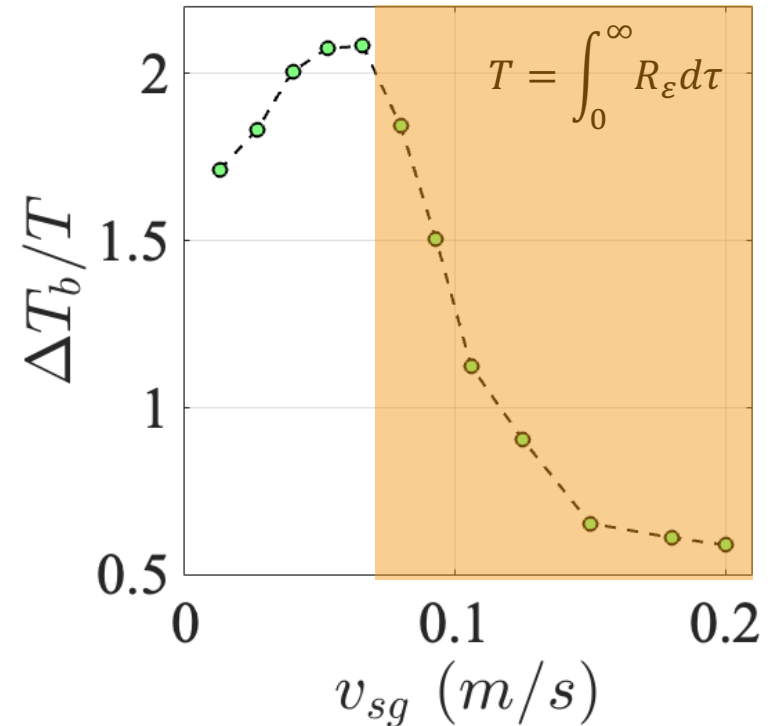
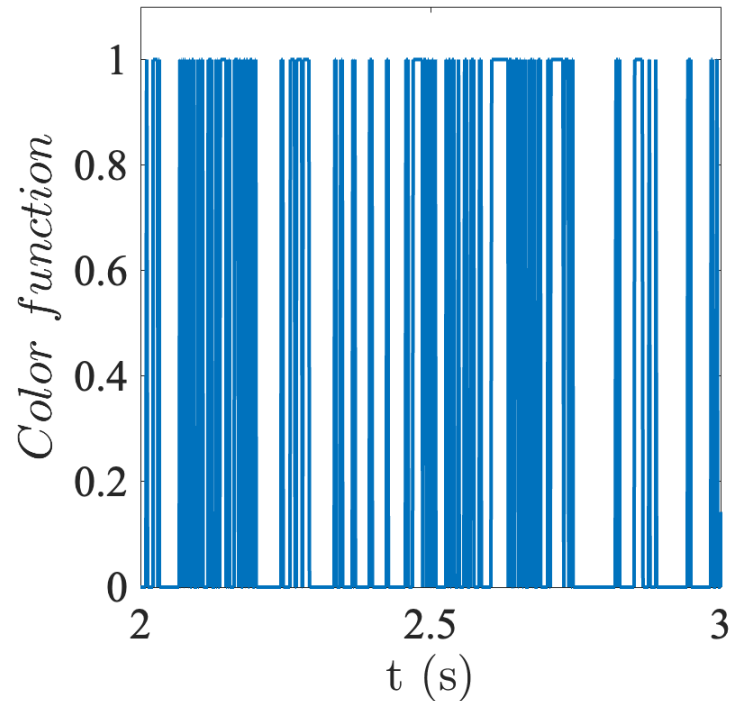


Two time scales can be extracted:

- Correlation time  $T$
- Average time between bubbles  $\Delta T_b$

# Results: turbulent fluctuations (case 2)

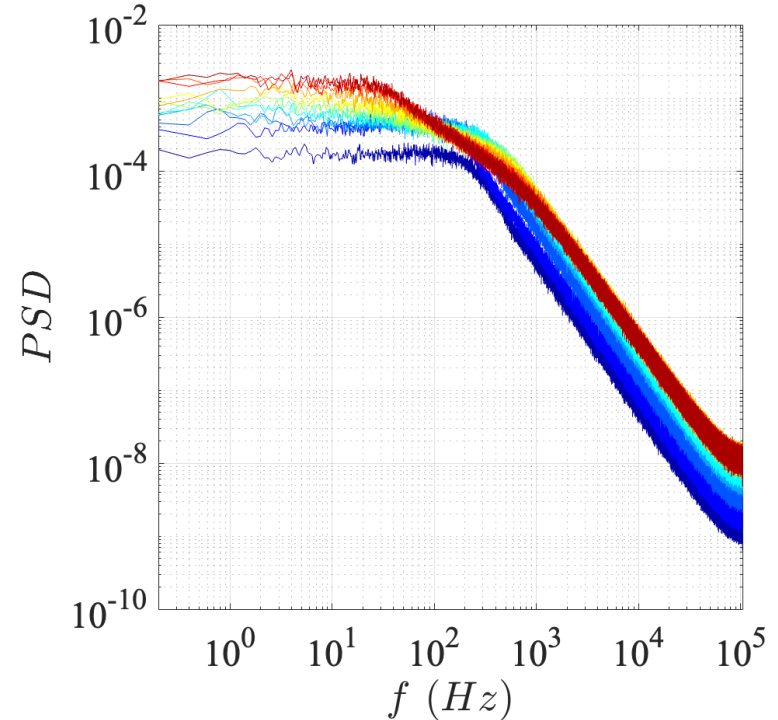
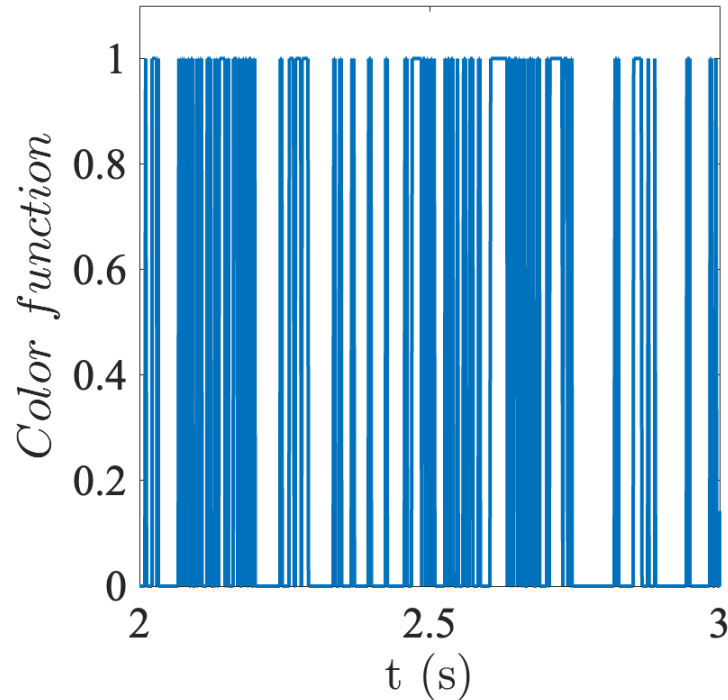
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The heterogeneous regime presents  $\Delta T_b < T$

# Results: turbulent fluctuations (case 2)

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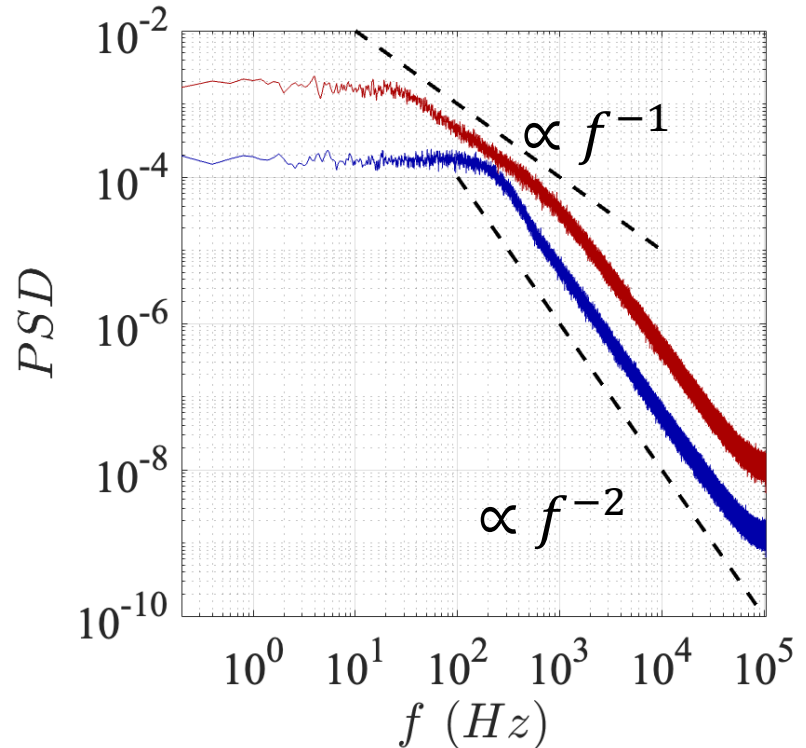
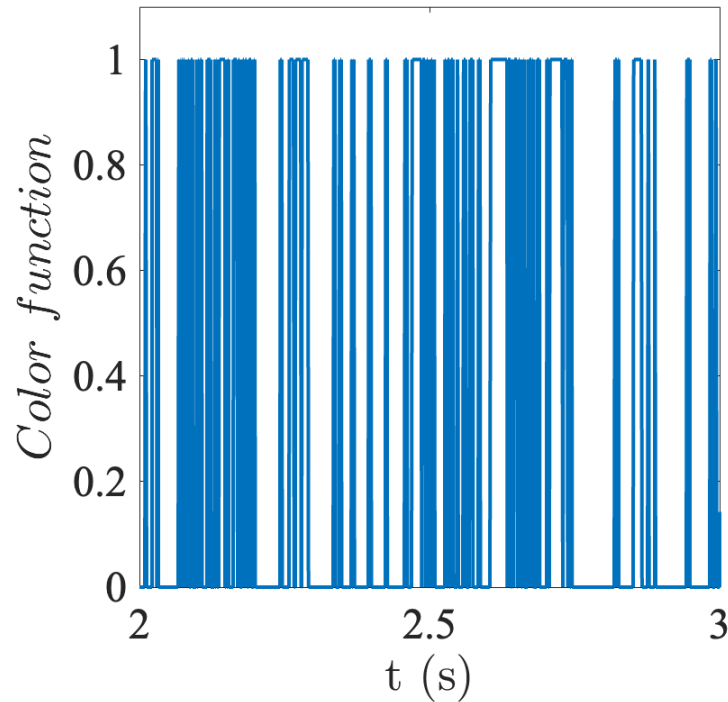


All spectra present two regimes:

1. A plateau at low frequencies
2. A  $f^{-2}$  power law (low-pass filter)

# Results: turbulent fluctuations (case 2)

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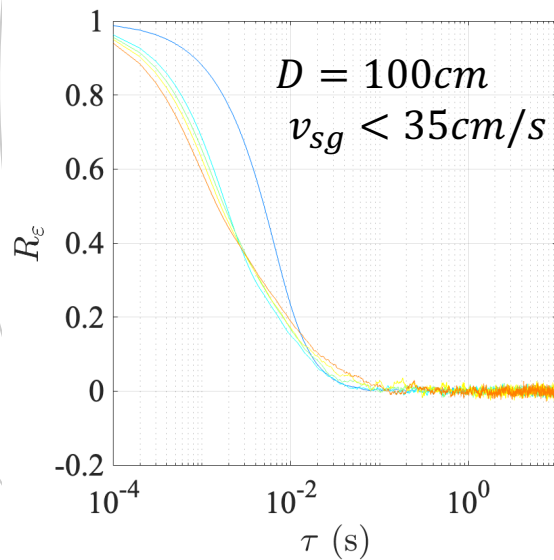
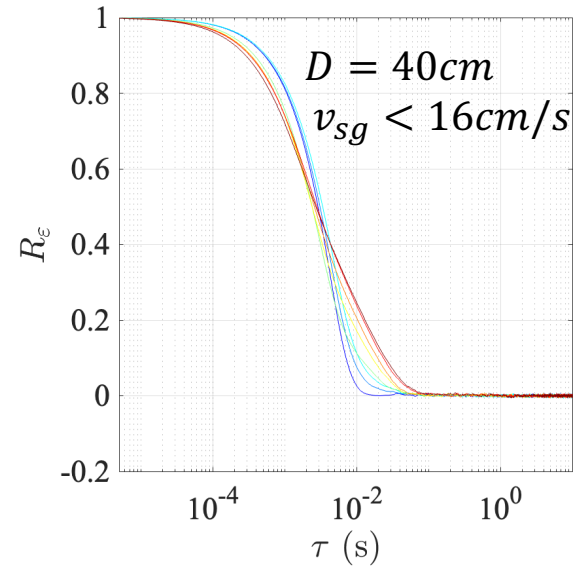
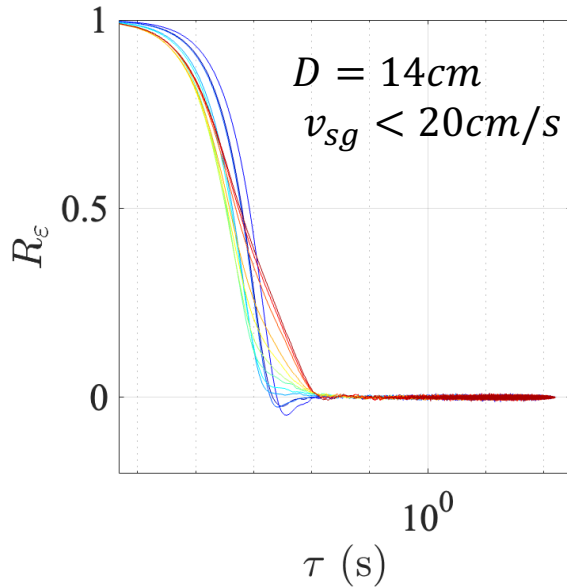


**Only in the heterogeneous regime:**

1. A plateau at low frequencies
2. A  $f^{-2}$  power law (low-pass filter)
3. An intermediate  $f^{-1}$  power law (meso-scale structures)

# Results: turbulent fluctuations

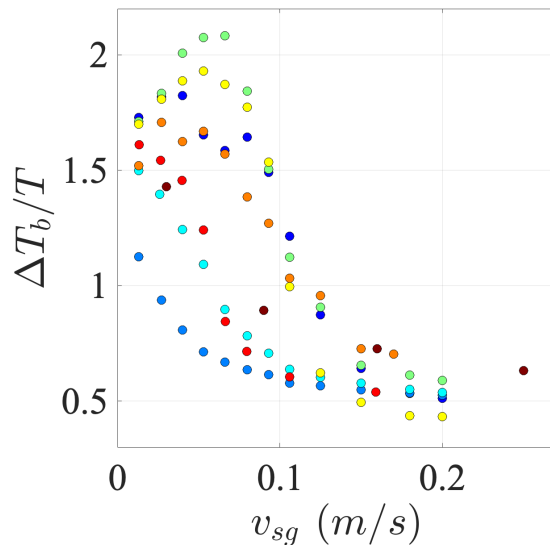
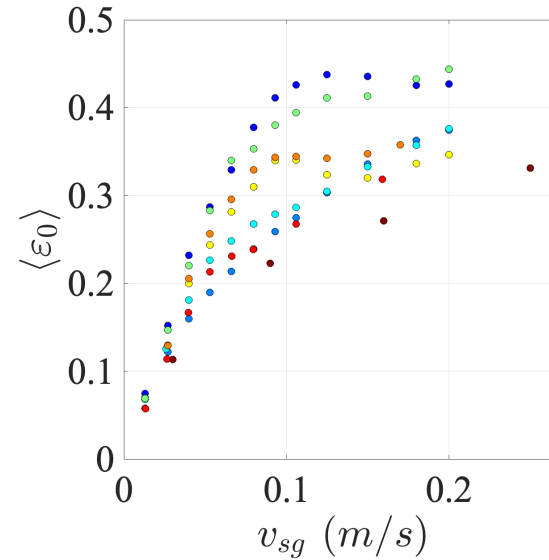
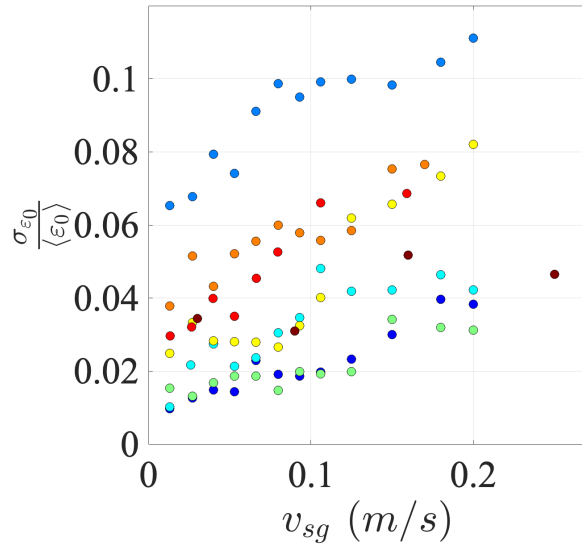
**All diameters studied**



The same functional form is observed for the autocorrelation functions  $R_\epsilon(\tau)$

# Results: turbulent fluctuations

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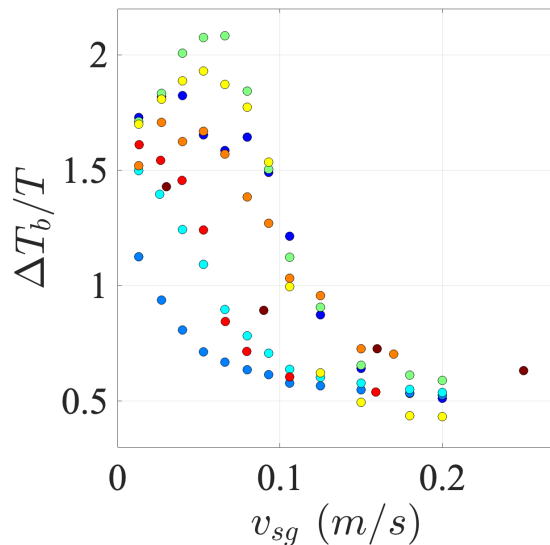
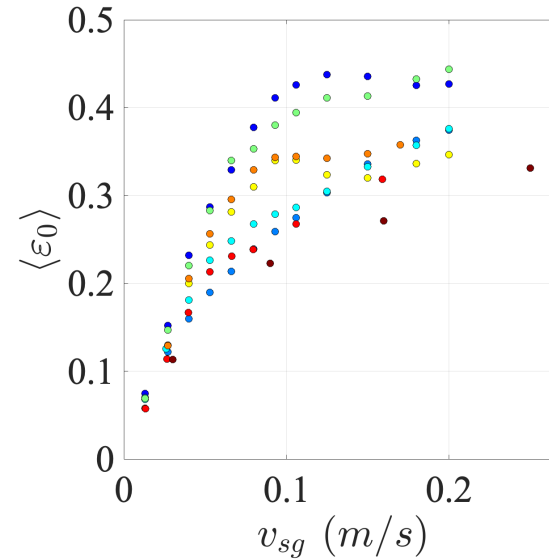
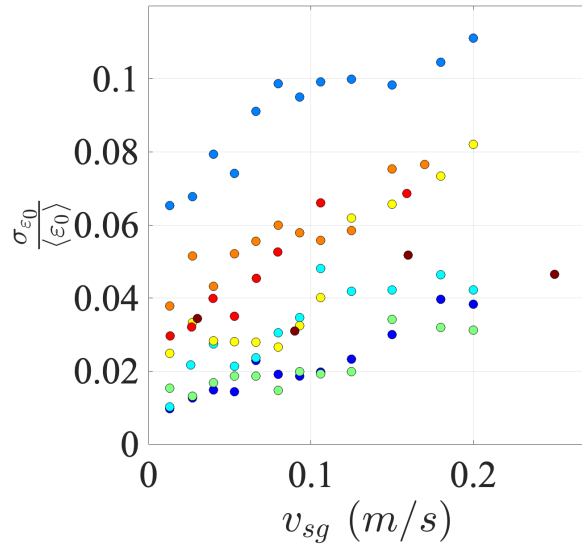


- *Pr8*
- *Pr14 - 1*
- *Pr14 - 3*
- *Pr14 - 4*
- *Pr19*
- *Pr40*
- *Legi40*
- *IFP100*
- *RPP*

Label	Column diameter (m)	Distributor orifice (mm)
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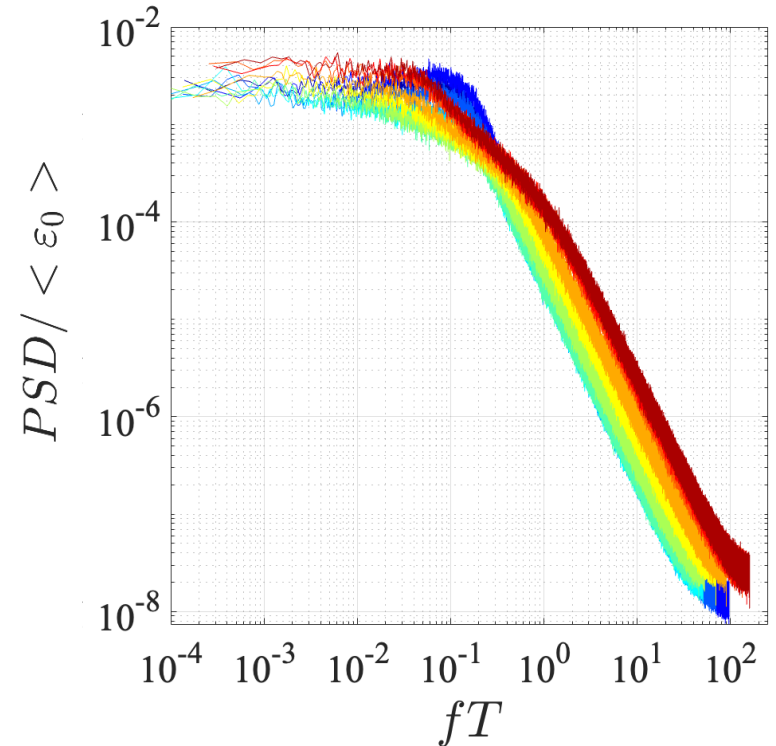
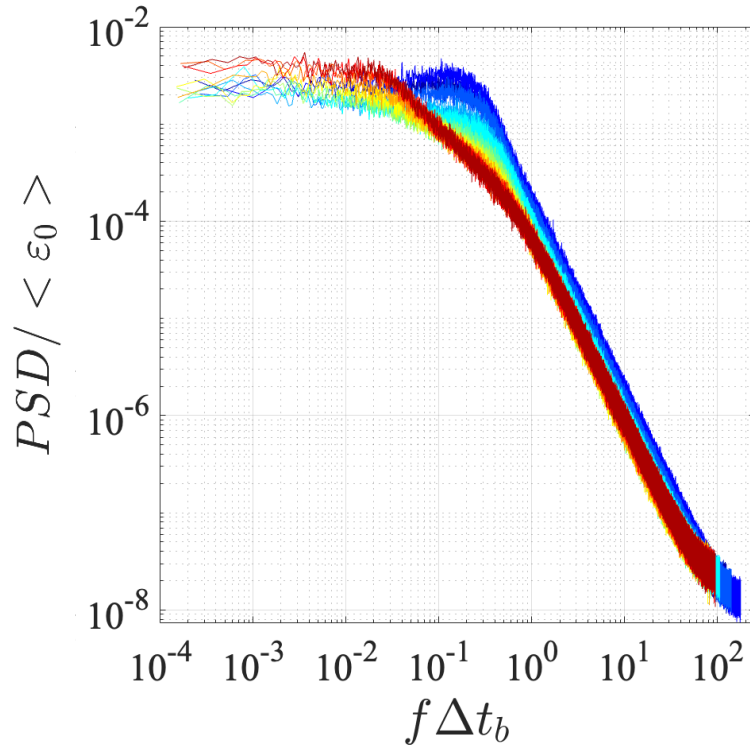
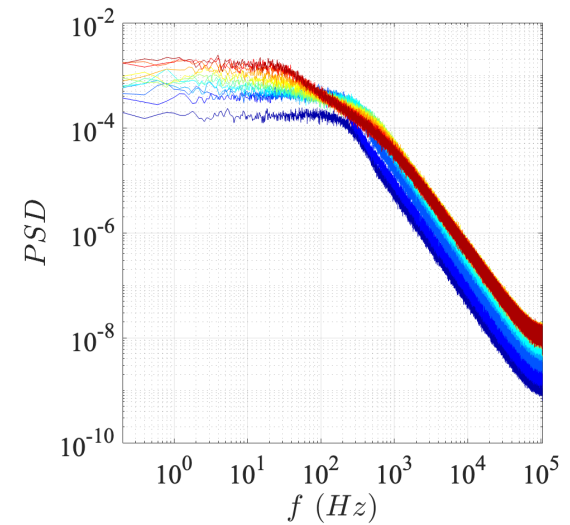
- The same trend is observed for all diameters
- A peak is observed for  $\Delta T_b/T$  only for some cases

# Results: turbulent fluctuations

All diameters studied: spectral analysis

Two possible normalisations:  $\Delta T_b$  and  $T$

Results for  $D = 14\text{cm}$

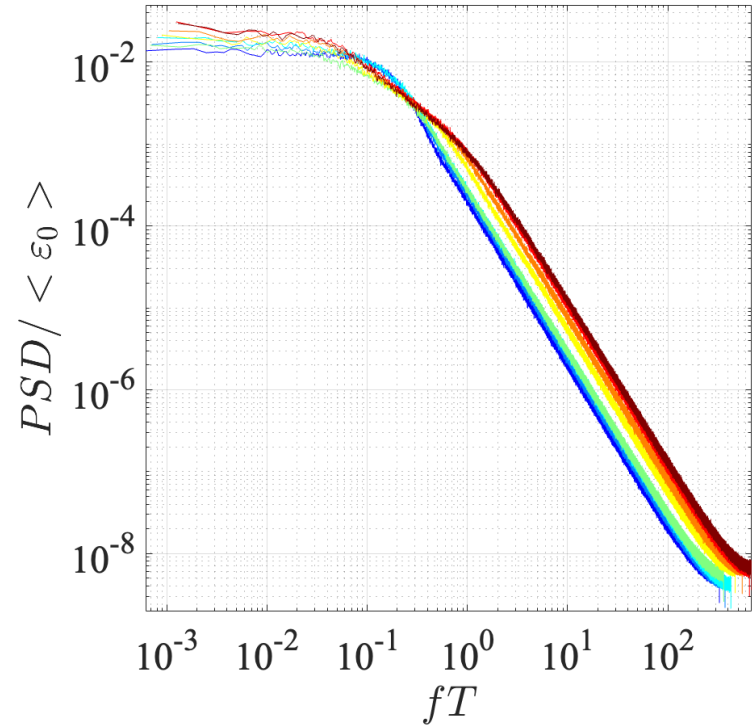
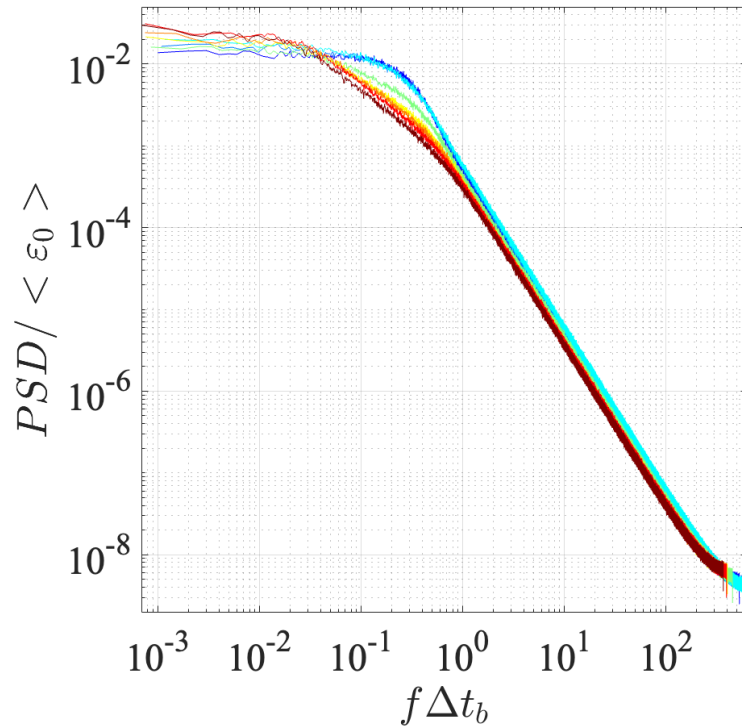
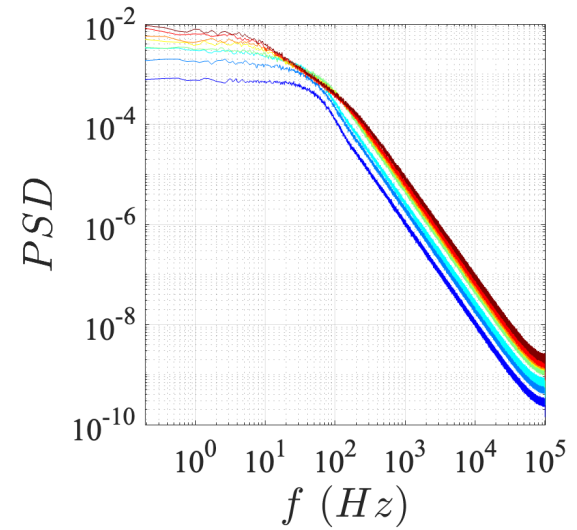


# Results: turbulent fluctuations

All diameters studied: spectral analysis

Two possible normalisations:  $\Delta T_b$  and  $T$

Results for  $D = 40\text{cm}$

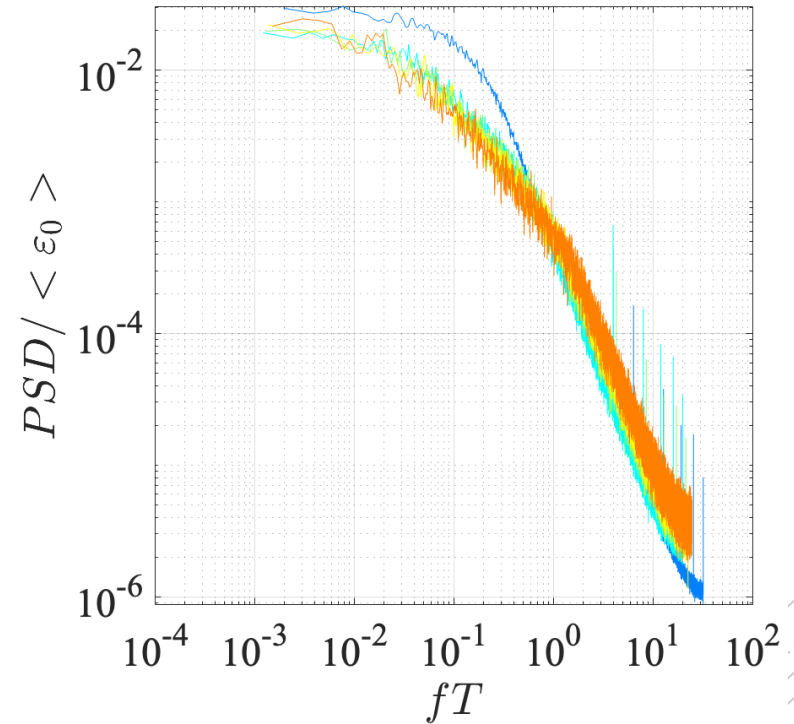
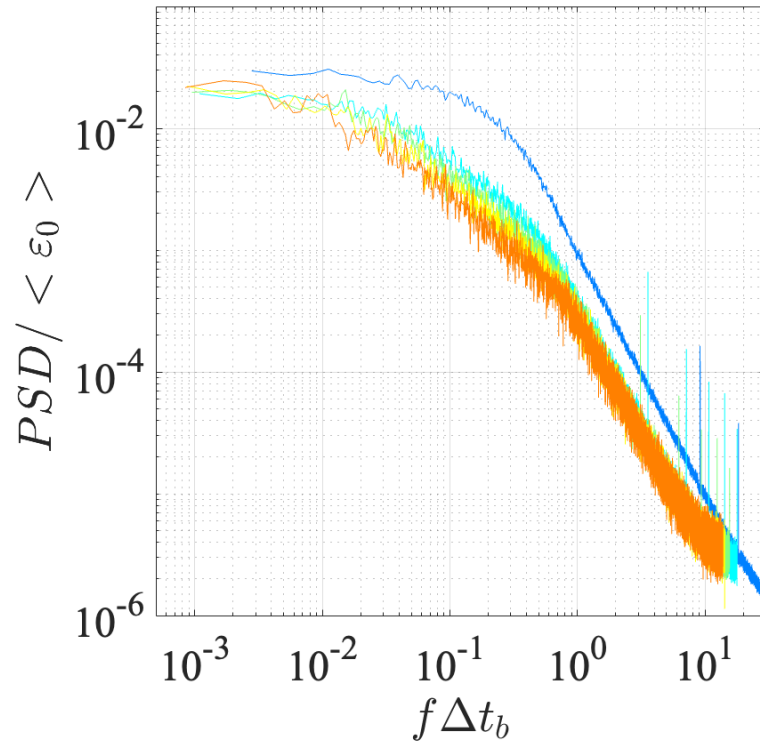
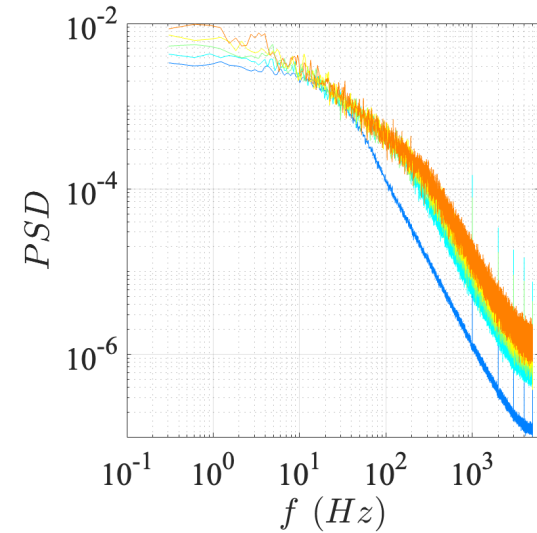


# Results: turbulent fluctuations

All diameters studied: spectral analysis

Two possible normalisations:  $\Delta T_b$  and  $T$

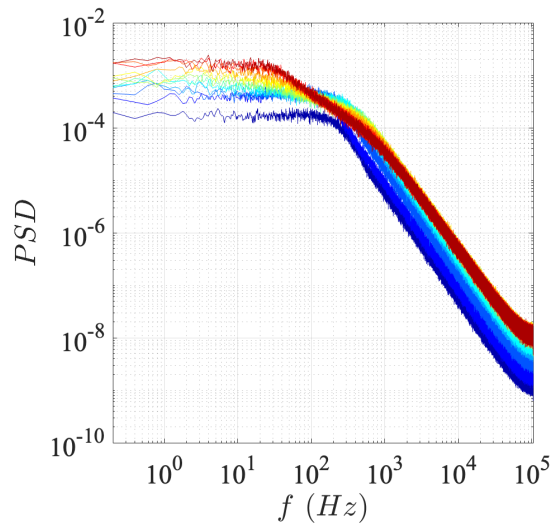
Results for  $D = 100\text{cm}$



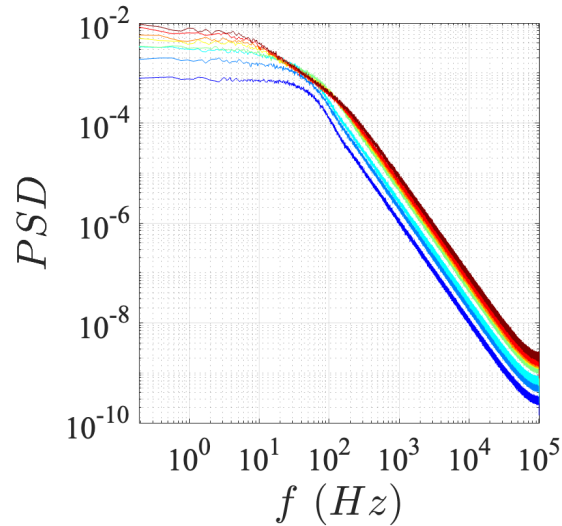
# Results: turbulent fluctuations

## All diameters studied: spectral analysis

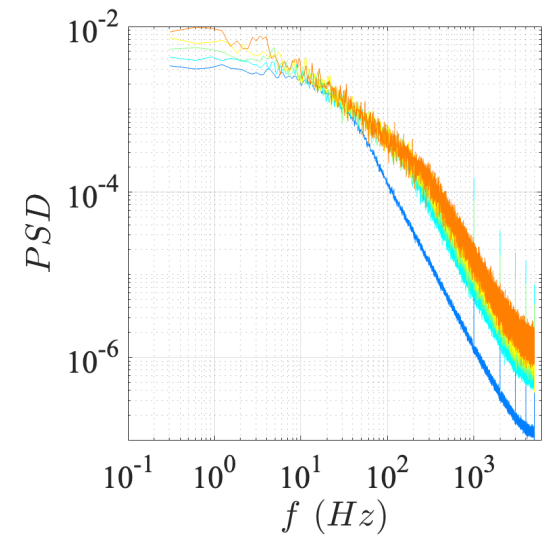
- All spectra present the same regimes
- Large frequencies are collapsed by  $\Delta t_b$
- Mesoscales are collapsed by  $T$



$D = 14\text{cm}$



$D = 40\text{cm}$

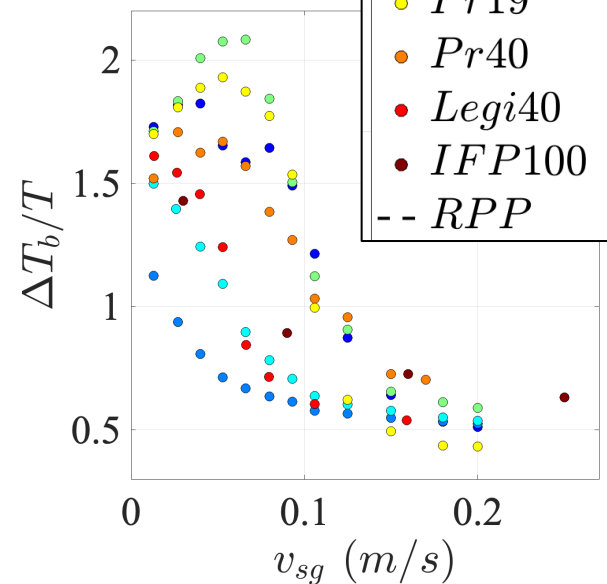
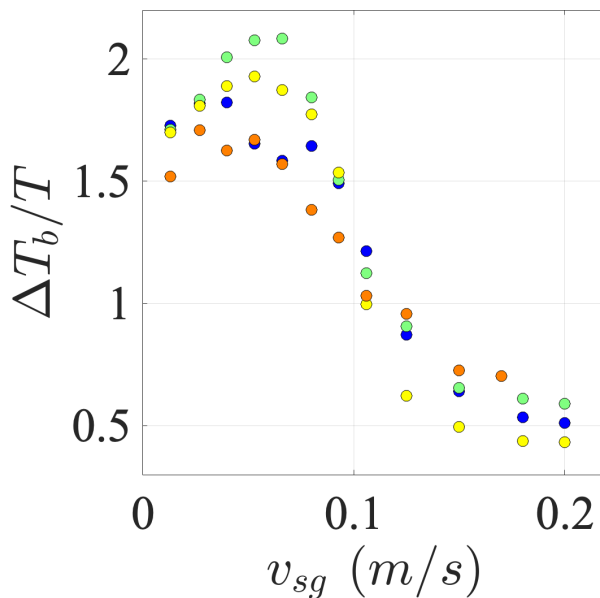
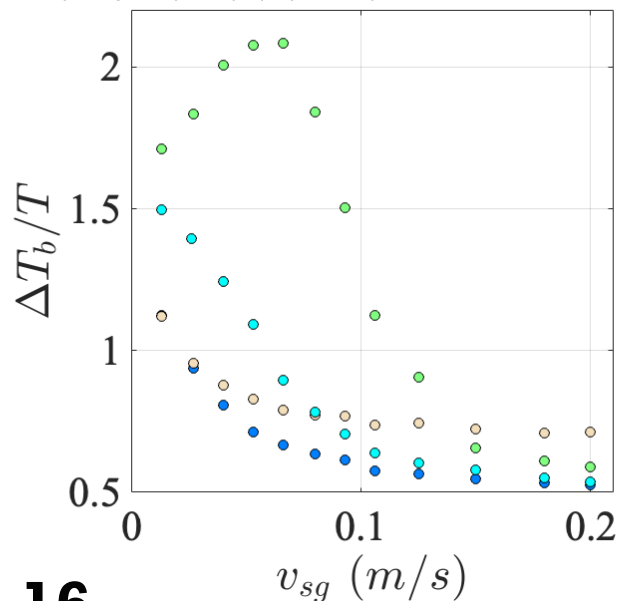


$D = 100\text{cm}$

# Results: relation between scales

- A peak appears only for some cases
- The distributor seems to play a significant role
- The heterogeneous regimes is characterized by  $\frac{\Delta T_b}{T} < 1$

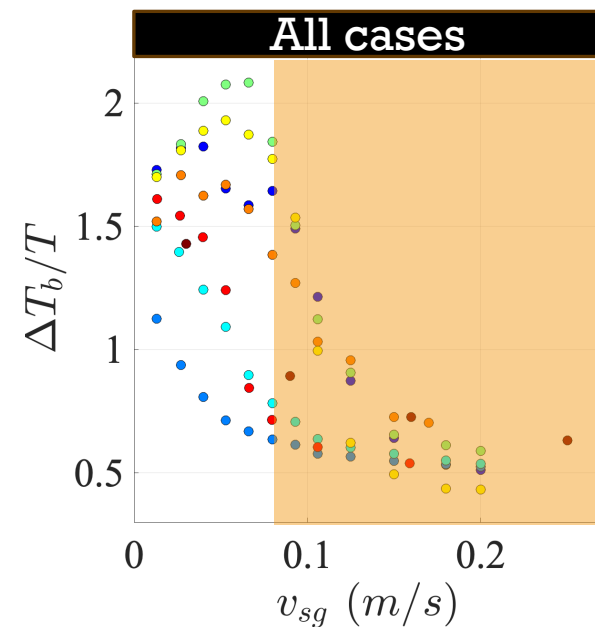
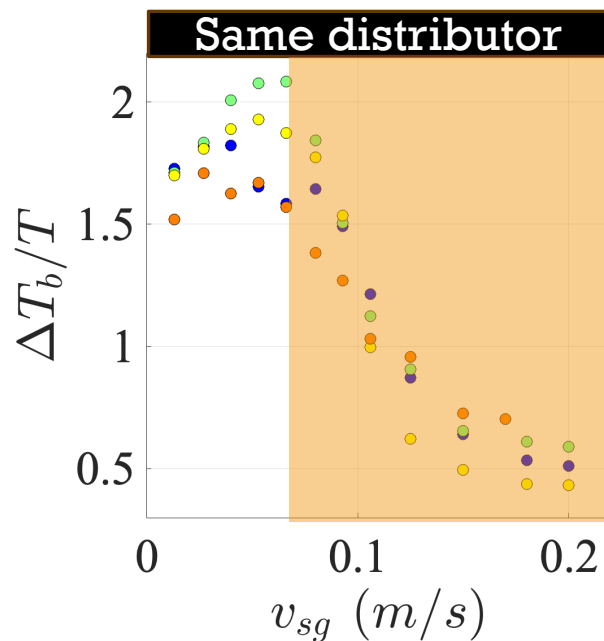
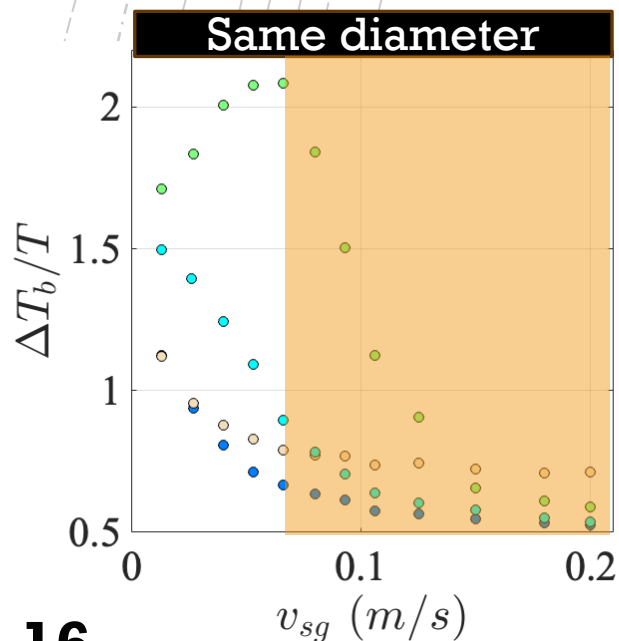
Label	Column diameter (m)	Distributor orifice (mm)
Pr8	0.08	0.5
Pr14-1	0.14	1.6
Pr14-2	0.14	1.6
Pr14-3	0.14	1.0
Pr14-4	0.14	0.5
Pr19	0.19	0.5
Pr40	0.40	0.5
LEGI40	0.40	1.0
IFP100	1	2.0



# Results: relation between scales

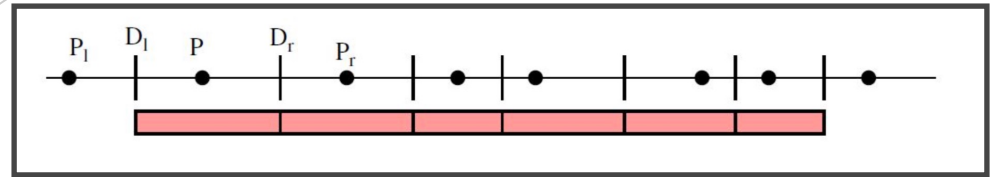
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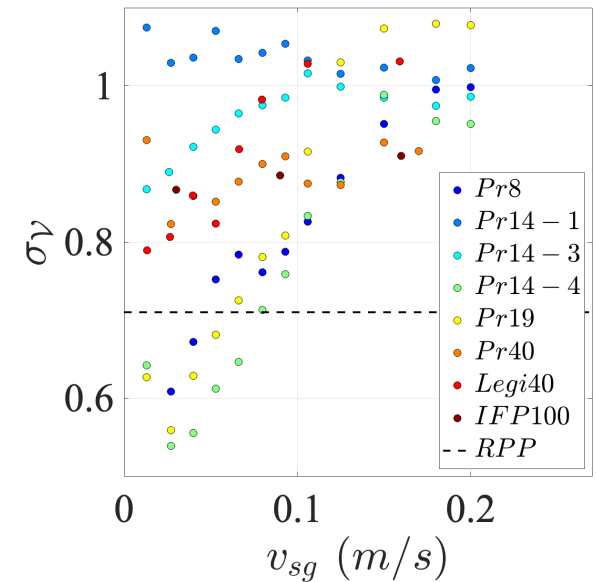
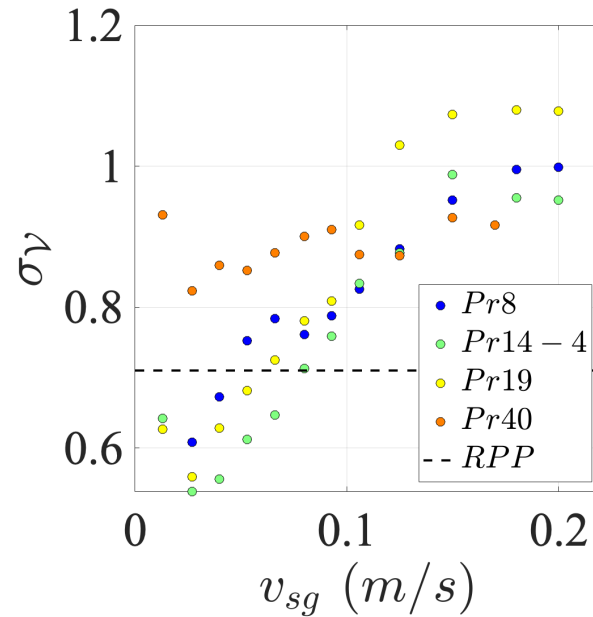
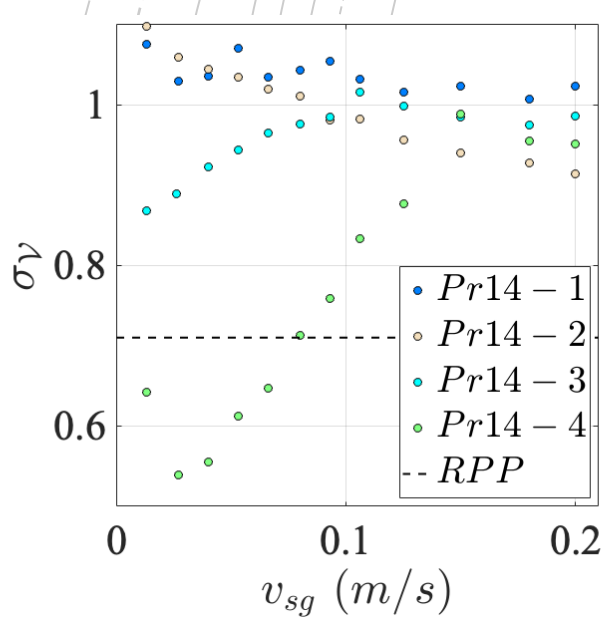


# Results: clustering

## Voronoi tessellations

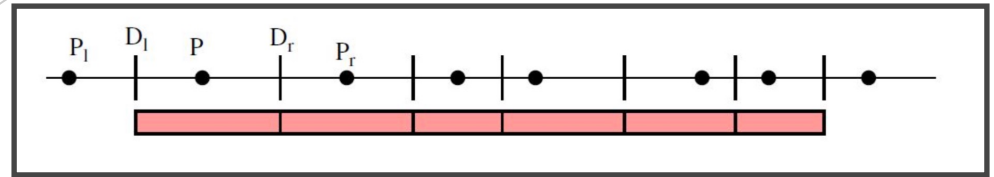


- Voronoi tessellations can detect the presence of mesoscale structures (or clusters)
- Standard deviations of cells durations above 0.71 imply clustering
- The heterogeneous regime always presents mesoscale structures

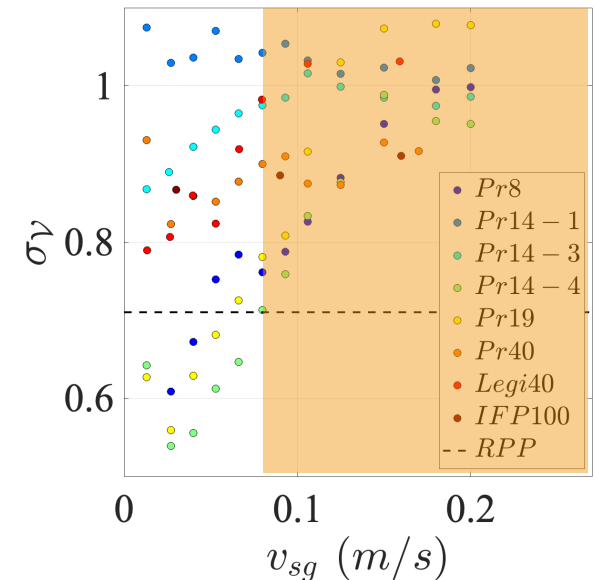
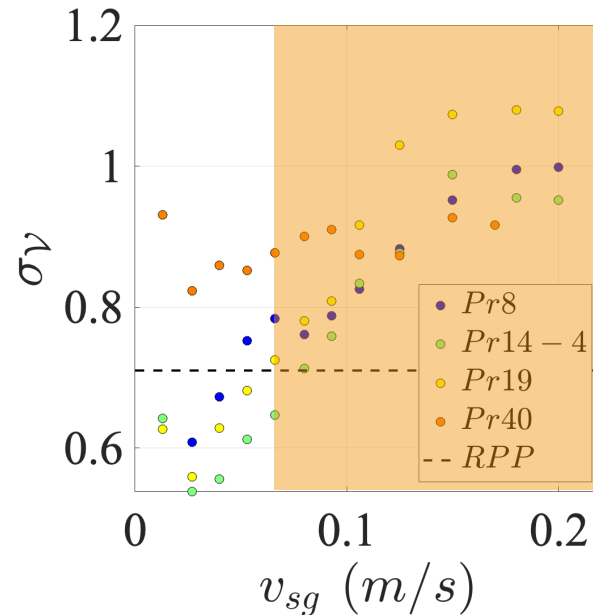
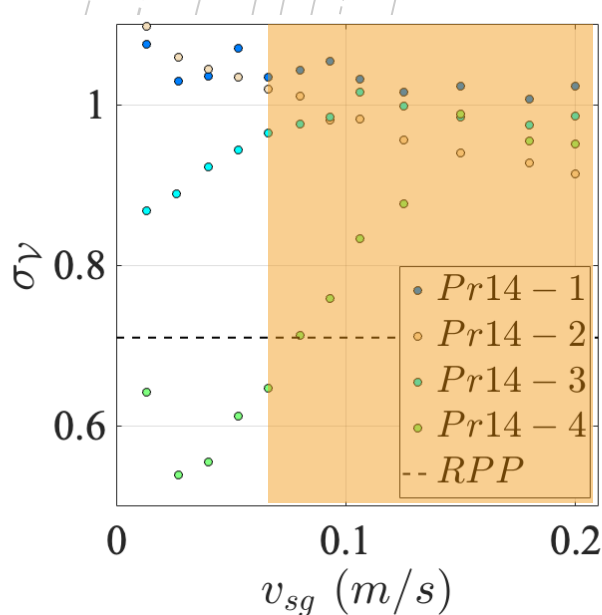


# Results: clustering

## Voronoi tessellations



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# Conclusions

- Startup times are independent of  $D$  with similar trends for both regimes
- The colour function from the optical probe can be used to extract time-resolved parameters and their statistics
- The heterogeneous regime is characterized by a correlation time larger than the averaged waiting time
- The spectra of the void fraction presents a  $f^{-1}$  power law when mesoscale structures are present

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# Perspectives

- Analyse the conditioned velocity
- Free surface measurements
- Testing different mixtures

**Thanks for your attention**